



SEARCHES FOR ELECTRIC DIPOLE MOMENTS (EDM) AT A STORAGE RING WITH JEDI

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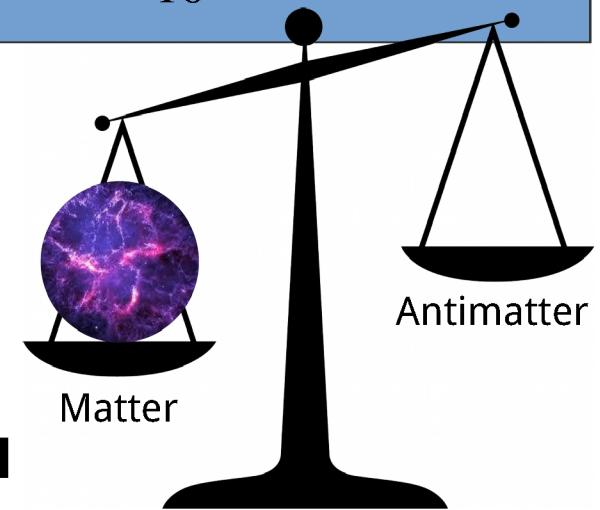
MOTIVATION

Baryon Asymmetry Problem

Baryon Asymmetry	Observation	Standard Cosmological Model
$(N_B - N_{\bar{B}}) / N_\gamma$	6×10^{-10}	$\sim 10^{-18}$

Preconditions needed to explain it (Sakharov):

- **C and CP violation**
- Baryon number violation
- Thermal non-equilibrium in the early Universe



CP violation in Standard Model

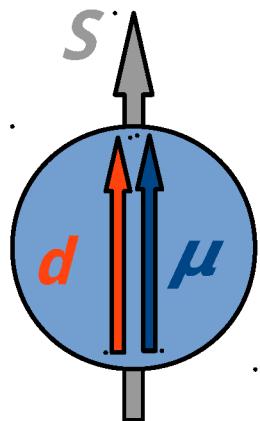
- **Electroweak sector** (CKM matrix well established)
- **Strong interactions** (θ -term, strong- CP puzzle)

Predictions orders of magnitude **too small** to explain the asymmetry!

New sources of CP violation can be seen in EDM of particles

ELECTRIC DIPOLE MOMENT

\mathcal{CP} -symmetry violation



$$\vec{d} = \eta \cdot \frac{q}{2mc} \vec{S}$$

$$\vec{\mu} = g \cdot \frac{q}{2m} \vec{S}$$

Pseudo vectors

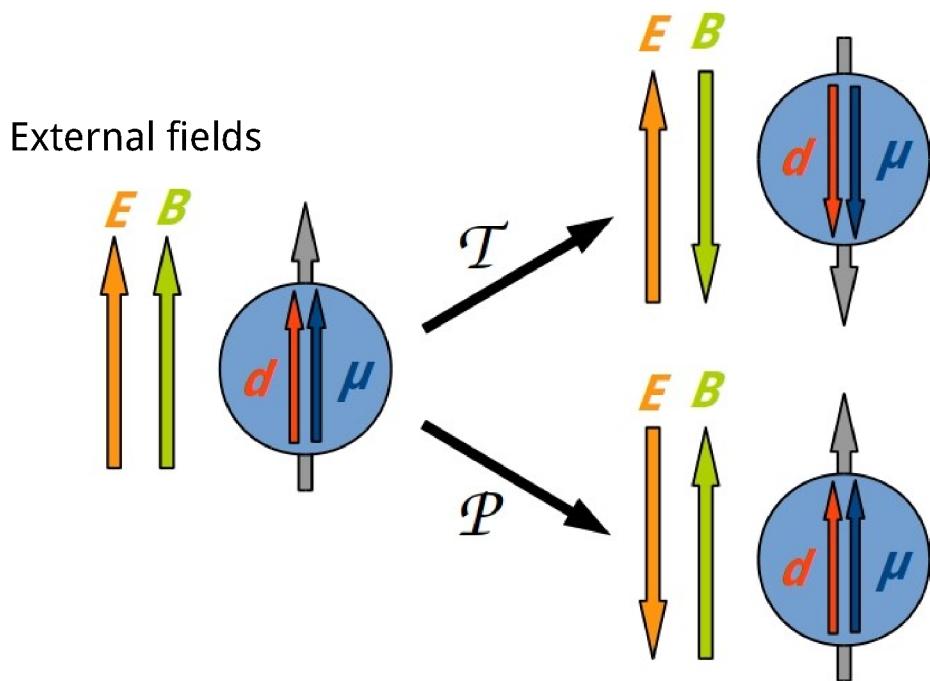
The observable quantity - Energy:

- of electric dipole in electric field
- of magnetic dipole in magnetic field

$$H = H_M + H_E = -\vec{\mu} \cdot \vec{B} - \vec{d} \cdot \vec{E}$$

$$P : H = -\vec{\mu} \cdot \vec{B} + \vec{d} \cdot \vec{E}$$

$$T : H = -\vec{\mu} \cdot \vec{B} + \vec{d} \cdot \vec{E}$$



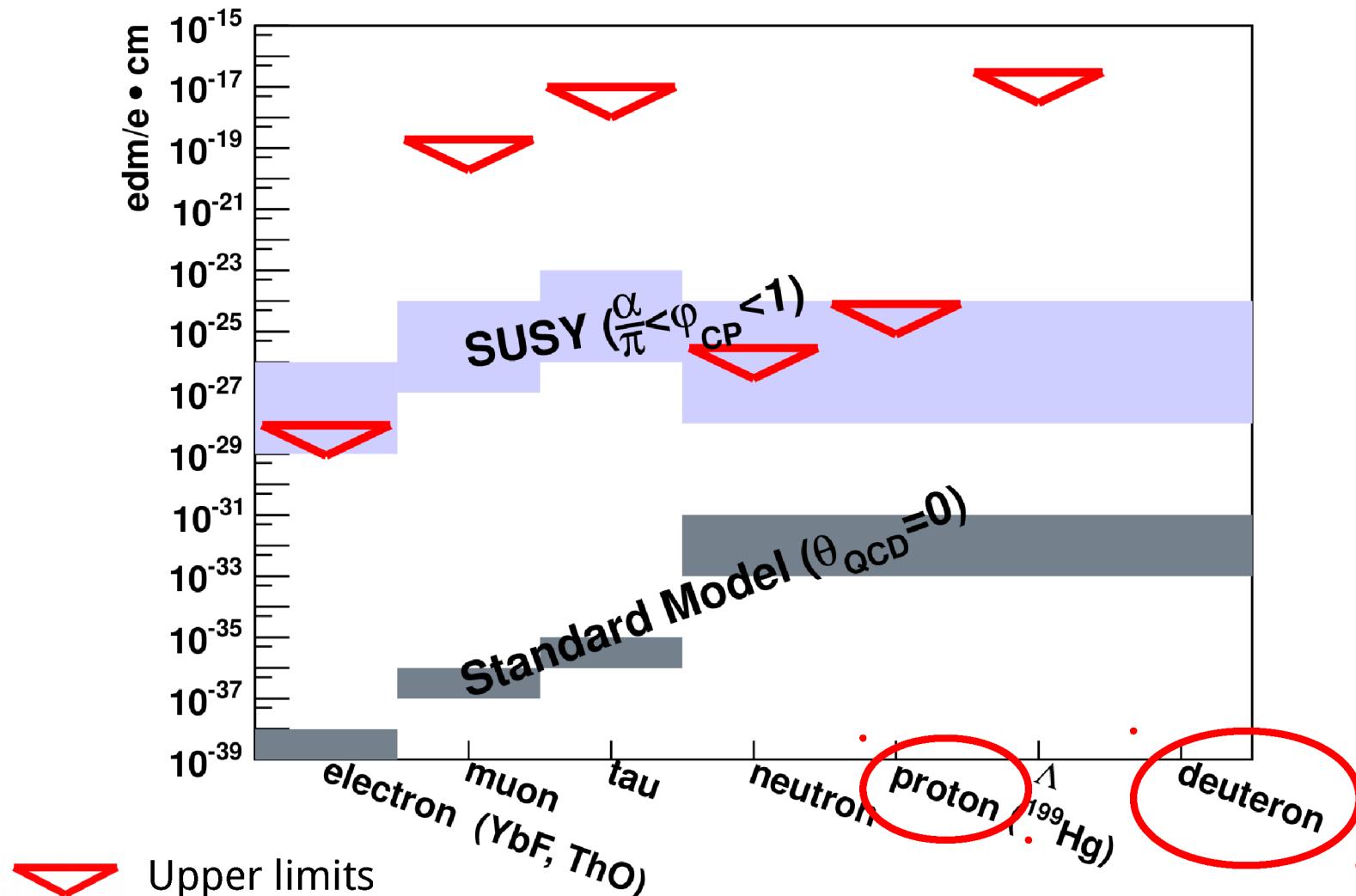
H violates T and P -symmetry if $d \neq 0$

\downarrow
 T violation

\downarrow
 \mathcal{CP} violation (\mathcal{CPT} conserved)

