

# Computer simulations of magnetocapillary swimmers

Qingguang Xie<sup>1</sup>, <u>Alexander Sukhov</u><sup>2</sup> and Jens Harting<sup>2,1</sup>

<sup>1</sup> Department of Applied Physics, Eindhoven University of Technology, P.O. Box 513, NL-5600MB Eindhoven, The Netherlands

<sup>2</sup> Forschungszentrum Jülich GmbH, Helmholtz Institute Erlangen-Nürnberg for Renewable Energy (IEK-11), Fürther Strasse 248, 90429 Nürnberg, Germany

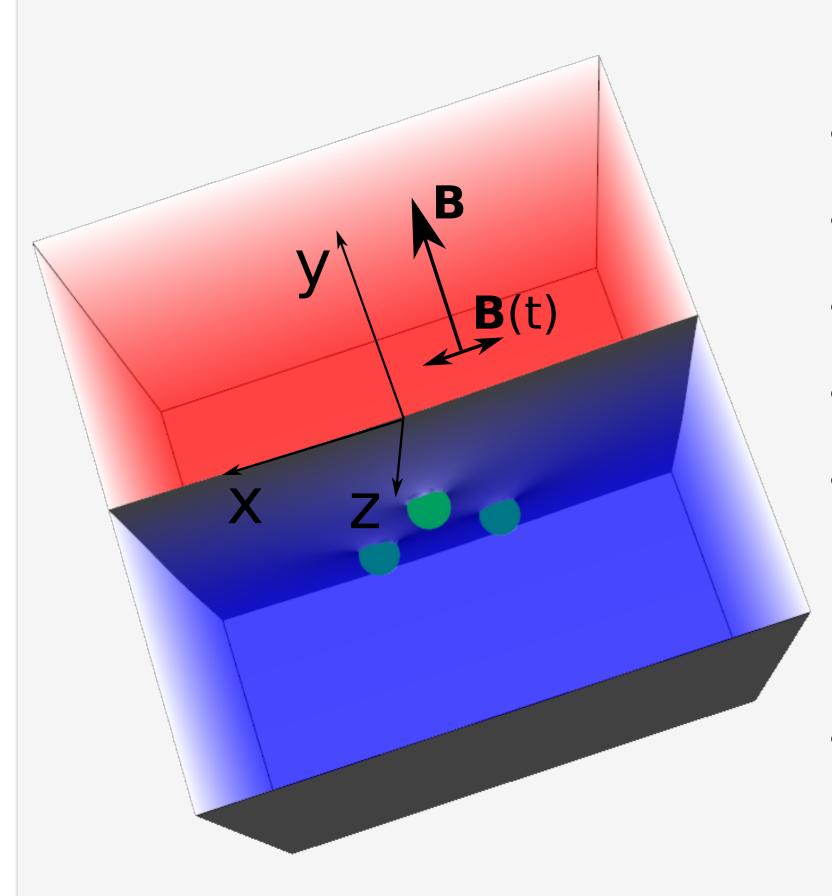
Email: j.harting@fz-juelich.de

## I. Introduction

Self-assembled magnetocapillary microswimmers were experimentally demonstrated recently [1]. When three magnetic particles are placed at a fluid-fluid interface, the particles deform the interface due to their weights, leading to capillary attraction. If a static magnetic field is applied perpendicularly to the interface, the particles experience a repulsive magnetic dipole-dipole interaction. Through the competition of attractive capillary and repulsive magnetic forces, a stable assembly of the three magnetic particles is achieved. By applying an additional oscillating magnetic field, the particle assembly demonstrates a directed motion. Here, we numerically study the effect of *frequency* and *direction* of the magnetic field on the motion of the swimmer and demonstrate the possibility to utilize the swimmer for transporting *cargo particles*.

## II. Methods and simulation setup

For the simulation of fluids we apply a hybrid lattice Boltzmann method (LBM) [2]. Multiple components are calculated locally according to the approach of Shan and Chen. Magnetic particles are discretized on the lattice and coupled to both fluid species by means of a modified bounce-back boundary condition [3, 4].



### LBM parameters:

- Lattice units (I.u.): Δx, Δt
- Number of iterations: 2x10<sup>6</sup>
- System: 128 x 128 x 128 l.u.
- Particle diameter *D*=10 l.u.
- Characteristic viscous time:

$$\tau_{\rm v} = \frac{\rho_{\rm s} D^2}{18\rho_{\rm f} v_{\rm s}}$$

Frequency of B(t) - field:

