

Spin and Orbital magnetism by light in rutile altermagnets

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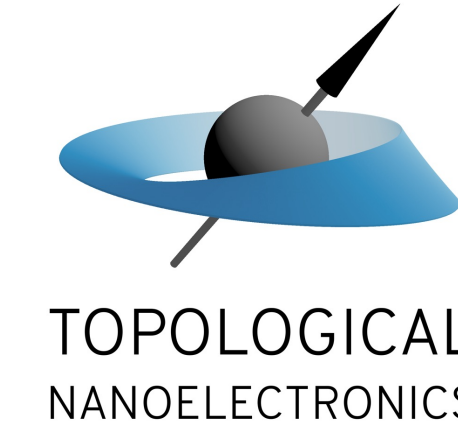
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TOPOLOGICAL
NANO-ELECTRONICS



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Abstract

While the understanding of altermagnetism is still in a very early stage, it is expected to play a role in various fields of condensed matter research, for example spintronics, caloritronics and superconductivity [1]. In the field of optical magnetism, it is still unclear to which extent altermagnets as a class can exhibit a distinct behavior. Here we choose RuO₂, a prototype metallic altermagnet with a giant spin splitting, and CoF₂, an experimentally known insulating altermagnet, to study the light-induced magnetism in rutile altermagnets from first-principles.

Computational methods



$$\begin{aligned} \mathcal{TB}\text{-basis set} & \left\{ \begin{aligned} \langle 0n | \hat{H} | Rm \rangle \\ \langle 0n | \hat{p}_\alpha | Rm \rangle \end{aligned} \right. \\ H_{nm}^{(W)}(\mathbf{k}) &= \sum_{\mathbf{R}} e^{i\mathbf{k}\cdot\mathbf{R}} \langle 0n | \hat{H} | Rm \rangle \\ H_{nm,\alpha}^{(W)}(\mathbf{k}) &= \sum_{\mathbf{R}} e^{i\mathbf{k}\cdot\mathbf{R}} iR_\alpha \langle 0n | \hat{H} | Rm \rangle \\ A_{nm,\alpha}^{(W)}(\mathbf{k}) &= \sum_{\mathbf{R}} e^{i\mathbf{k}\cdot\mathbf{R}} \langle 0n | \hat{p}_\alpha | Rm \rangle \end{aligned}$$

$$v_{nm,\alpha}^{(H)} = \frac{1}{\hbar} \bar{H}_{nm,\alpha}^{(H)} - \frac{i}{\hbar} (\epsilon_m^{(H)} - \epsilon_n^{(H)}) \bar{A}_{nm,\alpha}^{(H)}$$

Keldysh formalism

2nd order spin magnetization

• Response formula

$$\delta S_i = -\frac{\hbar a_0^3 I}{2c} \frac{\epsilon_H}{(\hbar\omega)^2} \text{Im} \sum_{jk} \epsilon_j \epsilon_k^* \tilde{\chi}_{ijk}$$

• Response tensor

$$\begin{aligned} \tilde{\chi}_{ijk} &= \frac{2}{N\hbar a_0^3} \sum_{\mathbf{k}} \int d\mathcal{E} \\ &\times \text{Tr} [f(\mathcal{E}) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_j G_{\mathbf{k}}^R(\mathcal{E} - \hbar\omega) v_k G_{\mathbf{k}}^R(\mathcal{E}) \\ &- f(\mathcal{E}) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_j G_{\mathbf{k}}^R(\mathcal{E} - \hbar\omega) v_k G_{\mathbf{k}}^A(\mathcal{E}) \\ &+ f(\mathcal{E}) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_k G_{\mathbf{k}}^R(\mathcal{E} + \hbar\omega) v_j G_{\mathbf{k}}^R(\mathcal{E}) \\ &- f(\mathcal{E}) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_k G_{\mathbf{k}}^R(\mathcal{E} + \hbar\omega) v_j G_{\mathbf{k}}^A(\mathcal{E}) \\ &+ f(\mathcal{E} - \hbar\omega) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_j G_{\mathbf{k}}^R(\mathcal{E} - \hbar\omega) v_k G_{\mathbf{k}}^A(\mathcal{E}) \\ &+ f(\mathcal{E} + \hbar\omega) \sigma_i G_{\mathbf{k}}^R(\mathcal{E}) v_k G_{\mathbf{k}}^R(\mathcal{E} + \hbar\omega) v_j G_{\mathbf{k}}^A(\mathcal{E})] \end{aligned}$$