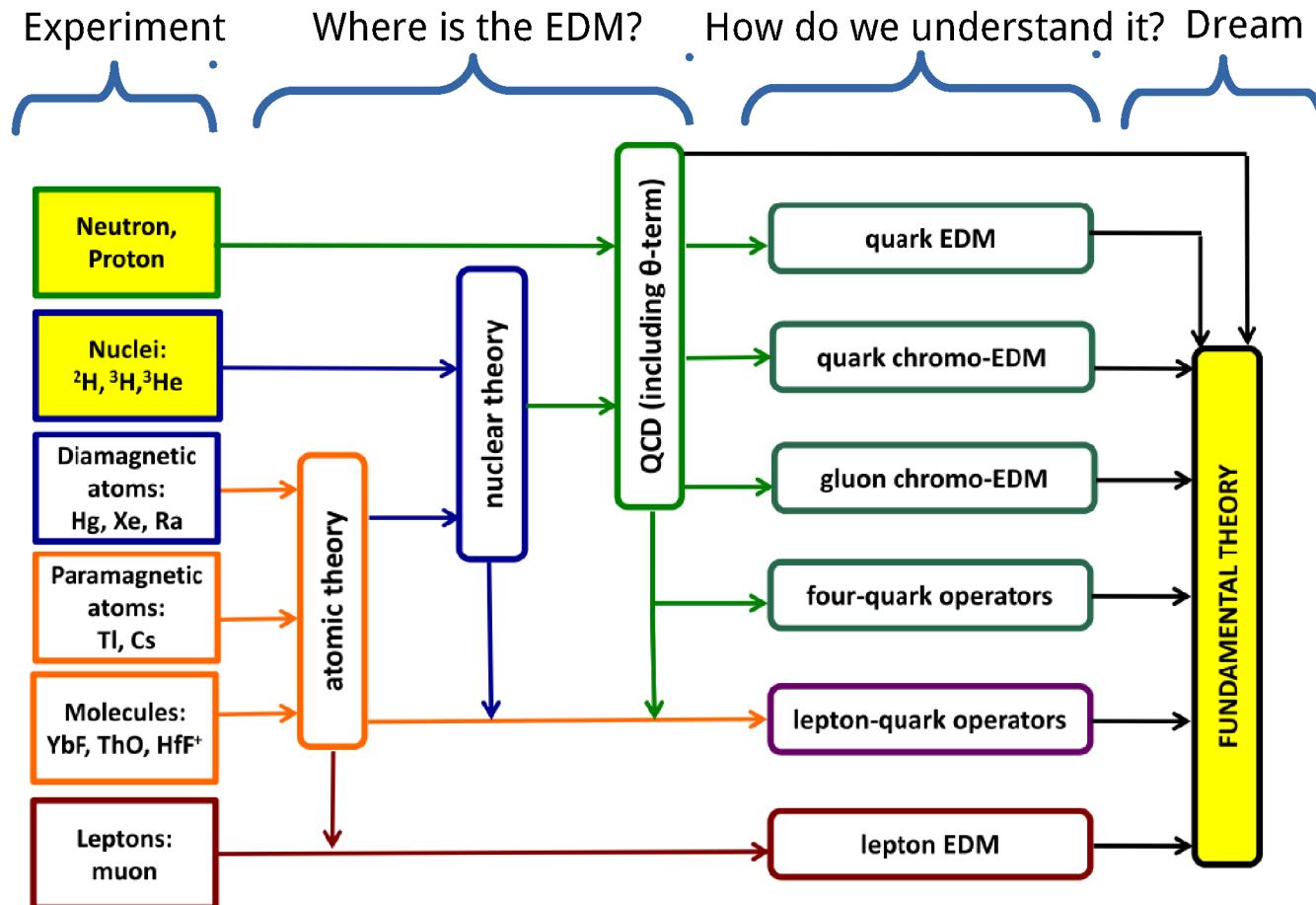
ELECTRIC DIPOLE MOMENT

Current limits



MOTIVATION

Disentanglement the fundamental source(s) of EDMs

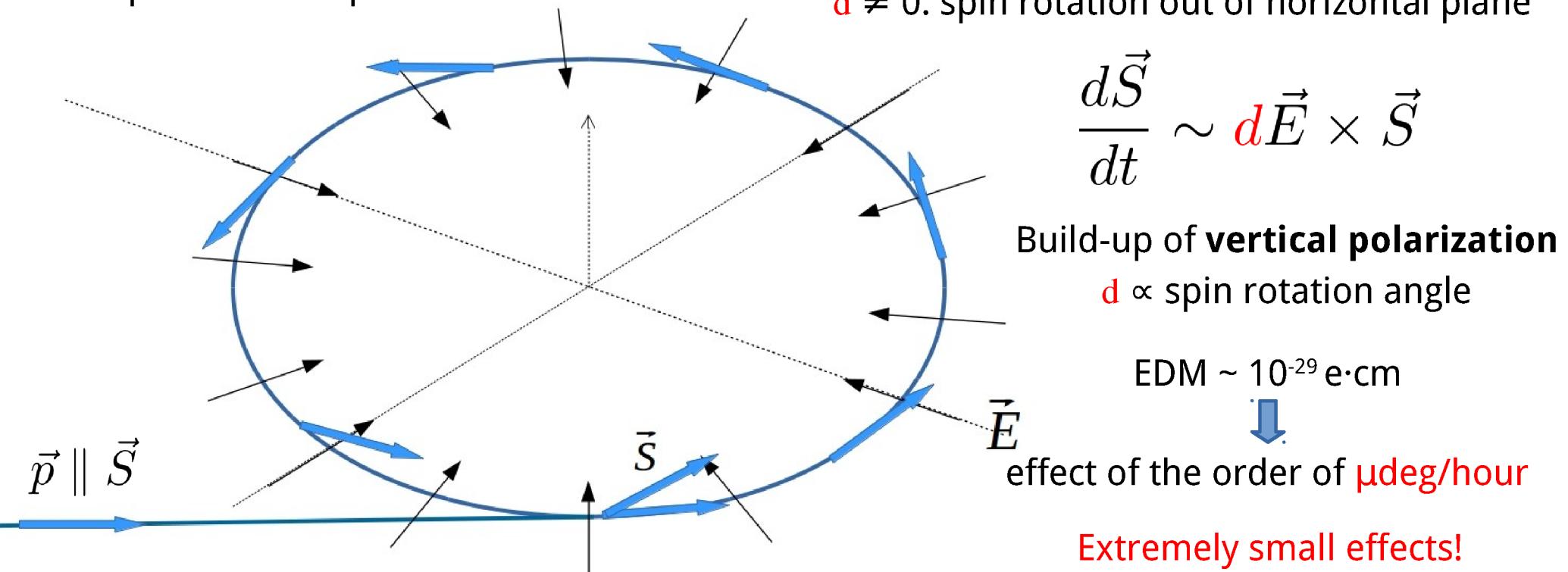


PRINCIPLE OF EDM MEASUREMENT

Charged Particles in a Storage Ring

General idea: Observation of **EDM** interaction with **electric field**

Simplified case – pure E field:



“Frozen spin” - Spin parallel to momentum

EXPERIMENTAL REQUIREMENTS

High precision storage ring	alignment, stability, field homogeneity
Polarized hadron beams	$P = 0.8$
High intensity beams	$N = 4 \times 10^{10}$ per fill
Large electric fields	$E = 10 \text{ MV/m}$
Long spin coherence time	$\tau = 1000 \text{ s}$
Polarimetry	analyzing power $A = 0.6$, acc. $f = 0.005$

$$\sigma_{\text{stat}} \approx \frac{1}{\sqrt{Nf\tau PAE}} \Rightarrow \sigma_{\text{stat}}(1 \text{ year}) \approx 10^{-29} \text{ ecm}$$

Challenge: systematic uncertainties on the same level!

Even in Pure Electric Ring – lots of sources of systematic uncertainties
Very small radial B field can mimic an EDM effect: $\mu B_r \sim dE_r$

STORAGE RING EDM MEASUREMENTS

- Only EDM storage ring measurement:
muon (parasitic measurement to g-2)
- **Cooler Synchrotron COSY**
at Forschungszentrum Jülich, Germany
 - ✓ magnetic storage ring
 - ✓ polarized proton and deuteron beams
up to 3 GeV/c



Ideal **starting point** for
proof of principle experiment

EDMs of charged hadrons: p, d

R&D with deuterons

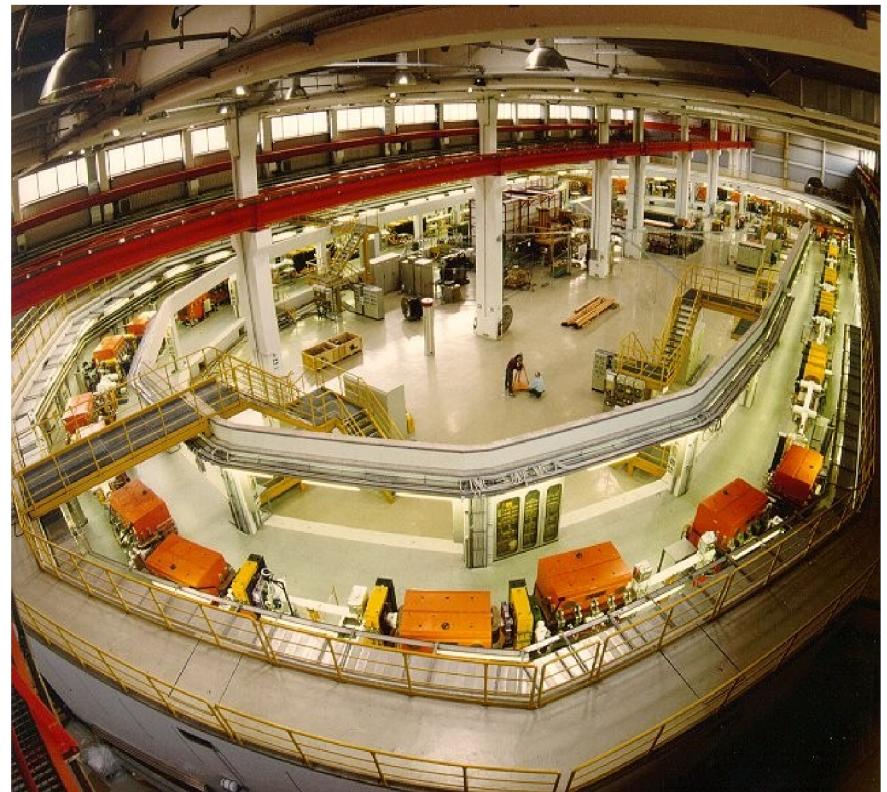
$$p = 1 \text{ GeV/c}$$

$$G = -0.14256177(72)$$

$$f_s \approx 120 \text{ kHz}$$

$$f_{\text{rev}} \approx 750 \text{ kHz}$$

$$\nu_s = \frac{\text{spin revolutions}}{\text{turn}} \approx G\gamma \approx -0.16$$

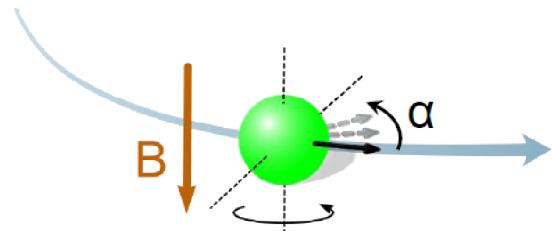


SPIN IN PURELY MAGNETIC RING

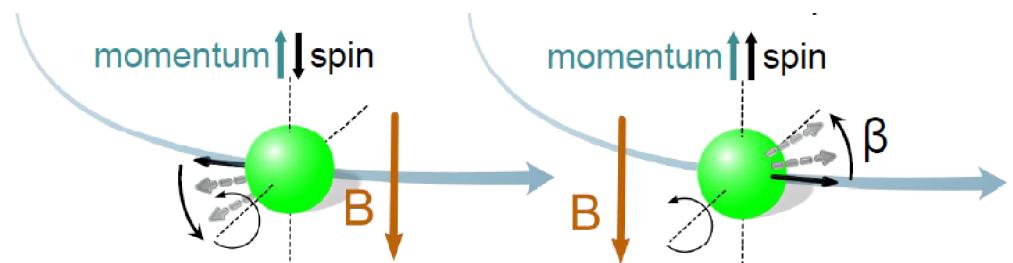
Thomas-BMT equation:

In storage rings (magnetic field – vertical, electric field - radial)

$$\frac{d\vec{S}}{dt} = \vec{\Omega} \times \vec{S} = -\frac{q}{m_0} \left\{ G\vec{B} + \left(\frac{1}{\gamma^2 - 1} - G \right) \frac{\vec{\beta} \times \vec{E}}{c} + d \frac{m_0}{q\hbar S} (\vec{E} + c\vec{\beta} \times \vec{B}) \right\} \times \vec{S}$$



