

IBM POWER8 Processor, NVIDIA P100 GPU and IBM Minsky Node Hardware Architecture

SC17 Tutorial

Goals for Today

- Obtain knowledge about Minsky heterogeneous server platform including it's
 - IBM POWER8 processor
 - NVIDIA P100 processor
- Obtain skills to analyse application for attainable performance
- Learn and practice measuring performance
- Learn and exercise how to optimise a simple application on IBM POWER8 processors and NVIDIA P100 GPUs
- Learn and practice parallelisation on multiple GPUs
- Study best practices for porting scientific applications

Overview of the Tutorial

Lecture	IBM POWER8 processor, NVIDIA P100 GPU and IBM Minsky node hardware architecture
Lecture + hands-on	Performance counters and tools
Lecture + hands-on	Strategies to improve application performance on POWER8
Lecture + hands-on	P100 GPU programming and optimization Multi-GPU programming
Lecture	Best practices for porting scientific applications



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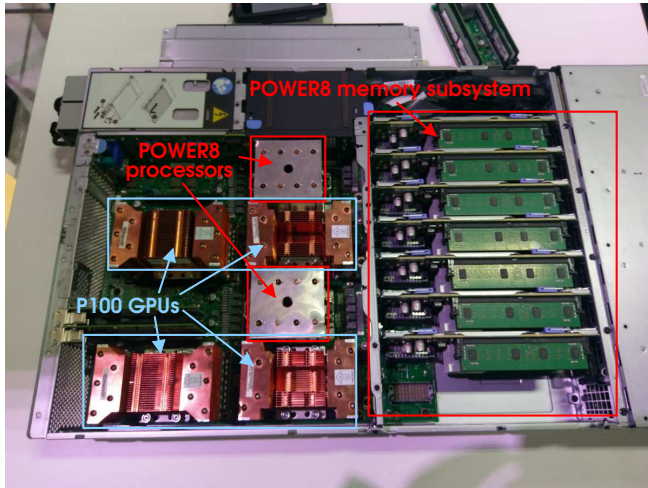
Overview of this Lecture

- Introduction
- IBM POWER8 Processor
- NVIDIA P100 GPU
- IBM Minsky Platform
- Use Case
- Summary

IBM POWER8 Processor, NVIDIA P100 GPU and IBM Minsky Node Hardware Architecture

Part I: Introduction

Minsky Platform: Overview



OpenPOWER for HPC

JURON @ JSC
18 Minsky nodes
0.35 PFlop/s



D.A.V.I.D.E @ CINECA
45 Minsky nodes
0.9 PFlop/s



SUMMIT @ ORNL
4600 Witherspoon nodes
> 180 PFlop/s



E4
COMPUTER
ENGINEERING

OpenPOWER

D.A.V.I.D.E.
SUPERCOMPUTER
A PETAFLOP-CLASS HPC CLUSTER
BASED ON OPENPOWER™ POWER8 PROCESSOR



Information Exchange Function

- A computation implies that information is transferred from a storage device x to a storage device y .
- **Information Exchange Function:**

$I_{x,y}^k(W)$ = data transferred between computer sub-systems for specific computation k

x ... source storage device (e.g. memory)

y ... destination storage device (e.g. register file)

W ... **problem size/work-load**

Bandwidth-Latency Performance Model

Ansatz to predict latency:

$$\Delta t_{x,y}^k \simeq \lambda_{x,y} + l_{x,y}^k / \beta_{x,y}$$

Examples:

- Throughput of arithmetic operations
 - $x, y = R$
 - $\beta_{R,R}$ = throughput arithmetic unit
 - $l_{R,R}^k$ = number of operations
- Load of data
 - $x = M, y = R$
 - $\beta_{M,R}$ = memory bandwidth
 - $l_{M,R}^k$ = amount of data



arithmetic unit

register file



register file

memory bus



memory

Balanced Architecture

- Assume perfect overlap of computation and data transport
- Condition for balanced architecture