• Retarded and Advanced Green's function

$$G_{\mathbf{k}}^R(\mathcal{E}) = \hbar \sum_n \frac{|kn\rangle \langle kn|}{\mathcal{E} - \epsilon_{kn} + i\Gamma} \quad \text{and} \quad G_{\mathbf{k}}^A(\mathcal{E}) = [G_{\mathbf{k}}^R(\mathcal{E})]^\dagger$$

2nd order orbital magnetization

• Replace

$$\sigma_i \rightarrow l_i$$

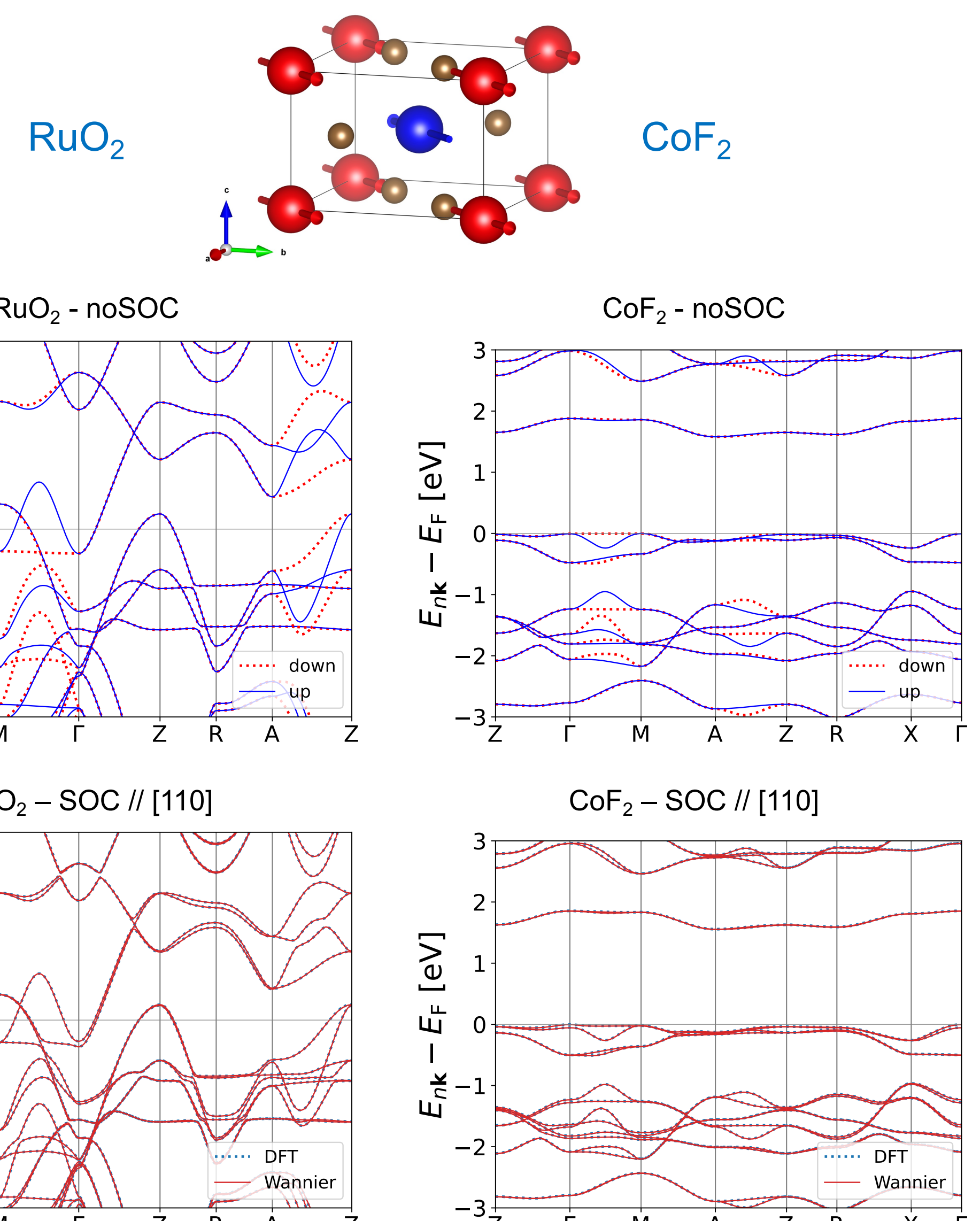
LASER

$$I = 10 \text{ GW cm}^{-2}$$

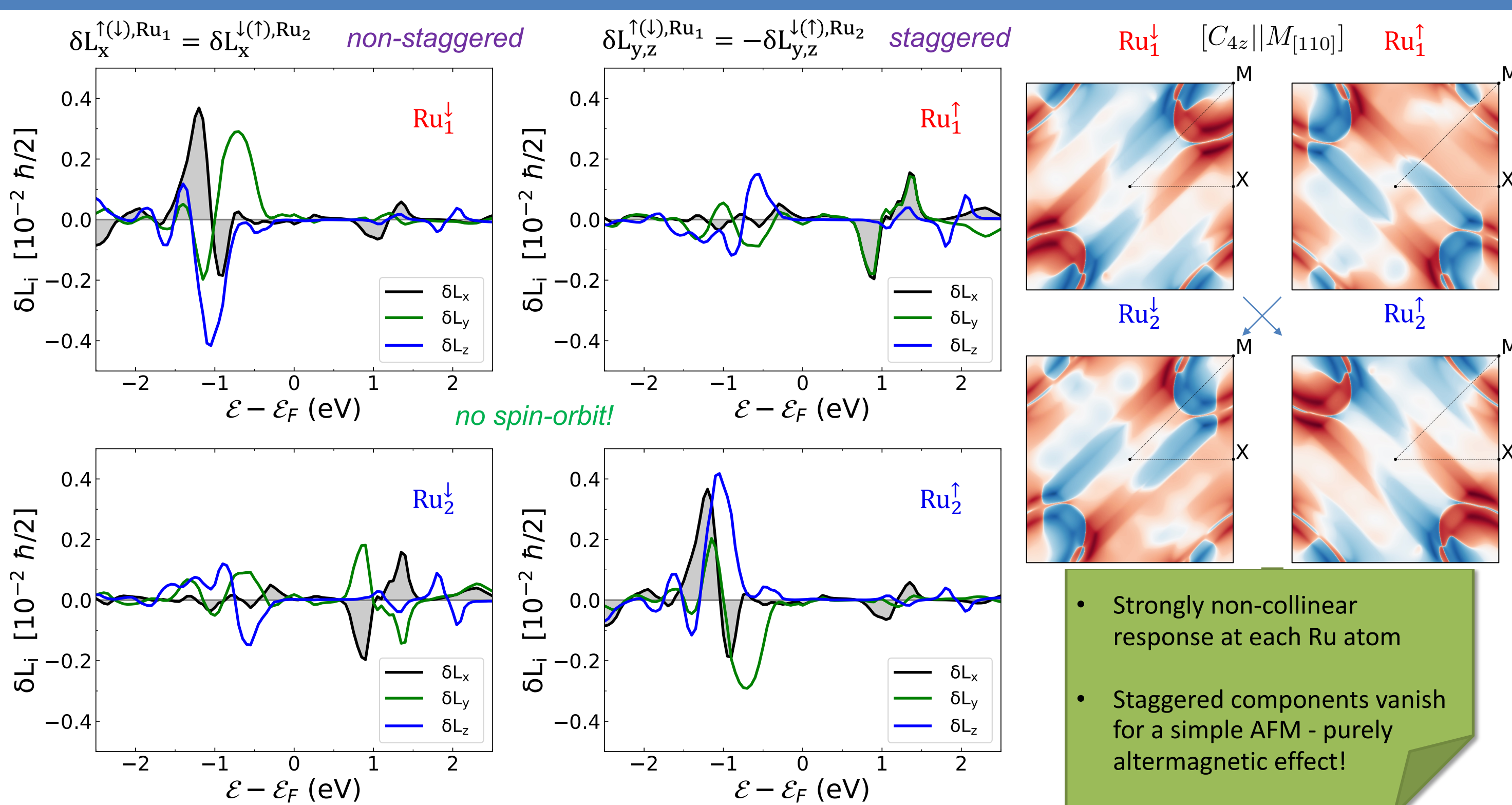
$$\epsilon_j \epsilon_k^* = \begin{pmatrix} 1/2 & -i\lambda/2 \\ i\lambda/2 & \lambda^2/2 \end{pmatrix}$$