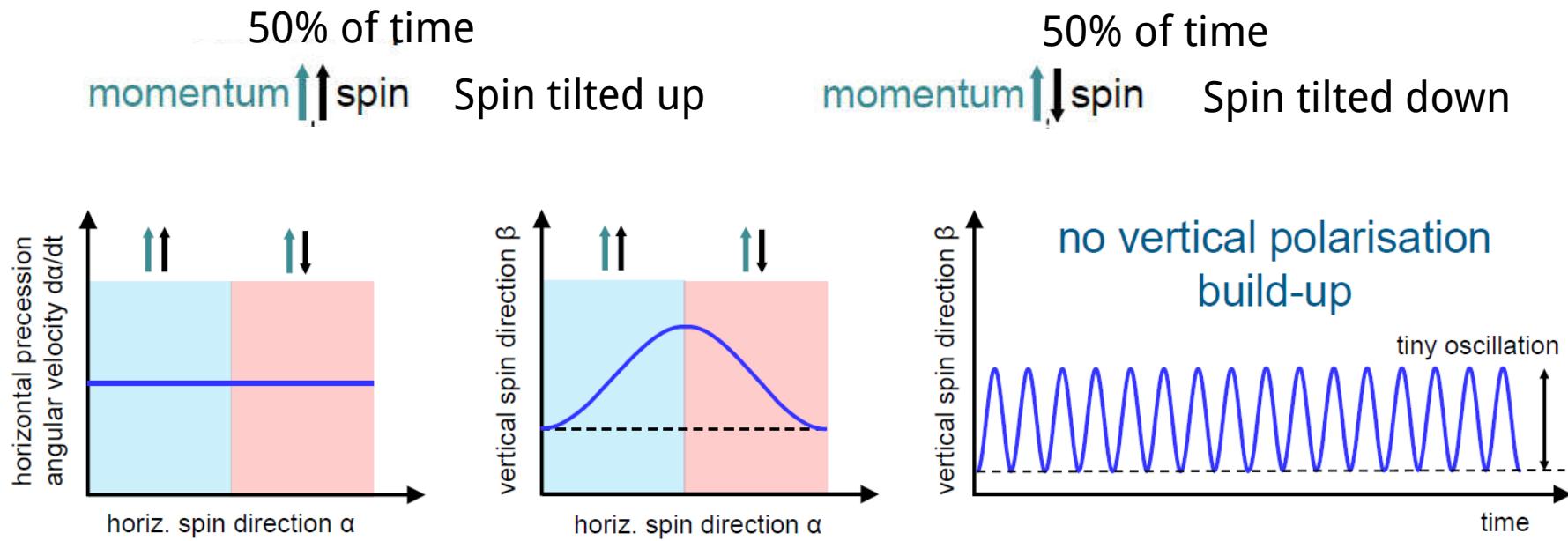
Magnetic dipole moment



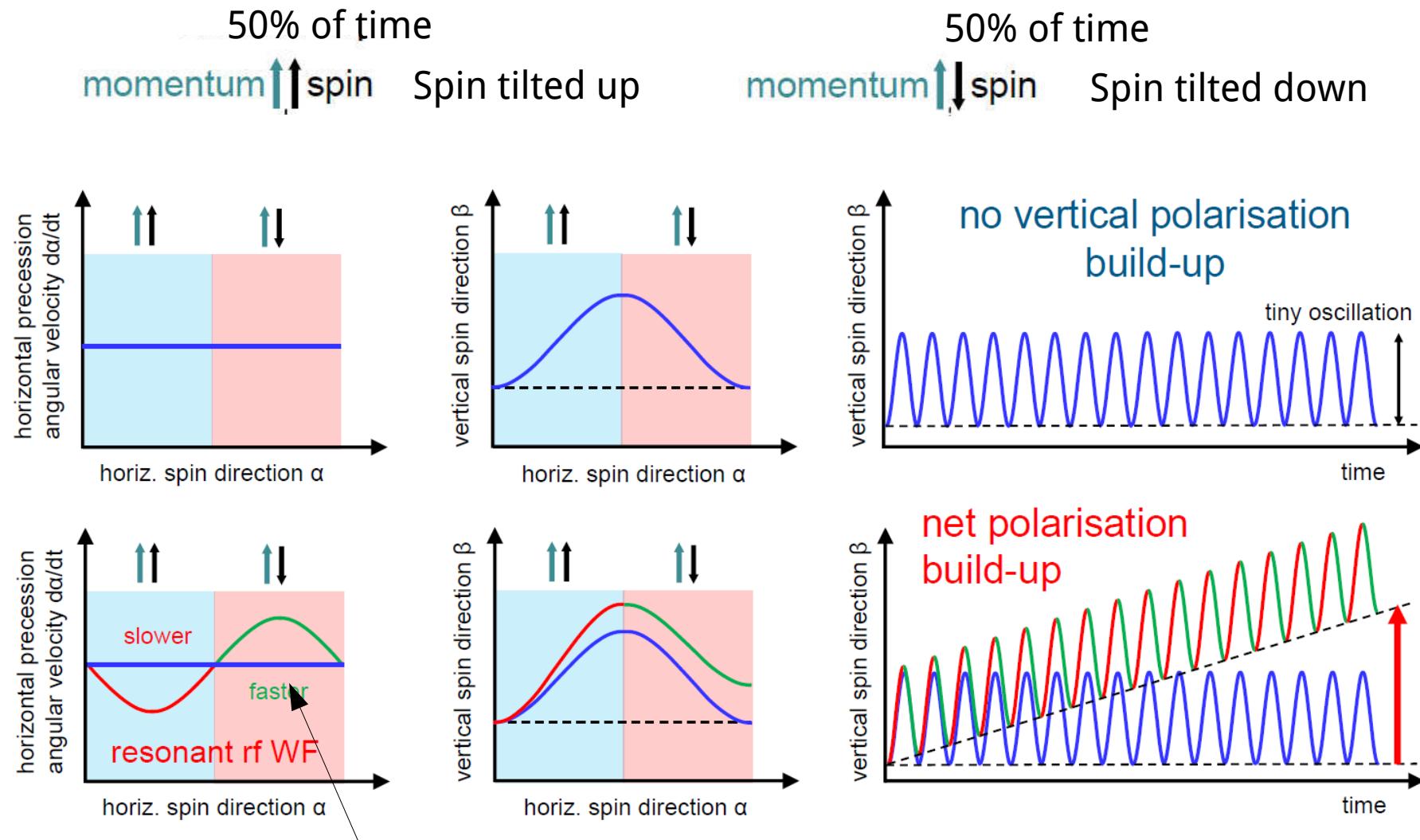
Electric dipole moment

MDM causes fast spin precession in horizontal plane
EDM causes small vertical polarization buildup oscillating up and down

SPIN IN PURELY MAGNETIC RING

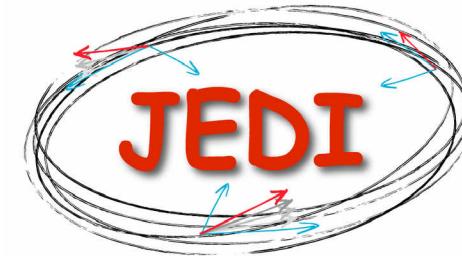


SPIN IN PURELY MAGNETIC RING



Wien Filter has to be always **in phase** with the horizontal spin precession!

ACTIVITY AT COSY



Jülich Electric Dipole moment Investigations (JEDI)

- Precise determination of spin tune

Phys. Rev. Lett. 115, 094801 (2015)

- Spin coherence time

Phys. Rev. Lett. 117, 054801 (2016)

- Phase lock of spin precession

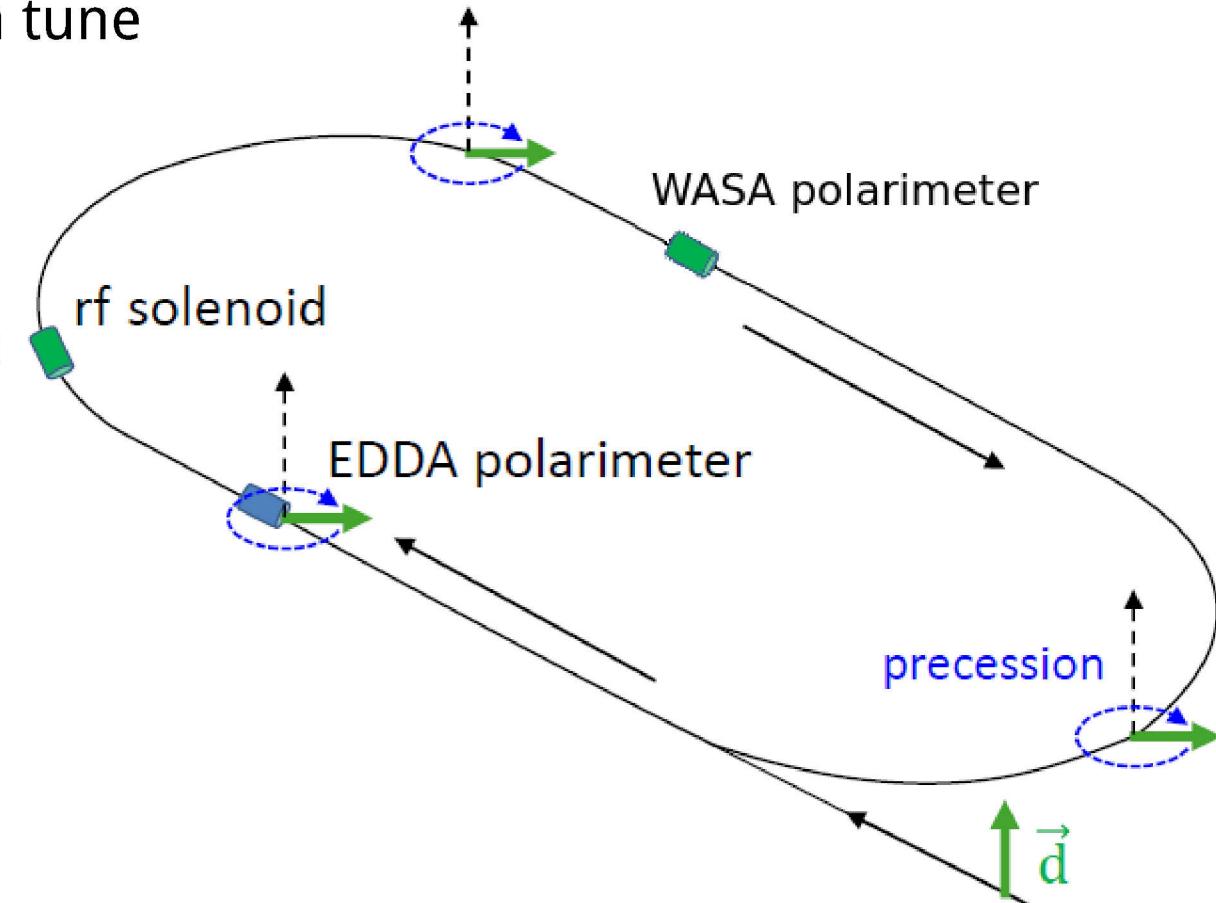
Phys. Rev. Lett. 119, 014801 (2017)

- Wien filter commissioning

- Polarimetry development

- Beam instrumentation

- Spin-tracking simulations

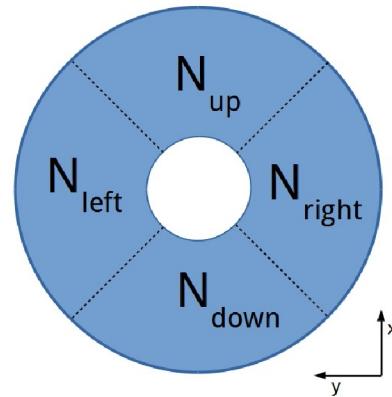


<http://collaborations.fz-juelich.de/ikp/jedi/>

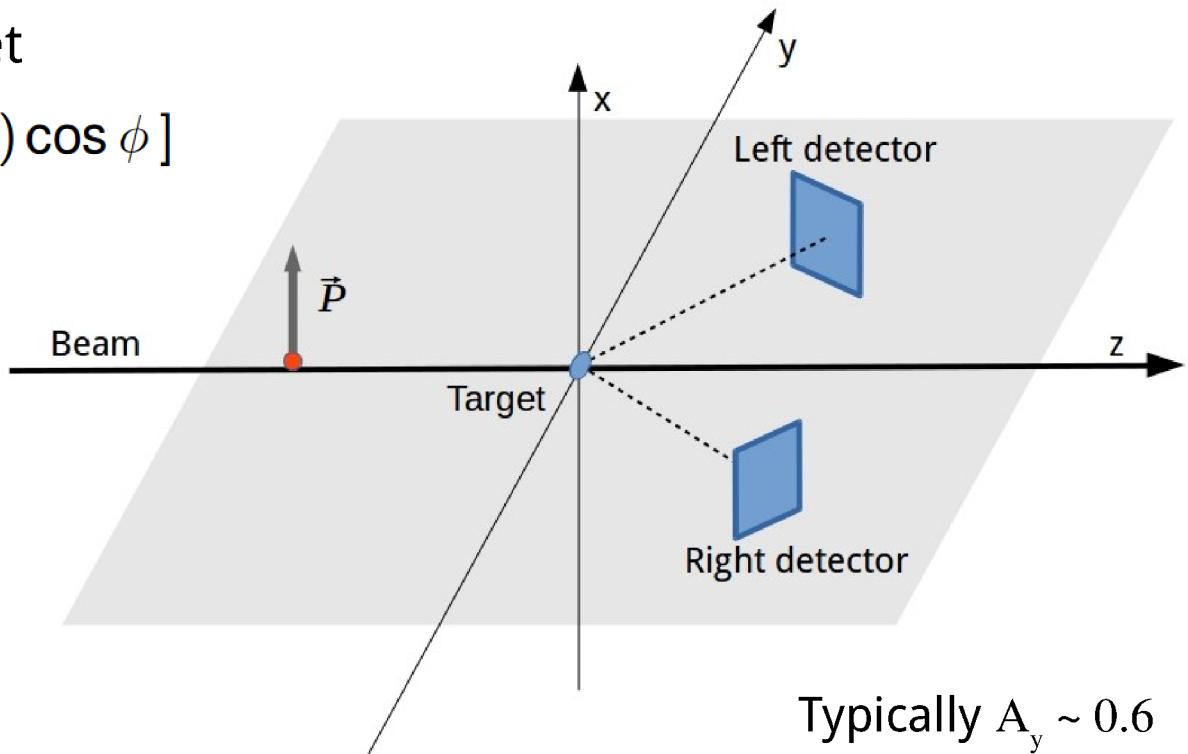
POLARIZATION MEASUREMENT

Scattering from Carbon target

$$\sigma^{pol}(\theta, \phi) = \sigma_0(\theta)[1 + \frac{3}{2}PA_y(\theta) \cos \phi]$$