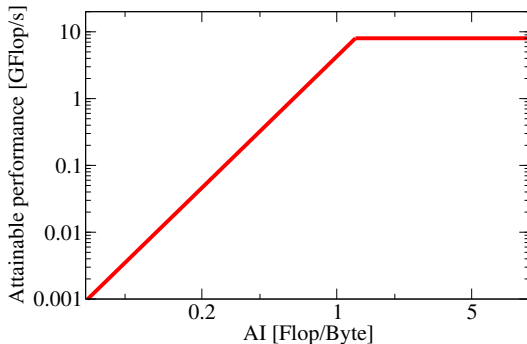
$$\begin{aligned}\Delta t_{\text{fp}} &\simeq \Delta t_{\text{mem}} \\ \Downarrow \\ \frac{l_{\text{fp}}}{\beta_{\text{fp}}} &\simeq \frac{l_{\text{mem}}}{\beta_{\text{mem}}} \\ \Downarrow \\ \frac{\beta_{\text{fp}}}{\beta_{\text{mem}}} &\simeq \frac{l_{\text{fp}}}{l_{\text{mem}}} = \text{AI} \quad \text{Arithmetic Intensity}\end{aligned}$$

- Unbalanced cases
 - $\text{AI} < \beta_{\text{fp}}/\beta_{\text{mem}} \Rightarrow$ **memory bandwidth limited**
 - $\text{AI} > \beta_{\text{fp}}/\beta_{\text{mem}} \Rightarrow$ **compute performance limited**

Roofline Model

Attainable performance

$$b_{\text{fp}} < \frac{l_{\text{fp}}}{\max(\Delta t_{\text{fp}}, \Delta t_{\text{mem}})} \simeq \min(\beta_{\text{fp}}, \text{AI} \cdot \beta_{\text{mem}})$$

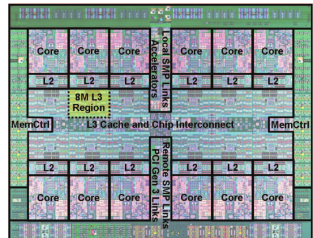


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Part II: IBM POWER8 Processor

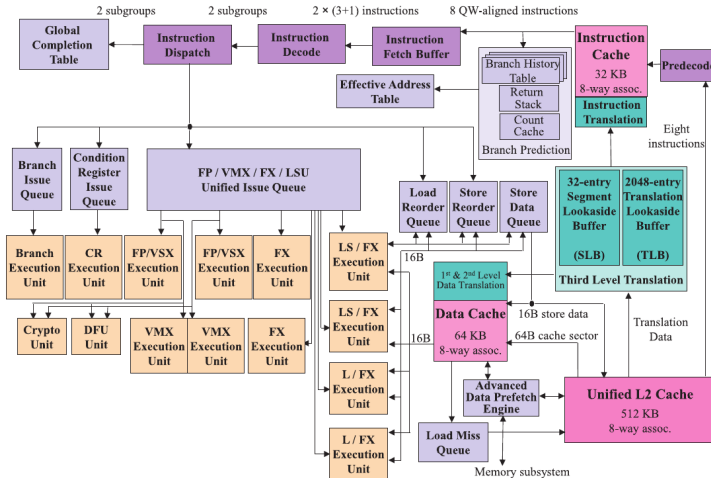
POWER8 Overview

- Introduced in 2014 using 22nm technology
- POWER v2.07 ISA
- Up to 12 cores, frequency 2.5-5.0 GHz
- Core performance figures
 - Double precision floating-point arithmetics:
 $2 \cdot 2 \text{ FMA/cycle} = 8 \text{ Flop/cycle}$
 - Load from L1 or L2:
 $4 \cdot 16 \text{ Byte/cycle}$
 - Store to L1 or L2:
 16 Byte/cycle



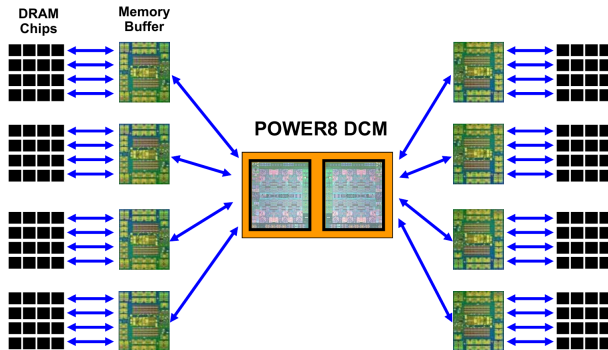
POWER8 Micro-Architecture

[IBM, 2015]