$$\epsilon = (1, i\lambda, 0)/\sqrt{2}$$

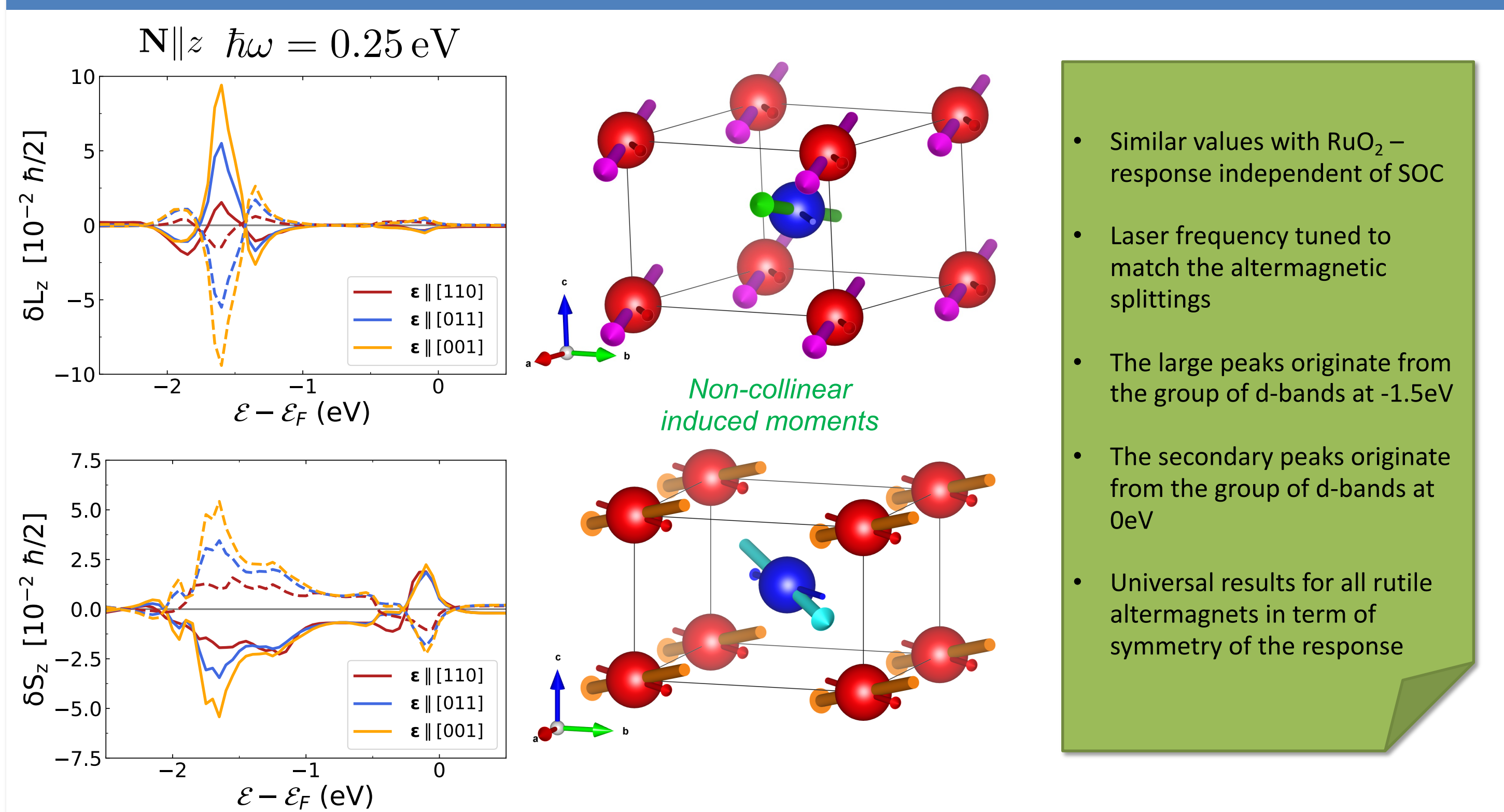
Studied systems



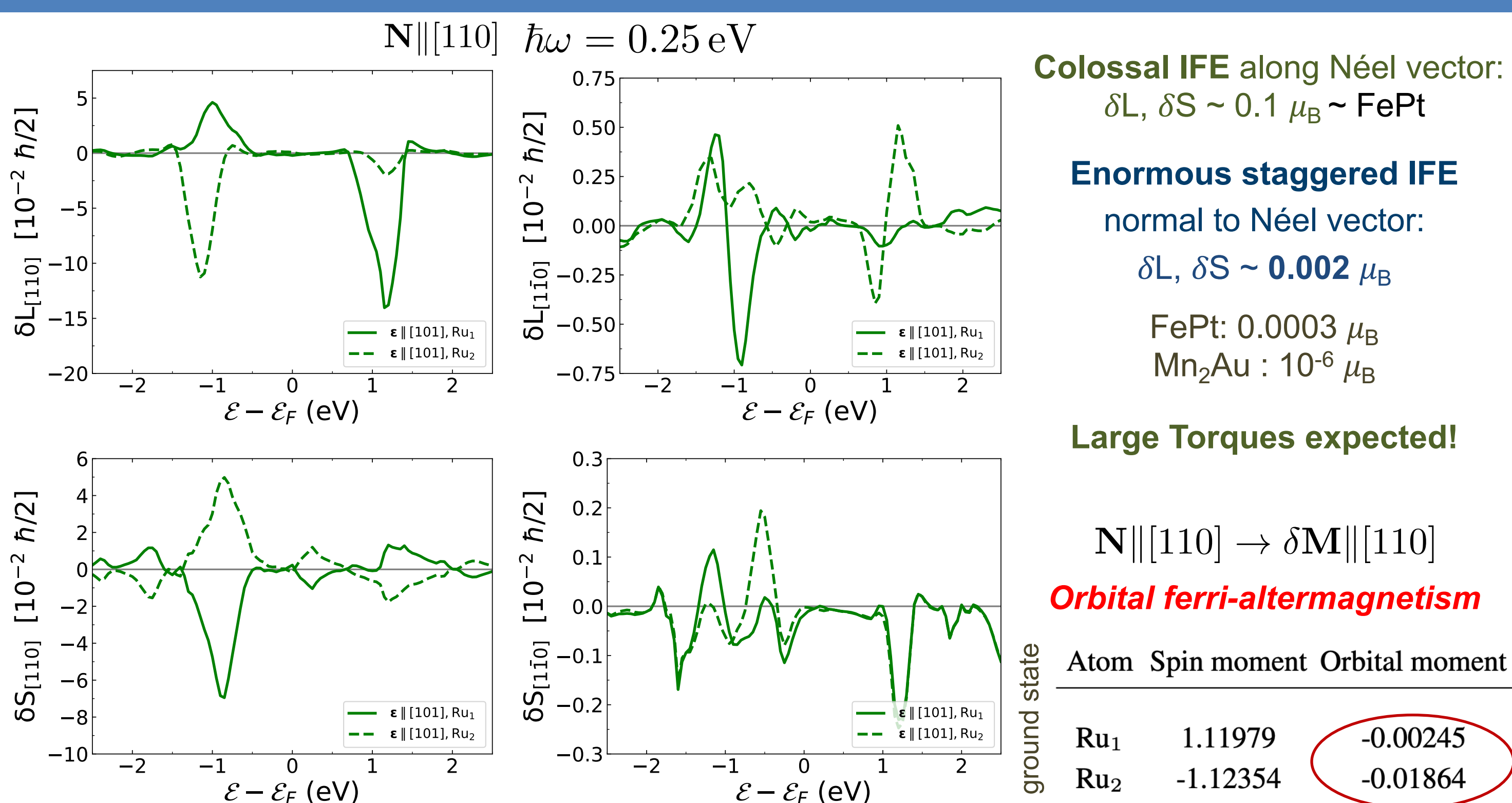
RuO₂ – non-relativistic orbital photomagnetization



CoF₂ – orbital and spin photomagnetizations



RuO₂ – orbital and spin photomagnetizations



Colossal IFE along Néel vector:
 $\delta L, \delta S \sim 0.1 \mu_B \sim \text{FePt}$

Enormous staggered IFE
normal to Néel vector:
 $\delta L, \delta S \sim 0.002 \mu_B$

FePt: $0.0003 \mu_B$
Mn₂Au: $10^{-6} \mu_B$

Large Torques expected!

$N \parallel [110] \rightarrow \delta M \parallel [110]$

Orbital ferri-altermagnetism

Atom	Spin moment	Orbital moment
Ru ₁	1.11979	-0.00245
Ru ₂	-1.12354	-0.01864

Conclusions

- ✓ Altermagnets are a fruitful platform for exploiting the complexity of IFE
- ✓ The colossal magnitude of IFE can be further manipulated by the application magnetic fields or used for angular momentum injection
- ✓ The large IFE normal to the Néel vector may give rise to significant optical torques
- ✓ Orbital ferri-altermagnetism: the colossal light-induced orbital magnetism may be used for Néel order manipulation

References

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