2π detector - "beam" view



Typically $A_y \sim 0.6$

Right/Left asymmetry \propto vertical component of polarization P_y

$$\epsilon_{LR} = \frac{N_L - N_R}{N_L + N_R} = P_y A_y \quad \rightarrow \text{EDM signal appears here}$$

Up/Down asymmetry \propto horizontal component of polarization P_x

$$\epsilon_{UD} = \frac{N_U - N_D}{N_U + N_D} = P_x A_y \quad \rightarrow \text{Needed to maintain "frozen spin" condition}$$

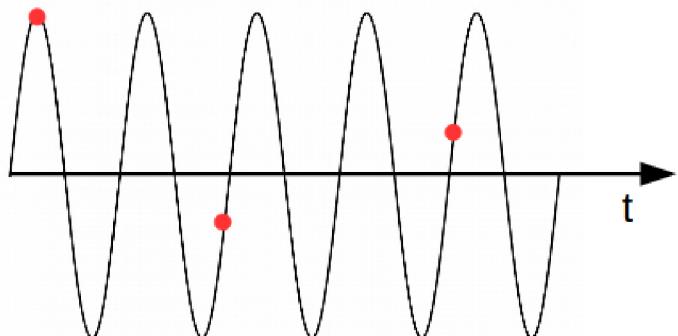
POLARIZATION MEASUREMENT

$$\nu_s = \frac{\text{spin revolutions}}{\text{turn}} \approx G\gamma \approx -0.16 \quad \text{Deuteron spin precesses with } \sim 120 \text{ kHz!}$$

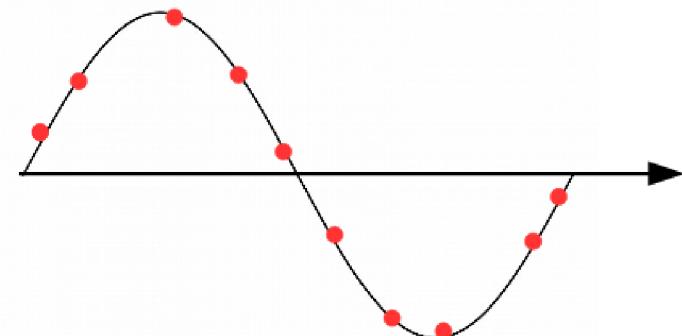
Detector signal and measured asymmetry oscillates

$$\epsilon_{UD} = \frac{N_U - N_D}{N_U + N_D} = P_x A_y \sin(2\pi \cdot f_{\text{prec}} t) = P_x A_y \sin(2\pi \cdot \nu_s n_{\text{turn}})$$

With event rates $\sim 5000 \text{ s}^{-1}$ we have $\sim 1 \text{ hit / 25 precessions}$



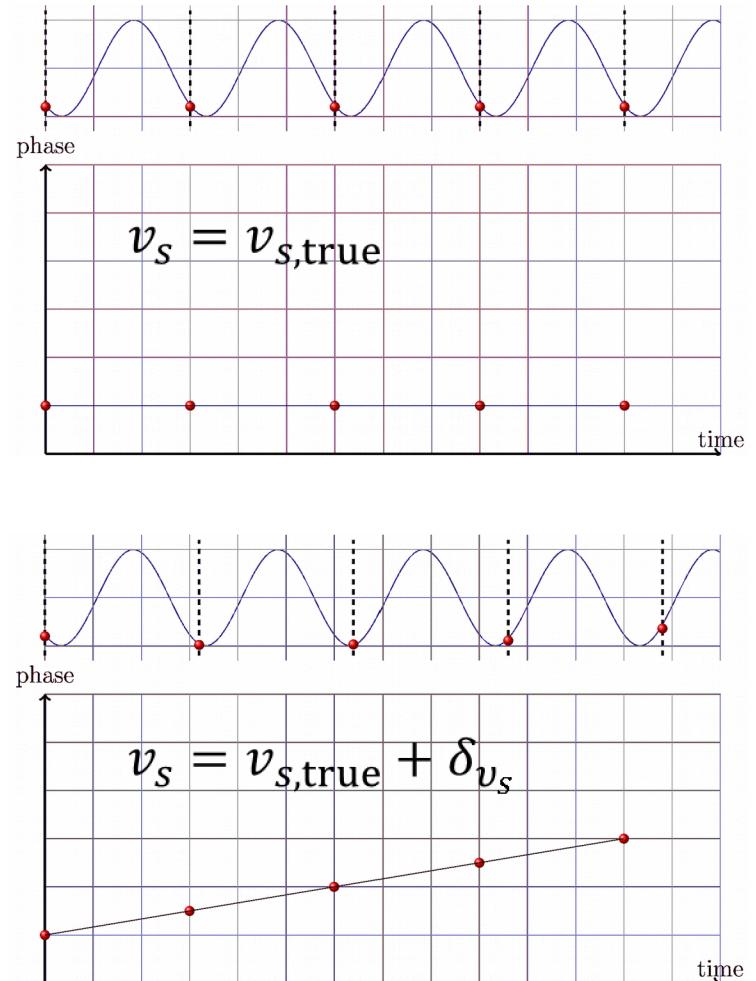
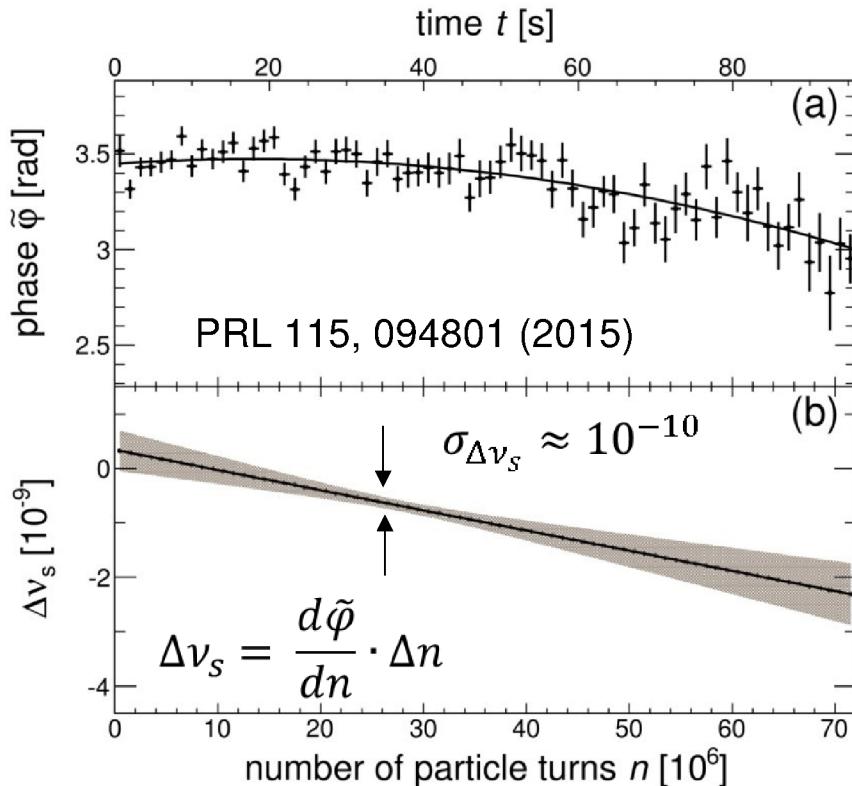
Too few polarimeter events to resolve oscillation directly!



Map events to one cycle
Phys. Rev. ST Accel. Beams 17, 052803 (2014)

PRECISE SPIN TUNE MEASUREMENT

Monitoring phase of asymmetry with fixed spin tune



Relative precision:

Muon (g-2): $\sim 10^{-6}$ Deuteron (JEDI): $\sim 10^{-9}$

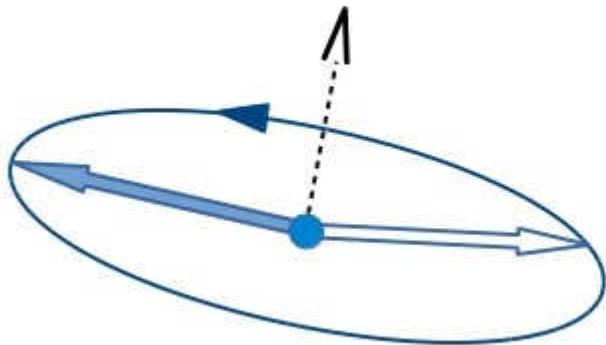
Much longer measurement: 600μs vs 100 s

Precise determination of G impossible:

Ring imperfections → MDM rotations about non-vertical axes

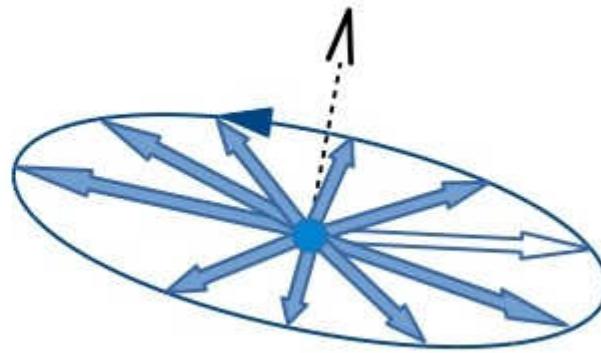
SPIN COHERENCE TIME

Beginning of measurement



All spin vectors aligned

After some time



Spin vectors all out of phase

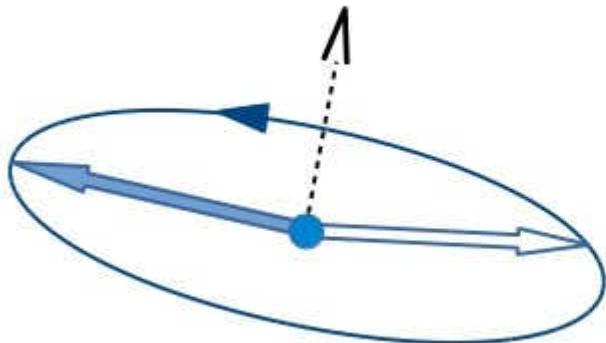
Polarization vanishes



measurement time limited

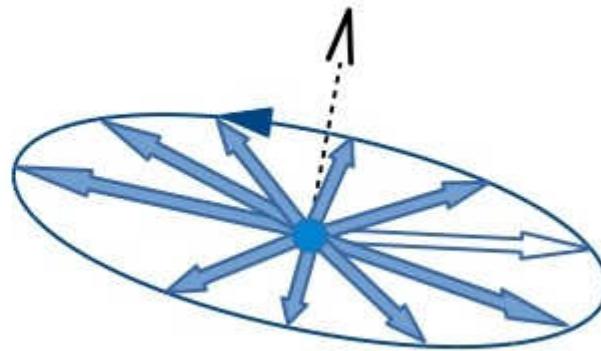
SPIN COHERENCE TIME

Beginning of measurement



All spin vectors aligned

After some time



Spin vectors all out of phase

Polarization vanishes



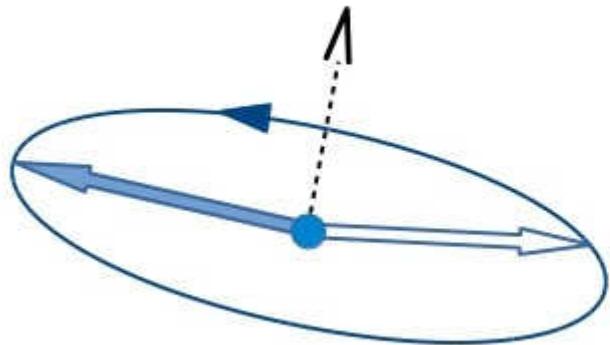
measurement time limited

$$\frac{\Delta\gamma}{\gamma} = \beta^2 \frac{\Delta p}{p} \approx 10^{-4} = \frac{\Delta\nu}{\nu} \Rightarrow \Delta\varphi \approx 60 \text{ rad/s}$$

- unbunched beam: $\frac{\Delta\gamma}{\gamma} \approx 10^{-5} \Rightarrow$ decoherence in < 1s
- bunching: eliminate effects on $\frac{\Delta p}{p}$ in 1st order $\rightarrow \tau \approx 20 \text{ s}$
- correcting higher order effects using sextupoles
and (pre-) cooling $\rightarrow \tau \approx 1000 \text{ s}$

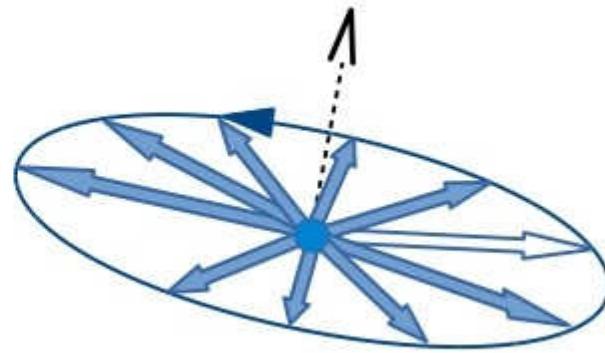
SPIN COHERENCE TIME

Beginning of measurement

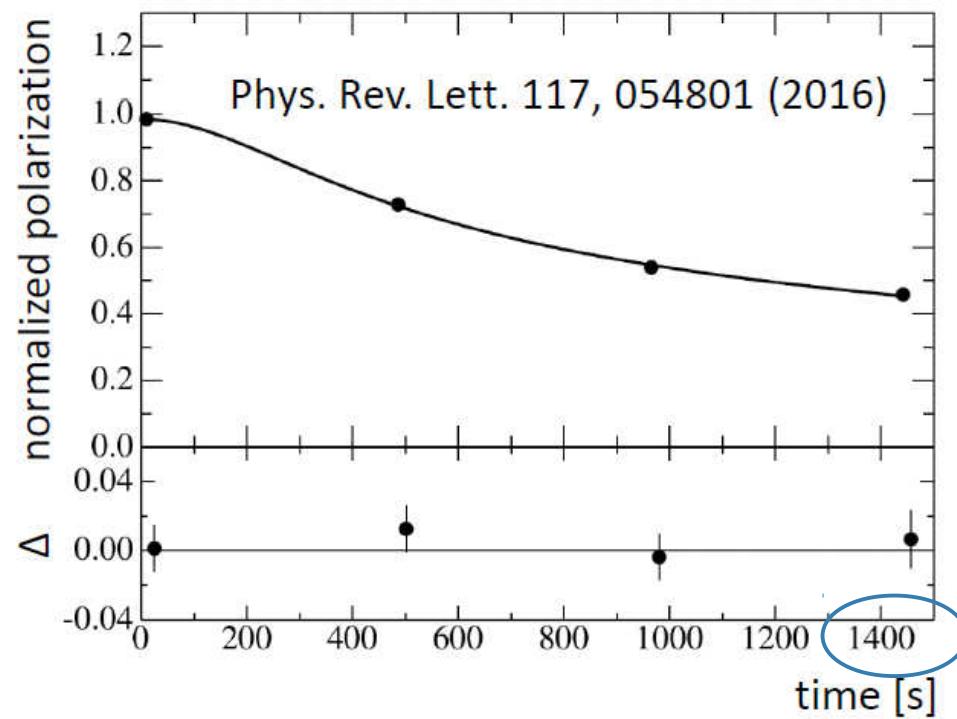


All spin vectors aligned

After > 1000 s



Spin vectors all out of phase



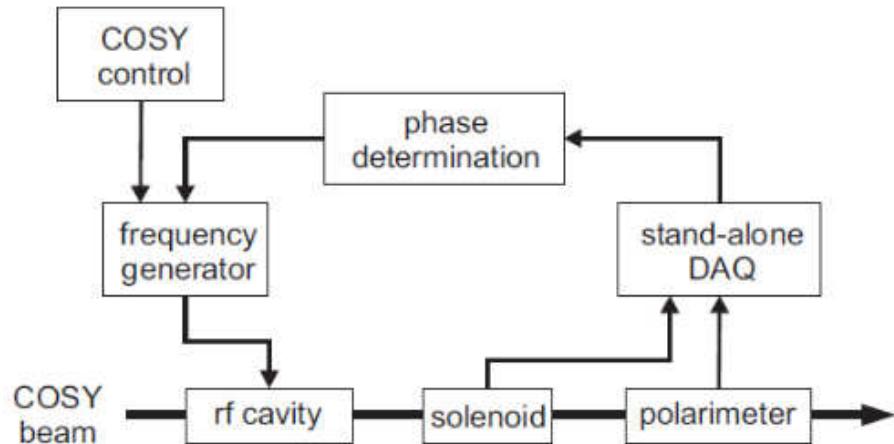
CONTROLLING SPIN DIRECTION

Feedback system

Goal: Maintain **resonance frequency** and **phase** between spin precession and Wien filter

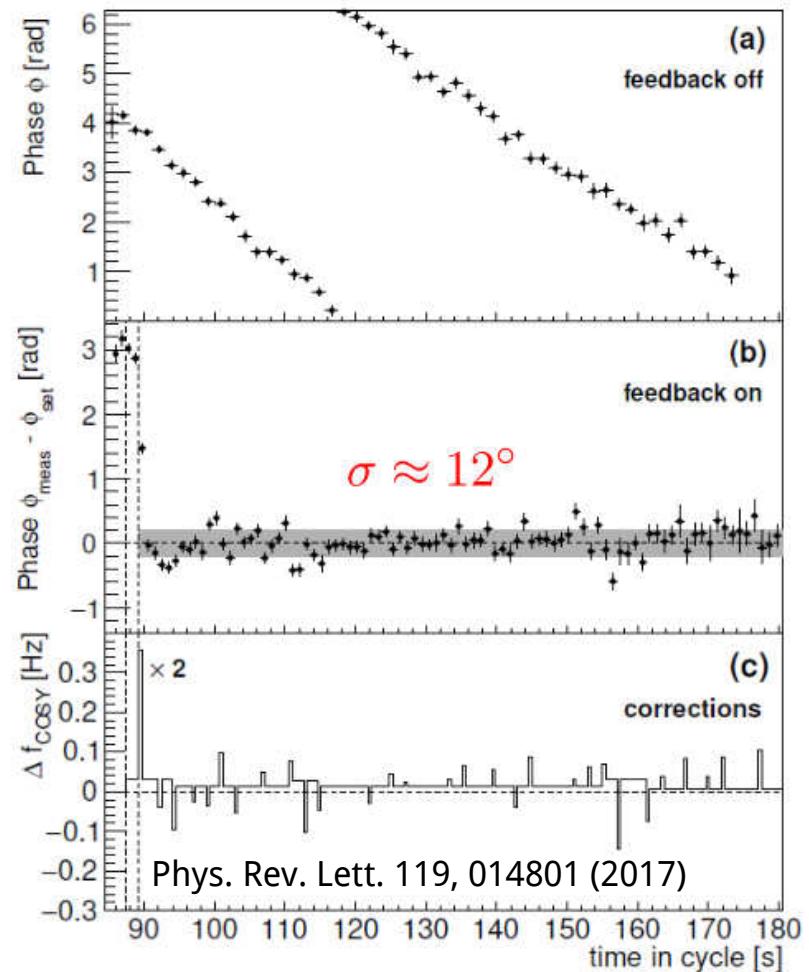
1st test at COSY:

control spin tune via COSY rf: $\nu_s = G\gamma$

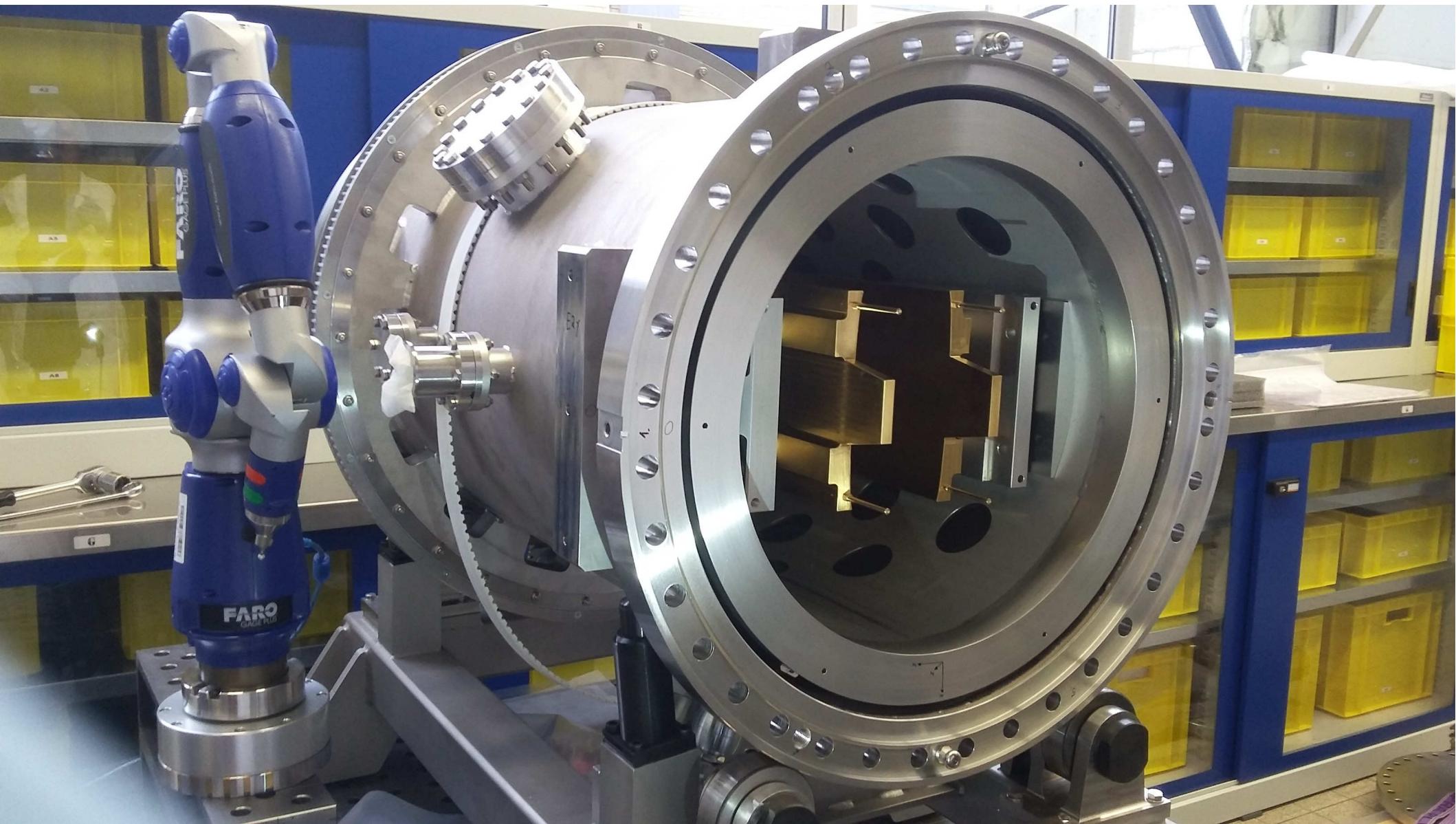


Now:

We change directly Wien filter frequency!