POWER8 Memory Subsystem

[IBM, 2014]



Memory buffer features:

- 4 DRAM interfaces, 16 MiByte L4 buffer cache
- 2+1 Byte link to+from processor, 9.6 Gbit/s data rate

POWER8 Memory Hierarchy

- Cache line size = 128 Byte
- L1 data cache
 - 64 kByte, 8-way set associative
 - Write update policy: store-through
 - Core private
- L2 data cache
 - 512 kByte, 8-way set associative
 - Fully inclusive of the L1 cache
 - Core private
- L3 data cache
 - 8 MByte region per core, 8-way set associative
 - Victim cache, not inclusive of the L2 cache
 - Accessible from other cores

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Part III: NVIDIA P100 GPU

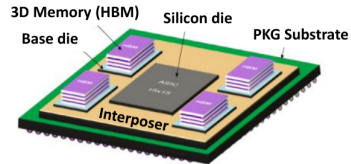
Pascal Architecture Overview

- Introduced in 2016 using 16 nm and 14 nm
- Up to 56 Streaming Multiprocessors (SM)
- SM performance figures
 - 32 FP64 CUDA “cores”
 - 64 Flop/cycle

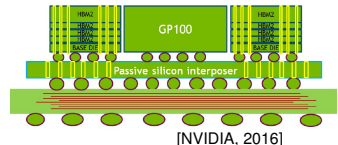


P100 Memory Subsystem

- In-package HBM2 memory
 - 4 memory stacks, 4 GByte/stack
 - Very wide bus (2 · 512 bit) and relative low data rate (1.43 Gbit/s)
 - Aggregate bandwidth: 732 GByte/s
- On-chip memory
 - Aggregate register file size: 256 kByte/SM
 - L1 cache: coalescing buffer for memory accesses
 - Shared memory: 64 kByte/SM
 - L2 cache: 4096 kByte



[H. Jun (SK Hynix), 2013]

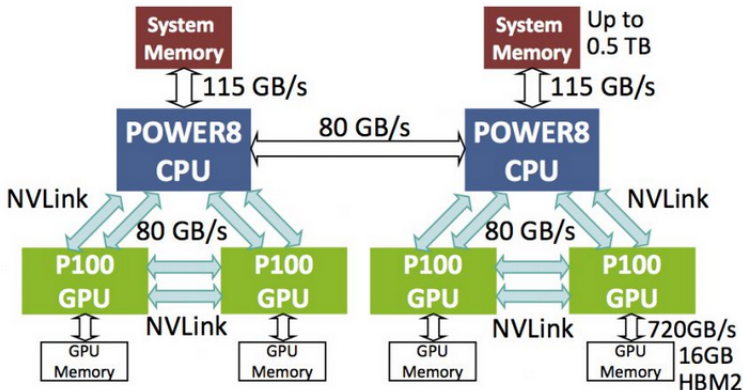


[NVIDIA, 2016]

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Part IV: Minsky Platform

Minsky Platform: Details



Comparison POWER8 vs. P100 on JURON

	POWER8	P100
Number of cores/SMs	10	56
Double-precision Flop/cycle	80	3,584
Clock frequency [GHz]	3.49	1.33
Double-precision GFlop/s	279	4,760
Memory bandwidth read+write [GByte/s]	115.2	720
Balance [Flop/Byte]	2.4	6.6
Number of CPU or GPU	2	4
Aggregate double-precision TFlop/s	0.56	19
Aggregate memory bandwidth [GByte/s]	230	2880
Aggregate memory capacity [GByte]	256	64

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Part V: Use Case

The Poisson Equation

- Poisson equation in 2 dimensions:

$$-\frac{\partial^2 v(x, y)}{\partial x^2} - \frac{\partial^2 v(x, y)}{\partial y^2} = f(x, y)$$

