Anisotropy of incommensurate magnetic excitations in slightly overdoped Ba_{0.5}K_{0.5}Fe₂As₂ probed by polarized inelastic neutron scattering experiments

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Polarized neutron scattering experiments on the slightly overdoped superconductor Ba_{0.5}K_{0.5}Fe₂As₂ reveal broad magnetic resonance scattering peaking at approximately 15 meV. In spite of doping far beyond the suppression of magnetic order, this compound exhibits dispersive and anisotropic magnetic excitations. At energies below the resonance maximum, magnetic correlations polarized parallel to the layers but perpendicular to the propagation vector are reduced by a factor of 2 compared to those in the two orthogonal directions; in contrast, correlations at the peak maximum are isotropic.

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The observation of enhanced magnetic fluctuations in the superconducting phases of FeAs-based materials [1] yields the strongest support for a pairing mechanism associated with magnetism [2]. Collective resonance excitations appearing just at the propagation vector of the antiferromagnetic order in the parent phases were reported in polycrystalline optimally holedoped Ba_{0.6}K_{0.4}Fe₂As₂ [2] as well as in the electron-doped BaFe₂As₂ series [3,4]. Various neutron scattering studies report the effect of electron doping on the resonance peak by substituting Fe with either Co [3,5–9] or Ni [4,10–13]. The energy of this excitation has been found to scale with T_c and the intensity behaves as the superconducting ordering parameter [4] while the dispersion of the resonance seems to reflect the vicinity of the antiferromagnetic phase [14]. A rather strong resonance has been detected in single-crystalline optimally hole-doped Ba_{0.67}K_{0.33}Fe₂As₂ ($T_c = 38 \text{ K}$) [15,16].

Using polarized neutron scattering one may distinguish the polarization direction of the fluctuating magnetic moments and thereby directly detect possible spin-space anisotropies of magnetic excitations. Such experiments were performed on Co [17], on Ni-doped BaFe₂As₂ [18], and on Ba_{0.67}K_{0.33}Fe₂As₂ [19], revealing clear evidence for strong spin-space anisotropy with a universal scheme. Scanning the energy dependence of the magnetic scattering at the fixed scattering vector $\mathbf{Q} = (0.5 \ 0.5 \ q_l)$ yields an isotropic signal just at the maximum of the total scattering. This broad maximum is usually detected in unpolarized neutron scattering experiments and labeled as the resonance mode. At the lower energy side, however, magnetic excitations are anisotropic. Anisotropic scattering either appears in the form of a sharp isolated peak [17] or just as a shoulder [18,19] of the broad resonance feature. The three directions relevant for the discussion of the spin-space anisotropy in doped BaFe₂As₂ can be labeled as longitudinal in-plane, i.e., parallel to the in-plane component of the scattering vector, which we always chose as $\mathbf{Q} = (0.5 \ 0.5 \ q_l)$, [110], transverse in-plane, i.e., perpendicular to the scattering vector and parallel to the planes [110], and out of plane. All studies [17–19] indicate that the transversal in-plane polarized magnetic excitations only appear at higher energies in the superconducting samples and that they do not contribute to the anisotropic signal. This anisotropy, therefore, closely resembles the observation of pure and antiferromagnetic ordered BaFe₂As₂ [20]. However, so far the anisotropic magnetic response has been reported for superconducting samples close to the antiferromagnetically ordered phase, leaving the relevance of this anisotropy for the superconducting state a matter of debate.