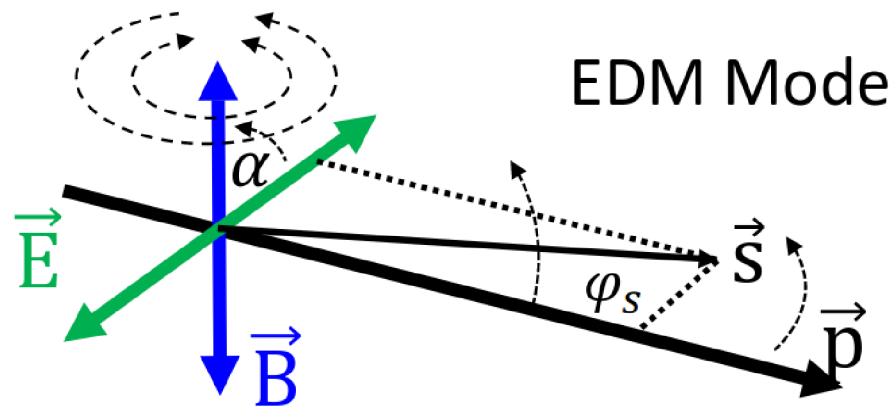


WIEN FILTER COMMISSIONING



WIEN FILTER COMMISSIONING

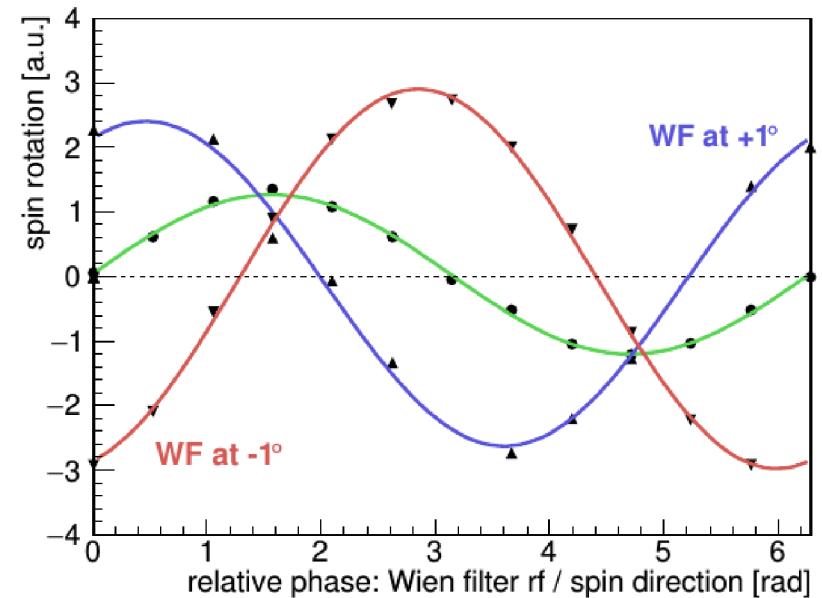
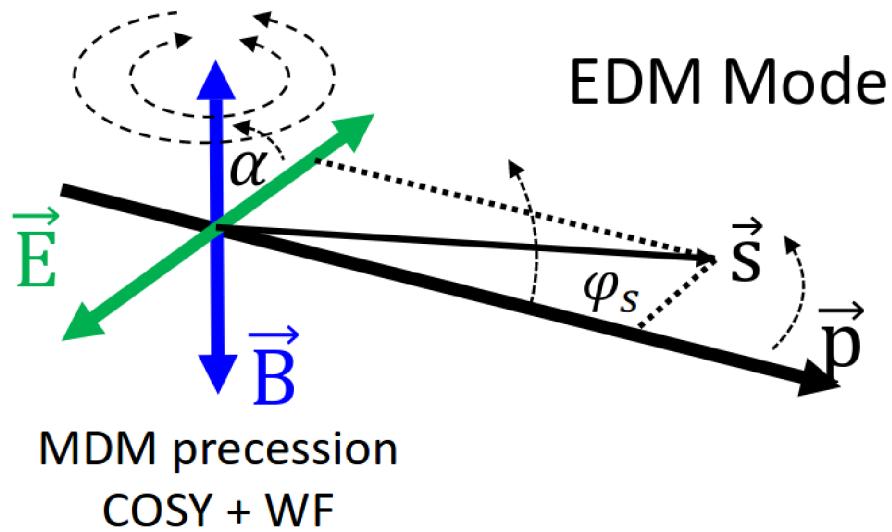
EDM MODE



MDM precession
COSY + WF

WIEN FILTER COMMISSIONING

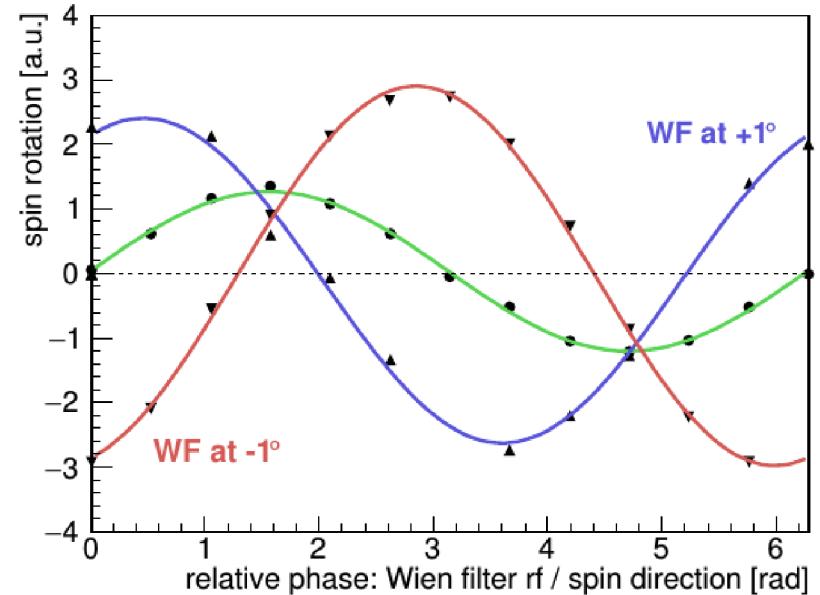
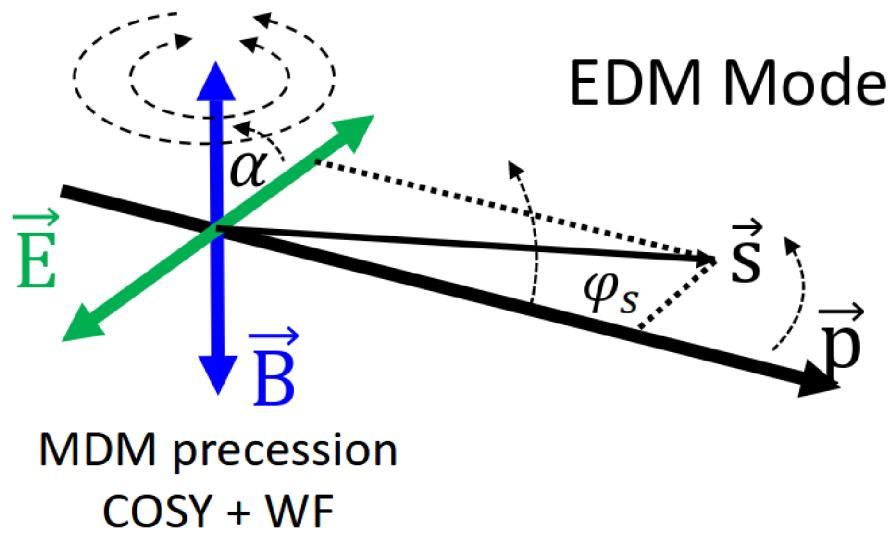
EDM MODE



We see vertical polarization buildup - EDM-like signal

WIEN FILTER COMMISSIONING

EDM MODE



We see vertical polarization buildup - **EDM-like signal**

Two **systematic** contributions:

1. Residual, radial magnetic field from WF

- effect equivalent to WF rotation

2. Field imperfections in COSY

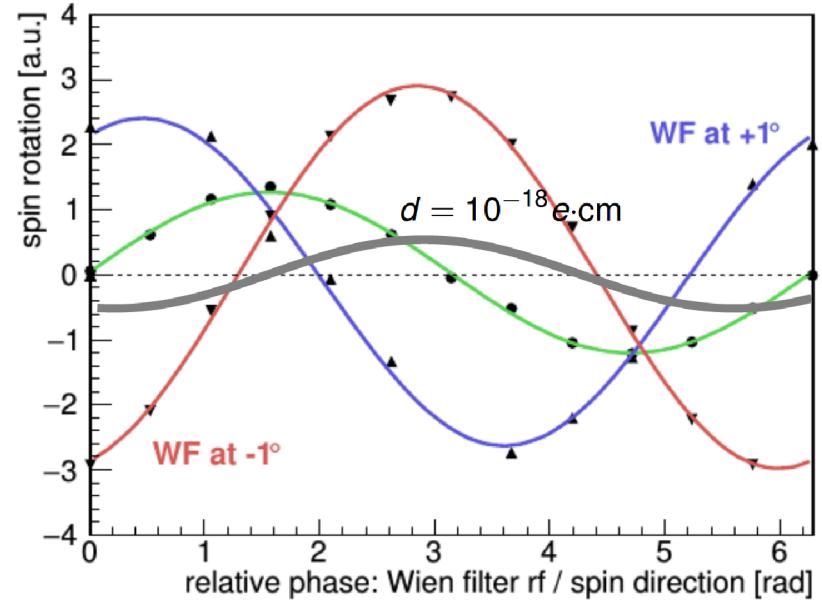
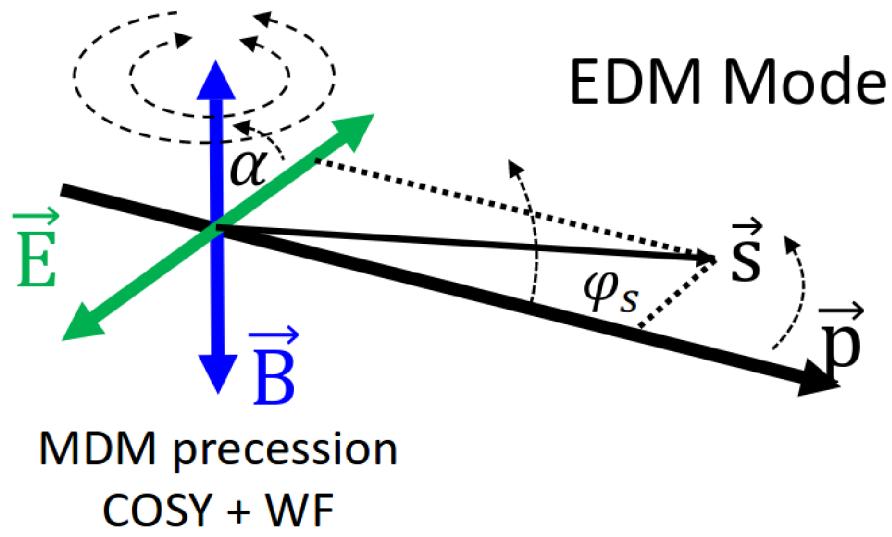
- transverse contribution: equivalent to WF rotation