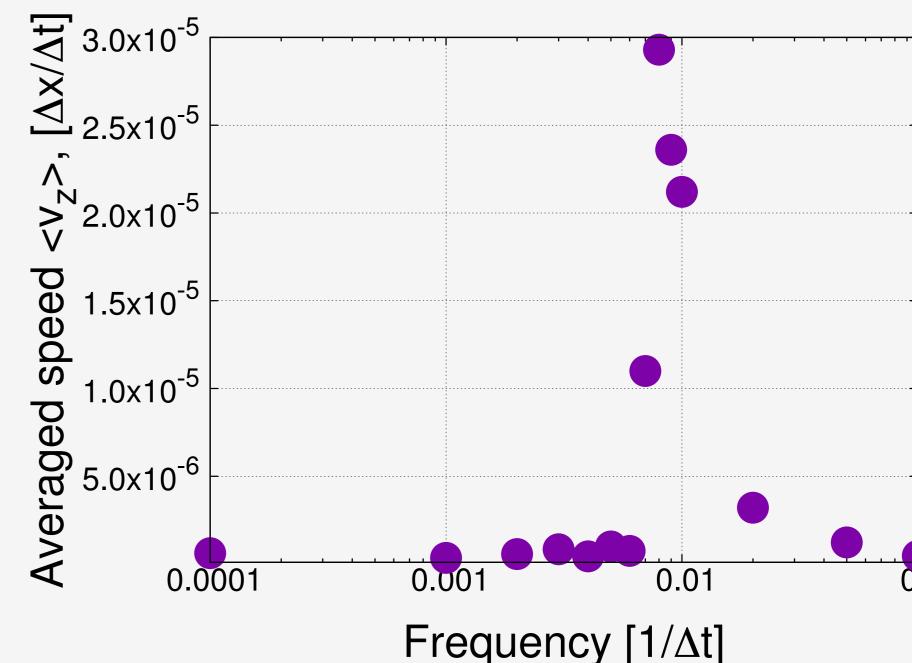
$$\frac{\omega}{2\pi} > \frac{1}{\tau}$$

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- G.B. Davies and J. Harting, Soft Matter 12, 6566 (2016).
- [4] G.B. Davies, T. Krüger, P.V. Coveney, J. Harting and F. Bresme, Adv. Mater. **26**, 6715 (2014).
- [5] Q. Xie, A. Sukhov, J. Harting, in preparation.