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Here we present a polarized inelastic neutron scattering study on the hole-overdoped compound Ba_{0.5}K_{0.5}Fe₂As₂. Besides their rather high superconducing transition temperatures, the K overdoped samples appear interesting as they bridge the superconducting state at optimum doping [21–23] supposed to exhibit $s \pm$ symmetry with that in KFe₂As₂ [24] for which other order parameter symmetries were proposed[25]. Concomitantly, the magnetic response changes from commensurate excitations at x = 0.33 [15,16] to longitudinally modulated ones observed in KFe₂As₂ [26]. So far the intermediate doping range was only studied by powder neutron scattering experiments reporting the evolution of the longitudinal incommensurabilities [27]. Although the doping level in Ba_{0.5}K_{0.5}Fe₂As₂ is located considerably above the value where antiferromagnetic order fully disappears, we have found that this compound still exhibits signatures of the ordered phase: There is sizable q_l dispersion and, most importantly, a well defined spin-space anisotropy develops below the resonance energy.

Single crystals of $Ba_{0.5}K_{0.5}Fe_2As_2$ were grown by the self-flux method [28]. The critical temperature of the single crystals was determined to be 36 K from the temperature dependence of the zero-field-cooled magnetization studied on several individual single crystals with a superconducting quantum interference device (SQUID) magnetometer. The c lattice constant of each single crystal was examined by x-ray diffraction on both sides of the tabular-shaped samples. We find only minor variations with values staying between 13.40 and 13.45 Å, indicating a variation of the K content below $\Delta x = \pm 0.028$. A total of 60 single crystals with a total mass of 1.3 g were coaligned on a thin Al sample holder. Polarized

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inelastic neutron scattering experiments with longitudinal polarization analysis were carried out at the thermal-beam spectrometers IN20 and IN22 (ILL, Grenoble). Both spectrometers were equipped with polarizing Heusler (111) crystals as the monochromator and analyzer. The flipping ratio was determined on a nuclear reflection to be approximately 17 at IN20 and 13 at IN22, respectively. All inelastic scans were performed with a constant \mathbf{k}_f of 2.662 Å⁻¹. The sample was mounted in the [110]/[001] scattering plane. Longitudinal polarization analysis was performed using the CRYOPAD device to guide and orient the neutron polarization with a strictly zero magnetic field at the sample position in order to avoid errors due to flux inclusion and field repulsion in the superconducting state of the sample. We use the common coordinate system in polarized neutron scattering [29] with x pointing along the scattering vector, y being perpendicular to x within the scattering plane, and z pointing perpendicular to the scattering plane. As a general law, neutron scattering only senses magnetic excitations polarized perpendicular to the scattering vector **Q**. With the polarization analysis it is possible to separate nuclear scattering [always a non-spin-flip (NSF) process] from magnetic scattering and to separate magnetic fluctuations polarized along different directions in spin space. Magnetic excitations contribute to the spin-flip (SF) channel only for magnetic components oscillating perpendicular to the initial polarization axis P_i . In contrast, magnetic excitations with components oscillating parallel to P_i are detected in the NSF channel. For each point in the scan the three SF channels and the NSF_x channel have been measured, the latter being a reference for spurious scattering. The respective magnetic cross sections for the in-plane and out-of-plane response, σ_{z} and σ_{v} , respectively, can be deduced by simple algebra and by correcting for the finite flipping ratio, as explained in detail in Ref. [20].

As a first step in the characterization of the magnetic fluctuations in Ba_{0.5}K_{0.5}Fe₂As₂, a longitudinal constant-energy scan was performed at the IN20 spectrometer in order to derive the incommensurability of the magnetic signal. Figure 1 shows the raw data at an energy transfer of 13 meV for the three SF channels. The longitudinally split peaks are clearly visible in the purely magnetic SF channels. We have derived an incommensurability of 0.083(2) reduced lattice units for E = 13 meV from a fit of a pair of symmetrical Gaussian functions to the SF_x data. The incommensurate character of the scattering and the value of the pitch perfectly agree with the data obtained on powders [27] and with our own unpolarized neutron studies [30]; with the doping, the shape of the Fermi surface sheets and therefore the nesting conditions change, inducing incommensurate scattering [27]. For the energy scans aiming to detect the spin anisotropy we chose the average incommensurability resulting from the unpolarized experiments, i.e., $\mathbf{Q} = (0.56\ 0.56\ q_l)$. Figure 1 shows, furthermore, significant anisotropy with the scattered intensity in the SF_z channel being stronger than that in the SF_v channel. In order to reveal the energy dependence of this anisotropy, constant-**Q** scans at $\mathbf{Q} = (0.56 \ 0.56 \ 3)$ [Figs. 2(a) and 2(b)] and at $\mathbf{Q} = (0.56 \ 0.56 \ 2)$ [Figs. 2(c) and 2(d) were carried out at T=2 K (note that the data in this and all following figures have been obtained on the IN22 spectrometer, however, the IN20 spectrometer yields the