- longitudinal contribution: equivalent to additional static solenoid field

Stability of COSY conditions within 24 hours

WIEN FILTER COMMISSIONING

EDM MODE



We see vertical polarization buildup - EDM-like signal

Two **systematic** contributions:

1. Residual, radial magnetic field from WF

- effect equivalent to WF rotation

2. Field imperfections in COSY

- transverse contribution: equivalent to WF rotation

- longitudinal contribution: equivalent to additional static solenoid field

Stability of COSY conditions within 24 hours

OUTLOOK



2019

COSY

1st deuteron EDM measurement
Sensitivity: $\sim 10^{-19}$ e·cm

- Proof of principle
- Test deflectors/instrumentation
- Check lifetime
- Test CW/CCW operation
- Test frozen spin (additional B-field at low energy)

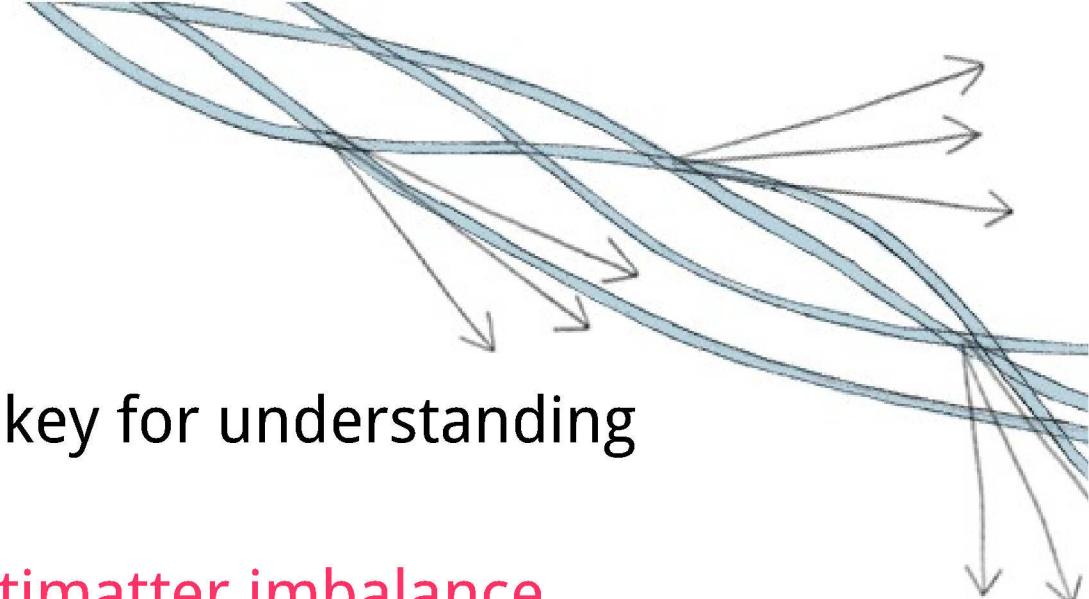
Prototype ring

Highly sensitive EDM measurement

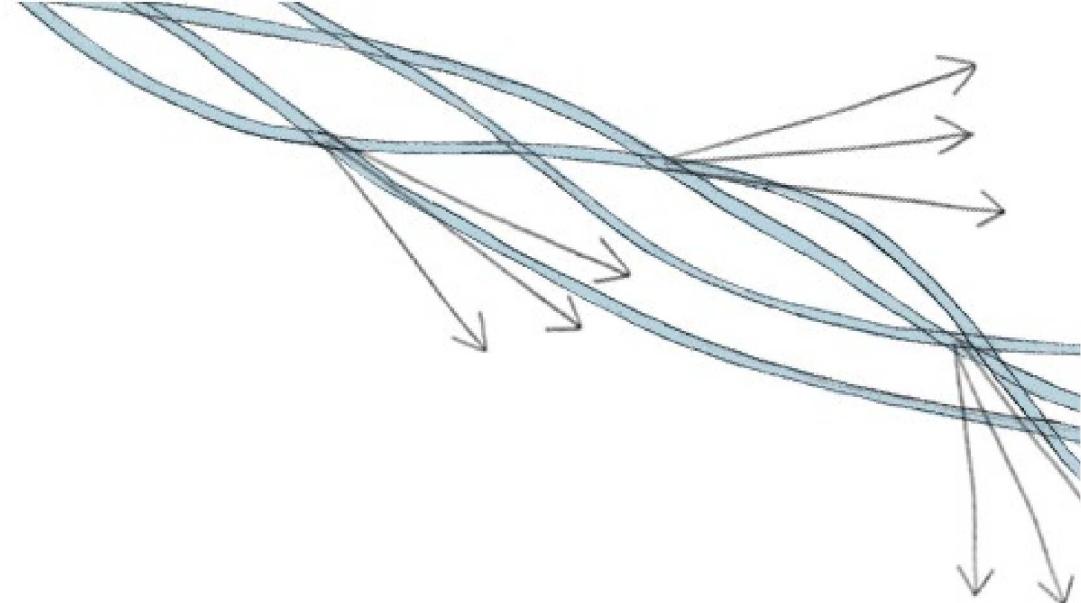
?

Dedicated ring

SUMMARY



- EDMs of elementary particles key for understanding sources of **CP violation**
 - explanation of **matter – antimatter imbalance**
- Extremely ambitious measurement for charged particles
- Preparations for proof-of-principle experiment at COSY
 - Extended R&D program
- First measurement of deuteron EDM in progress

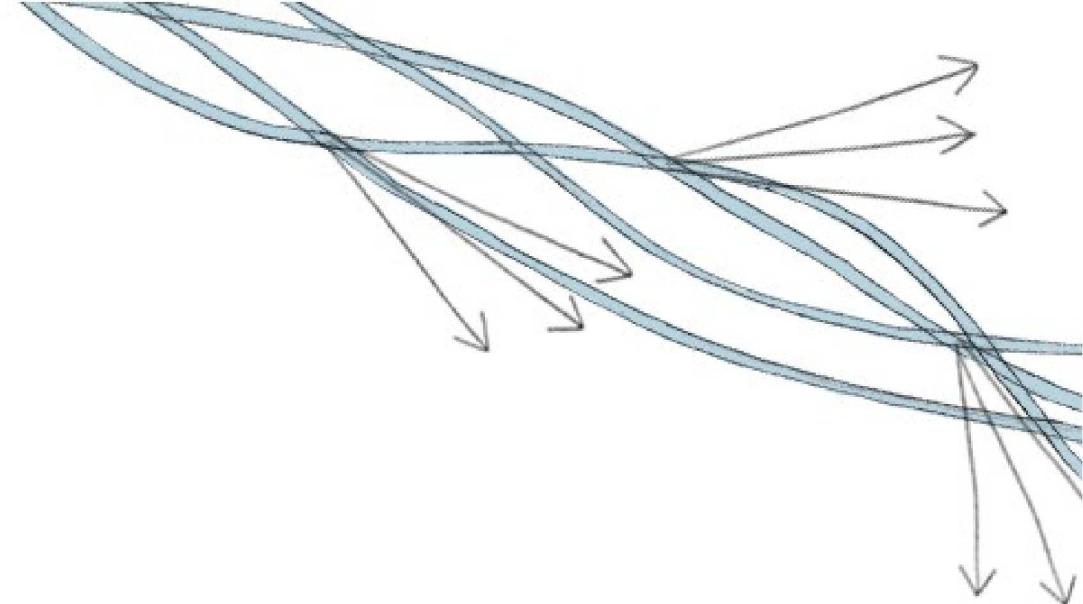


THANK YOU!

<http://collaborations.fz-juelich.de/ikp/jedi/>

 mariakzurek@gmail.com

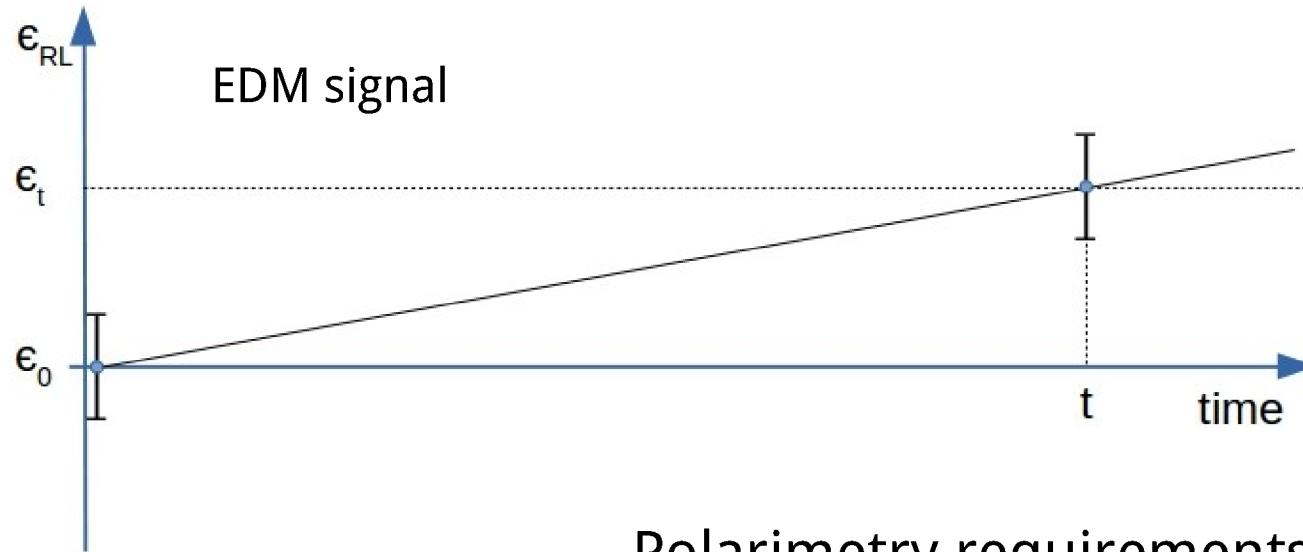
 [@mariakzurek](https://twitter.com/mariakzurek)



BACKUP

POLARIMETRY FOR AN EDM EXPERIMENT

Challenge: measurement of **tiny polarization build-up**



Polarimetry requirements

Long term reproducibility:

→ Continuous measurement for a long time

Minimization of asymmetry error:

→ Maximization of FoM

For proton EDM $\sim 10^{-29} \text{ e}\cdot\text{cm}$
and $\sim 1\text{year}$ of measurement

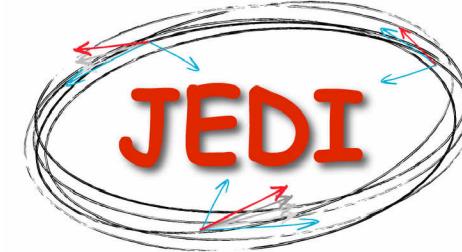
$$\begin{aligned}\Delta\epsilon_{LR} &= \epsilon_t - \epsilon_0 \\ &= \Delta P_y A_y \approx 10^{-6}\end{aligned}$$