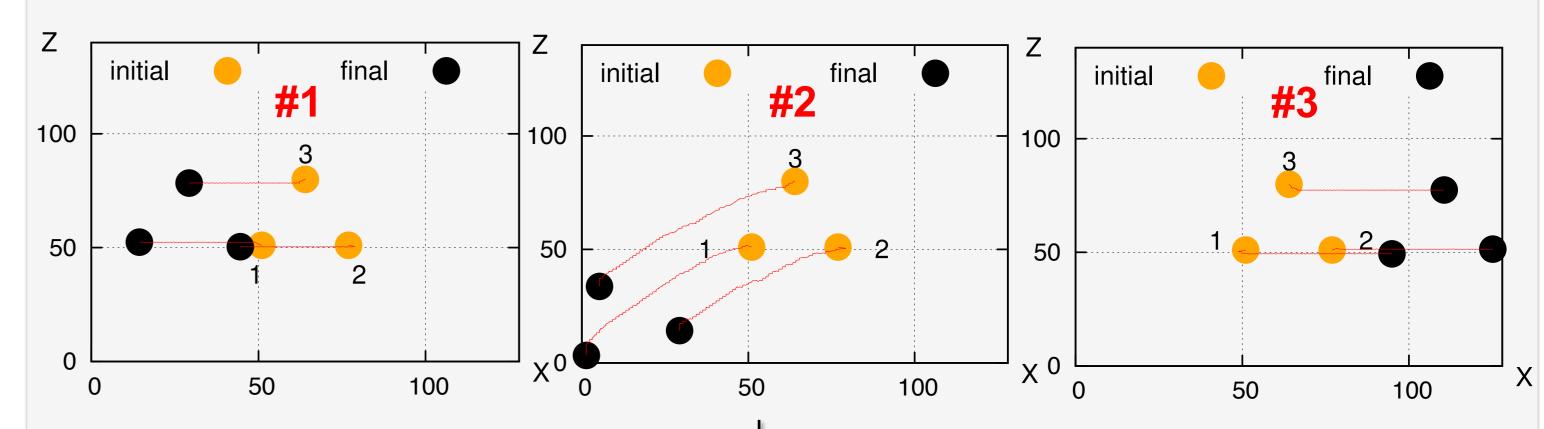
# III. Numerical results

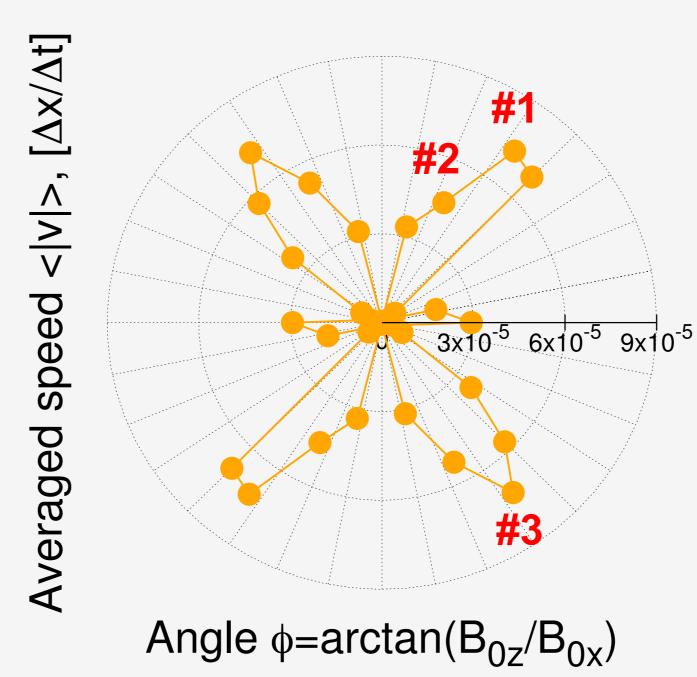
### Frequency dependence of the average speed of swimmers

The average speed of the swimmer vs. frequency of the B(t)-field shows a resonant behavior for frequencies close to  $1/\tau_v$ .

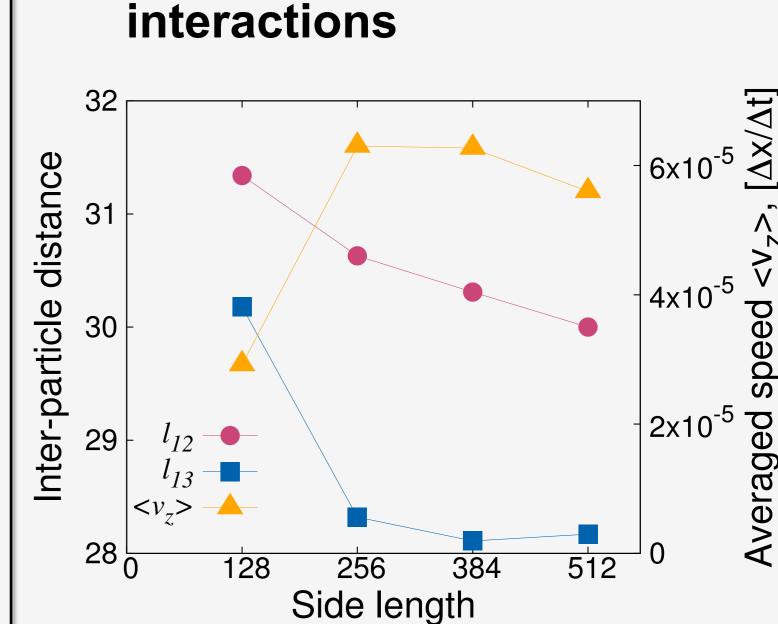


### o Influence of the direction of the oscillating magnetic field





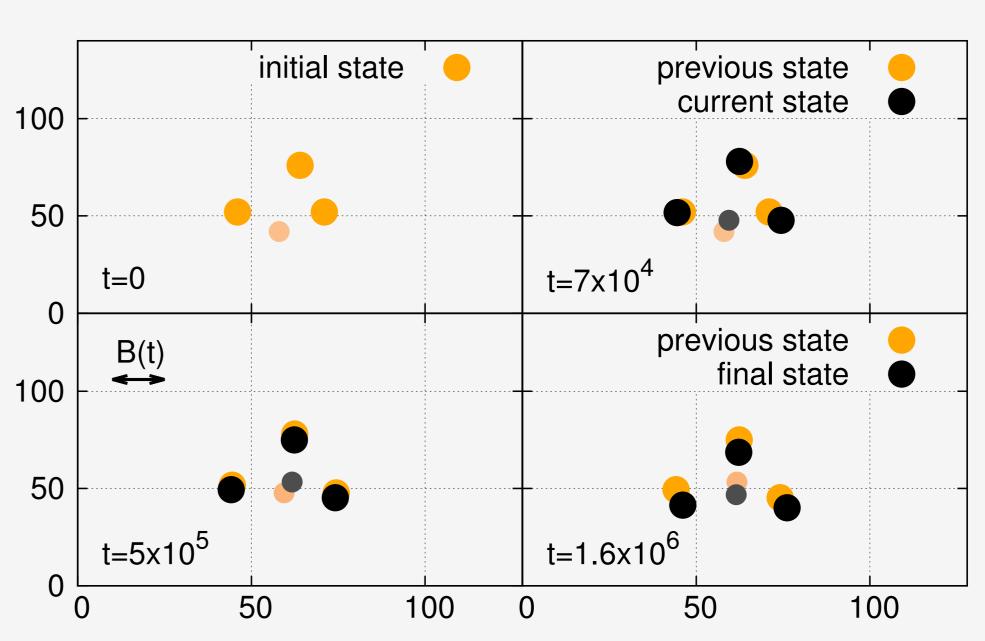
A directional dependence of both the averaged speed and velocity can be observed as a function of the B(t)-alignment.



Long range capillary

Size of the simulation box influences the average speed of the swimmer.

#### Transporting cargo particles



A light *non-magnetic* particle can be captured and transported by the swimmer.