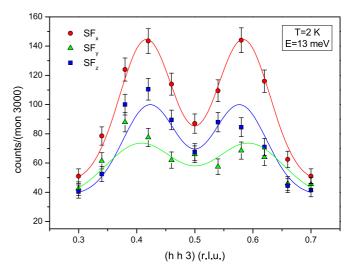


FIG. 1. (Color online) Longitudinal constant-energy scan at $E=13~\rm meV$ across ${\bf Q}=(0.5~0.5~3)$ (measured at the IN20 spectrometer; monitor 3000 corresponds to 580 s of beam time at $E=13~\rm meV$) proving the incommensurability of the magnetic resonance peak.

same results). Figures 2(a) and 2(c) show the raw data in the SF channels together with a polynomial fit to the SF_x scattering at 40 K. A clear magnetic signal is observable around 15 meV, forming the broad magnetic resonance

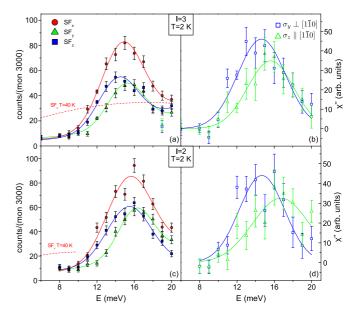


FIG. 2. (Color online) Constant- \mathbf{Q} scans at $\mathbf{Q} = (0.56\ 0.56\ 3)$ (first row) and $\mathbf{Q} = (0.56\ 0.56\ 2)$ (second row) at 2 K within the superconducting phase (measured at the IN22 spectrometer). (a) and (c) show the raw intensities of the SF channels together with the SF_x scattering at $T = 40\ \mathrm{K}$ [(red) dashed line]. The fit of a Gaussian function on a second degree polynomial background to the raw data is represented by solid lines. In (b) and (d) the imaginary part of the magnetic susceptibility is depicted after correcting the raw intensities as described in the text. The solid lines are Gaussian fits on a zero background (monitor 3000 corresponds to 530 s of beam time at $E = 8\ \mathrm{meV}$ and $680\ \mathrm{s}$ at $E = 20\ \mathrm{meV}$ on IN22; this also applies to Figs. 3–5).

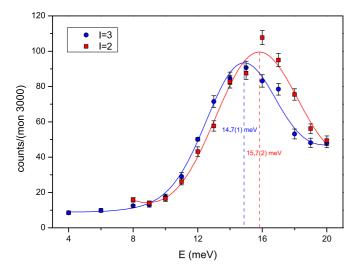


FIG. 3. (Color online) Total magnetic intensity obtained by $(SF_x + SF_y + SF_z)/2$, indicating a weakly dispersive magnetic resonance peak. The solid lines are Gaussian functions on a second degree polynomial background fitted to the raw data. From the peak positions a bandwidth of 1 meV can be obtained (errors given in brackets correspond to the preceding digit).