- Discretisation of 2nd-order derivative

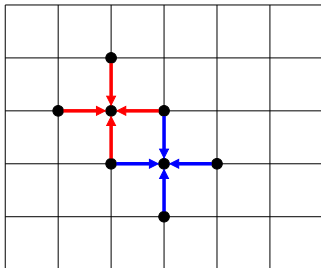
$$-\frac{\partial^2 v(x, y)}{\partial x^2} \leftarrow \frac{2v_{i,j} - v_{i-1,j} - v_{i+1,j}}{h^2}$$

- Discrete Poisson equation in 2 dimensions:

$$T v = h^2 f \quad \text{where} \quad T = \begin{pmatrix} 4 & -1 & 0 & \dots \\ -1 & 4 & -1 & \dots \\ \vdots & \vdots & \ddots & \end{pmatrix}$$

Discrete Poisson Equation: Data Locality

Graphical representation of $T v$:



Observations:

- Matrix T acts as a stencil operator
- Any element of vector v is reused 4 times

Jacobi Algorithm

- Algorithm suitable for diagonally dominant systems
- Matrix decomposition: $T = D + R$

$$D = \begin{pmatrix} t_{0,0} & 0 & 0 & \cdots \\ 0 & t_{1,1} & 0 & \cdots \\ \vdots & \vdots & \ddots & \end{pmatrix}, \quad R = \begin{pmatrix} 0 & t_{0,1} & t_{0,2} & \cdots \\ t_{1,0} & 0 & t_{1,2} & \cdots \\ \vdots & \vdots & \ddots & \end{pmatrix}$$

- Obtain solution through iterative procedure

$$v^{(k+1)} = D^{-1} \left(h^2 f - R v^{(k)} \right)$$

Jacobi Algorithm Implementation

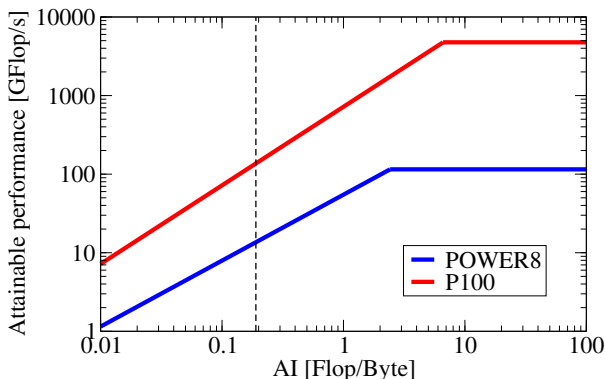
```
for( int iy = 1; iy < ny-1; iy++)
{
    for( int ix = 1; ix < nx-1; ix++ )
    {
        Anew[iy*nx+ix] = -0.25 * (rhs[iy*nx+ix]
            - ( Aref[iy      *nx + ix+1] + Aref[iy      *nx + ix-1] +
              Aref[(iy-1)*nx + ix  ] + Aref[(iy+1)*nx + ix  ] ));
        error = fmaxr(error, fabsr(Anew[iy*nx+ix]-Aref[iy*nx+ix]));
    }
}
```

Information exchange analysis assuming small cache:

- Load of Anew, rhs, Aref: $l_{ld} = n_x \cdot n_y \cdot 3 \cdot 8 \text{ Byte}$
- Store Anew: $l_{st} = n_x \cdot n_y \cdot 1 \cdot 8 \text{ Byte}$
- Floating-point arithmetics: $l_{fp} = n_x \cdot n_y \cdot 6 \text{ Flop}$

Jacobi on POWER8/P100: Roofline Analysis

$$AI = I_{fp}/(I_{ld} + I_{st}) = 0.19 \text{ Flop/Byte}$$



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Part VI: Summary

Summary

- Approach for systematic performance analysis and modelling based on Information Exchange introduced
- Minsky as a first generation of node architectures for supercomputers based on
 - POWER8 processors
 - P100 GPUs
- Introduced use case for today: Solving 2-dimensional Poisson equation using Jacobi solver
 - Memory bandwidth limited application
 - Roofline model defines upper performance limit