peak as a consequence of the opening of the superconducting gap and the redistribution of spectral weight indicated by the SF_x scattering at $T > T_c$. Figures 2(b) and 2(d) show the magnetic cross sections $\sigma_{y,z}$ obtained by subtracting the SF channels following Ref. [20] and by correcting for the finite flipping ratio, the Bose factor, and higher order contaminations at the monitor, yielding the imaginary part of the magnetic susceptibility. Similar to previous reports on other FeAs compounds, the excitations corresponding to $\sigma_{\rm v}$ set in at lower energy than the transverse in-plane ones corresponding to σ_z . Furthermore, the raw data [Figs. 2(a) and 2(c)] suggest a weak dispersion for both the in-plane and out-of-plane response of the magnetic resonance peak between the scattering vector with odd $q_l = 3$ and that with even $q_l = 2$. In order to quantify the bandwidth, the total magnetic signal $(SF_x + SF_y + SF_z)/2$ has been analyzed, which is shown in Fig. 3. From the fit of a Gaussian function on a polynomial background to the total magnetic signal with $q_l = 3$ and $q_l = 2$ we have derived a bandwidth of approximately 1 meV (see also Ref. [30]).

In order to prove that the spin-space anisotropy is connected to the superconducting state, we have followed the scattered intensity at $\mathbf{Q} = (0.56\ 0.56\ 3)$ and an energy transfer of 12 meV, where, according to Fig. 2(a), a pronounced anisotropy is present, as a function of temperature. Figure 4 shows the scattering in the two SF channels. No difference within the error bars is visible above T_c (indicated by the dashed line), indicating an isotropic system. At cooling below T_c a significant spin-space anisotropy emerges.

The polarization analysis directly distinguishes between σ_z always sensing the transversal in-plane magnetic contributions and σ_y sensing the fluctuations parallel to the neutron scattering plane. Further information can be obtained by varying the scattering vector $\mathbf{Q} = (0.56, 0.56, q_l)$: For $q_l = 0$ only out-of-

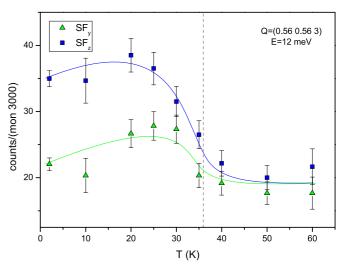


FIG. 4. (Color online) Peak intensity of the magnetic scattering at $\mathbf{Q} = (0.56\ 0.56\ 3)$ and $E = 12\ \text{meV}$ as a function of temperature. A clear splitting of the in-plane (SF_y) and the out-of-plane (SF_z) components is visible at T_c , which is indicated by the dashed line. The solid lines are guides to the eye.

plane fluctuations can contribute to σ_{v} , but this out-of-plane contribution decreases with increasing q_l while the in-plane longitudinal contribution increases with the geometry factor $\sin(\alpha)^2 = (\frac{q_l}{|Q|})^2$ (q components are given in absolute units here; α is the angle between [110] and the scattering vector **Q**). Figure 5 shows the magnetic signal at $\mathbf{Q} = (0.56\ 0.56\ q_l)$ for odd q_l values up to 5. Figure 5(a) clearly reveals the anisotropy which we have observed at E = 12 meV up to $q_l = 5$. In contrast, Fig. 5(c) and the inset of Fig. 5(a) confirm the isotropic fluctuations at an energy transfer of 15 meV and above T_c , respectively. In order to analyze the respective intensities quantitatively we have converted the raw data to the imaginary part of the magnetic susceptibility [see Fig. 5(b)]. Let us first consider the magnetic cross section σ_{z} measured in the SF_v channel, which is not subject to the geometrical factor with varying q_l value. Therefore, an increase in q_l will affect the intensities by the magnetic form factor $f(\mathbf{Q})$ only. In fact, σ_z is reduced proportional to $f(\mathbf{Q})^2$, which is shown by the (green) dashed-dotted line normalized to σ_z at $q_l = 1$. As mentioned above, the out-of-plane contributions in the SF_z channel are reduced by an increasing q_l value, therefore, the (blue) dashed line represents $f(\mathbf{Q})^2 \cos^2 \alpha$, with α the angle between Q and the [110] direction, normalized to the data point σ_v at $q_l = 1$. It becomes evident that a purely out-of-plane fluctuation is reduced more severely, but our data still show $\sigma_y > \sigma_z$ at $q_l = 5$. Such a behavior can only be explained by a sizable in-plane longitudinal contribution of magnetic fluctuations. We have fitted the 12 meV data with $f(\mathbf{Q})^2[n_t\cos^2\alpha + (1-n_t)\sin^2\alpha]$ normalized to the intensity at l = 1, where n_t defines the fraction of the σ_v channel intensity which stems from the out-of-plane fluctuation. The fit reveals a value of $n_t = 0.53(7)$, stating that the in-plane longitudinal fluctuation is of comparable strength to the outof-plane fluctuation. On the contrary, at this energy of 12 meV the transversal in-plane fluctuations are reduced by roughly a factor of 2. Transversal in-plane magnetic fluctuations seem

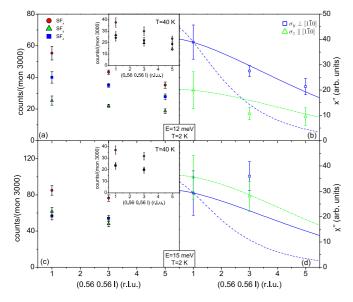


FIG. 5. (Color online) q_l dependence of the magnetic signal at $\mathbf{Q} = (0.56\ 0.56\ q_l)$ and $T=2\ \mathrm{K}$ for an energy transfer of 12 meV (first row) and 15 meV (second row). (a) and (c) show the raw intensities of the SF channels (the insets show the data at $T=40\ \mathrm{K}$). (b) and (d) show the magnetic cross sections $\sigma_{y,z}$. The (green) dashed-dotted line in (b) represents the magnetic form factor normalized to the σ_z data point at $q_l=1$, the (blue) dashed line is the geometrical factor (only containing the transversal component of the fluctuation) times the magnetic form factor normalized to the σ_y data point at $q_l=1$, and the (blue) solid line is a fit containing the geometrical factor (both the longitudinal and the transversal part of the fluctuation) times the magnetic form factor normalized in the same way. In (d) the (blue) solid line shows the fit in (b) adjusted to the σ_y ($q_l=1$) point due to the small extent in the q_l range.

to appear at higher energy. Therefore, the character of the magnetic correlations in $Ba_{0.5}K_{0.5}Fe_2As_2$ can be considered

as an easy-plane type (two soft and one hard axes). Spin-orbit coupling is clearly a relevant parameter for a quantitative understanding of magnetic excitations in superconducting FeAs-based compounds even when they are not close to the antiferromagnetic phase. Figure 5(d) shows that there seems to be no anisotropy in the spin excitations at 15 meV, whose q_l dependence is well described by the magnetic form factor.

In conclusion, we have presented inelastic neutron scattering data with longitudinal polarization analysis revealing anisotropic and dispersive magnetic excitations in superconducting Ba_{0.5}K_{0.5}Fe₂As₂. The investigated sample is in the overdoped region of the phase diagram [23] and therefore far away from the magnetically ordered phase. Nevertheless, the anisotropic magnetic character of the parent compound [20] persists as we find c polarized spin fluctuations at lower energies than the transverse in-plane polarized modes. Spin-space anisotropy induced by spin-orbit coupling is thus relevant in a broad part of the superconducting phase and not only near the existence of the static antiferromagnetic order. By analyzing the q_l dependence of magnetic excitations we can furthermore identify pronounced in-plane anisotropy. Magnetic correlations in Ba_{0.5}K_{0.5}Fe₂As₂ exhibit an easy-plane or hard-axis character, as is the case for electron doping [17,18,31]. This magnetic anisotropy must arise from spin-orbit coupling and a peculiar orbital arrangement. Furthermore, in light of the universality of the dispersive spin-resonance mode among the FeAs superconductors [14], Ba_{0.5}K_{0.5}Fe₂As₂ exhibits significant q_l dispersion of the magnetic resonance.

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