Systematics count!

$$\delta\epsilon_{LR}(\text{stat}) \propto \frac{1}{\sqrt{N}|A_y|} = \frac{1}{\sqrt{\text{FoM}}}$$

Figure of Merit
↓
Efficiency ↓
High A_y

ACTIVITY AT COSY



Jülich Electric Dipole moment Investigations (JEDI)

R&D with towards first proof-of-principle EDM experiment
for deuterons and protons

Polarimetry-group activity:

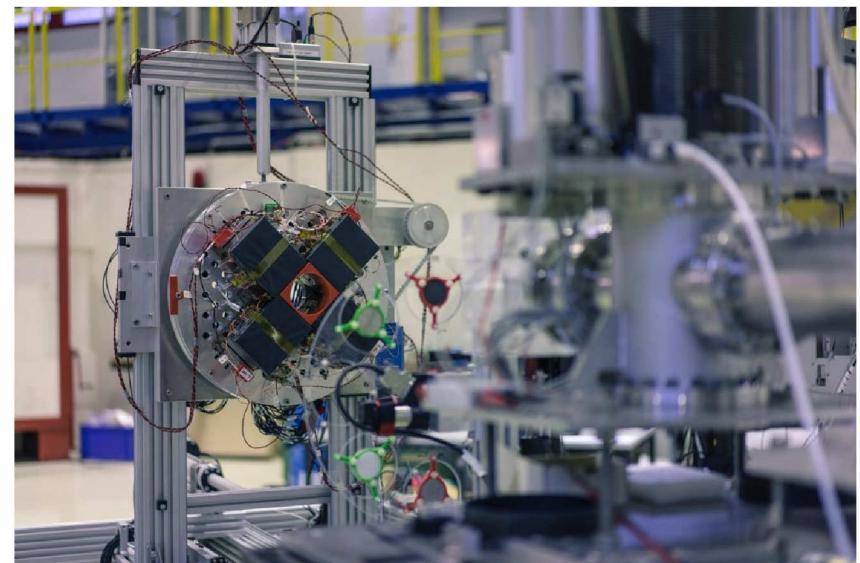
- Development of dedicated polarimeter based on LYSO crystals
- **Database experiment with WASA detector**

Motivation:

- Optimal configuration of the polarimeter

Goal: A_y , A_{yy} , $d\sigma/d\Omega$ for

- dC elastic scattering
- main background reactions (deuteron breakup)



<http://collaborations.fz-juelich.de/ikp/jedi/>

DEUTERON DATABASE EXPERIMENT WITH WASA

Detector Setup

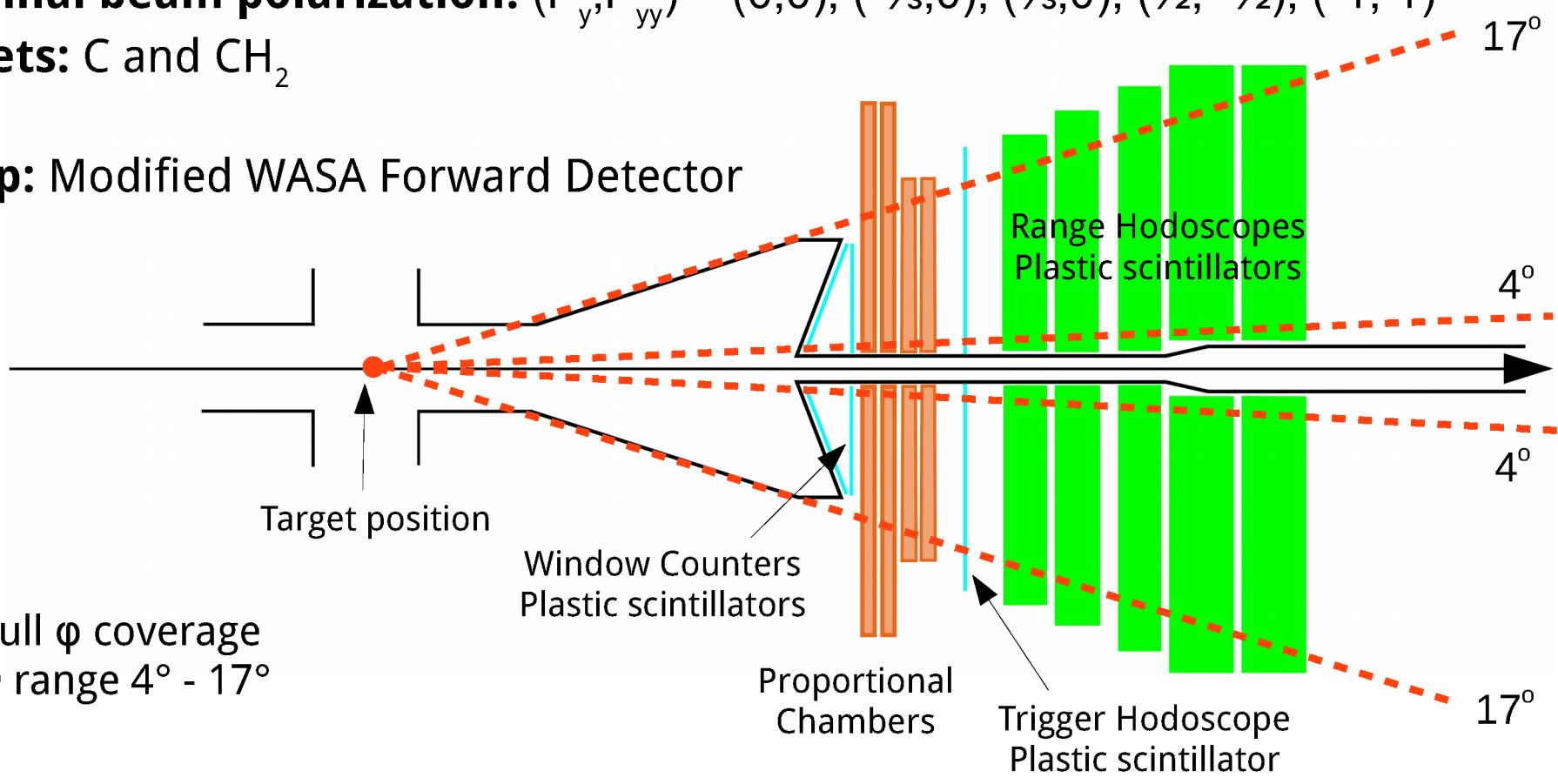
Beamtime in November 2016 (2 weeks)

Deuteron energies: 170, 200, 235, 270, 300, 340, 380 MeV

Nominal beam polarization: $(P_y, P_{yy}) = (0,0), (-\frac{2}{3},0), (\frac{2}{3},0), (\frac{1}{2}, -\frac{1}{2}), (-1, 1)$

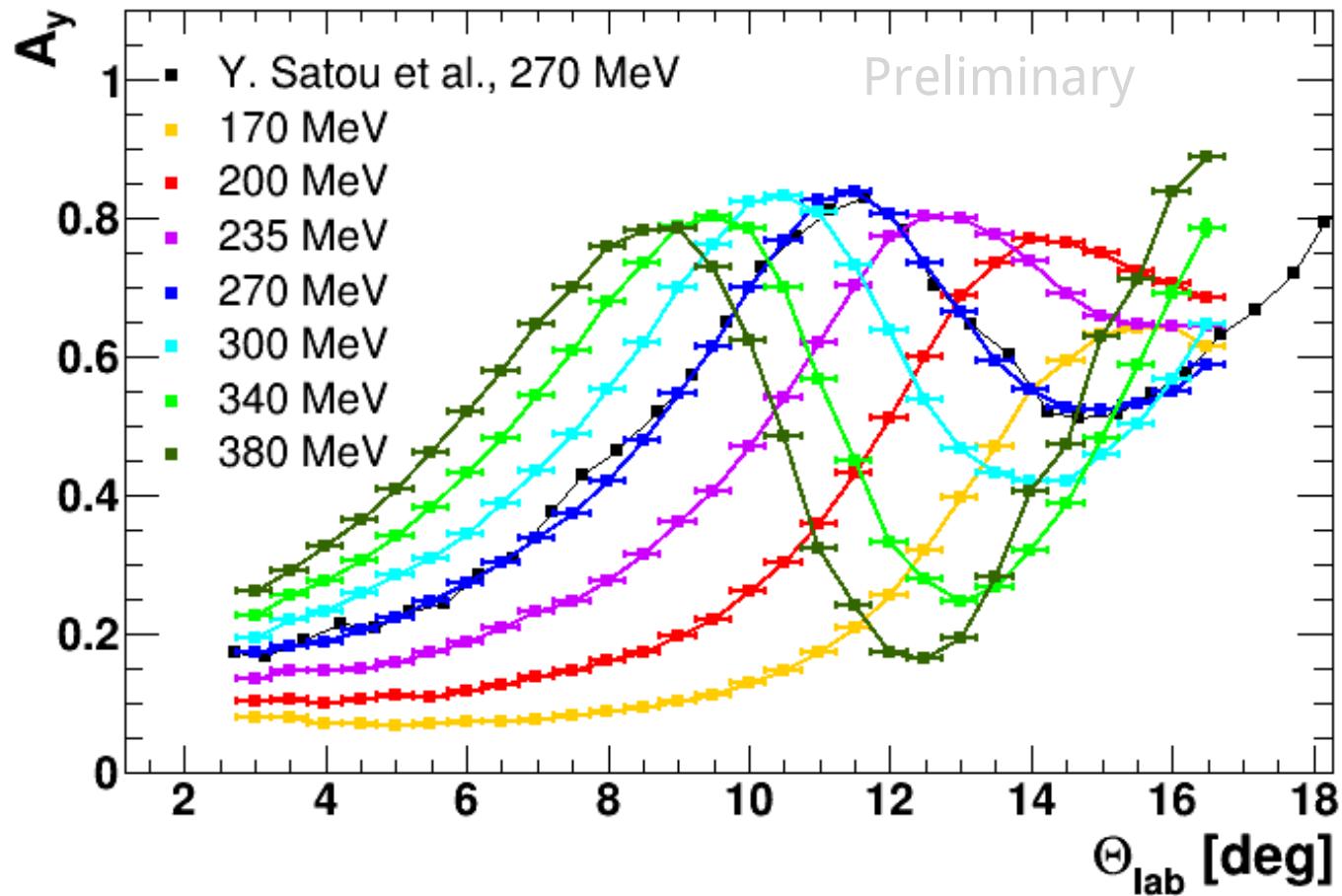
Targets: C and CH_2

Setup: Modified WASA Forward Detector



DATABASE EXPERIMENT WITH WASA

Analyzing power for elastic dC scattering



POLARIMETRY

Detector signal

$$\begin{aligned}N^{up,down} &= 1 \pm PA \sin(2\pi \cdot f_{\text{prec}} t) \\&= 1 \pm PA \sin(2\pi \cdot v_s n_{\text{turns}})\end{aligned}$$

P: polarisation, A: analysing power

Asymmetry

$$\varepsilon = \frac{N^{up} - N^{down}}{N^{up} + N^{down}} = PA \sin(2\pi \cdot v_s n_{\text{turns}})$$

Challenges

- precession frequency $f_{\text{prec}} \approx 120 \text{ kHz}$
- $v_s \approx -0.16$ → 6 turns / precession
- event rate $\approx 5000 \text{ s}^{-1}$ → 1 hit / 25 precessions
→ no direct fit of the rates

R&D AT COSY

EDMs of charged hadrons: p, d

R&D with deuterons

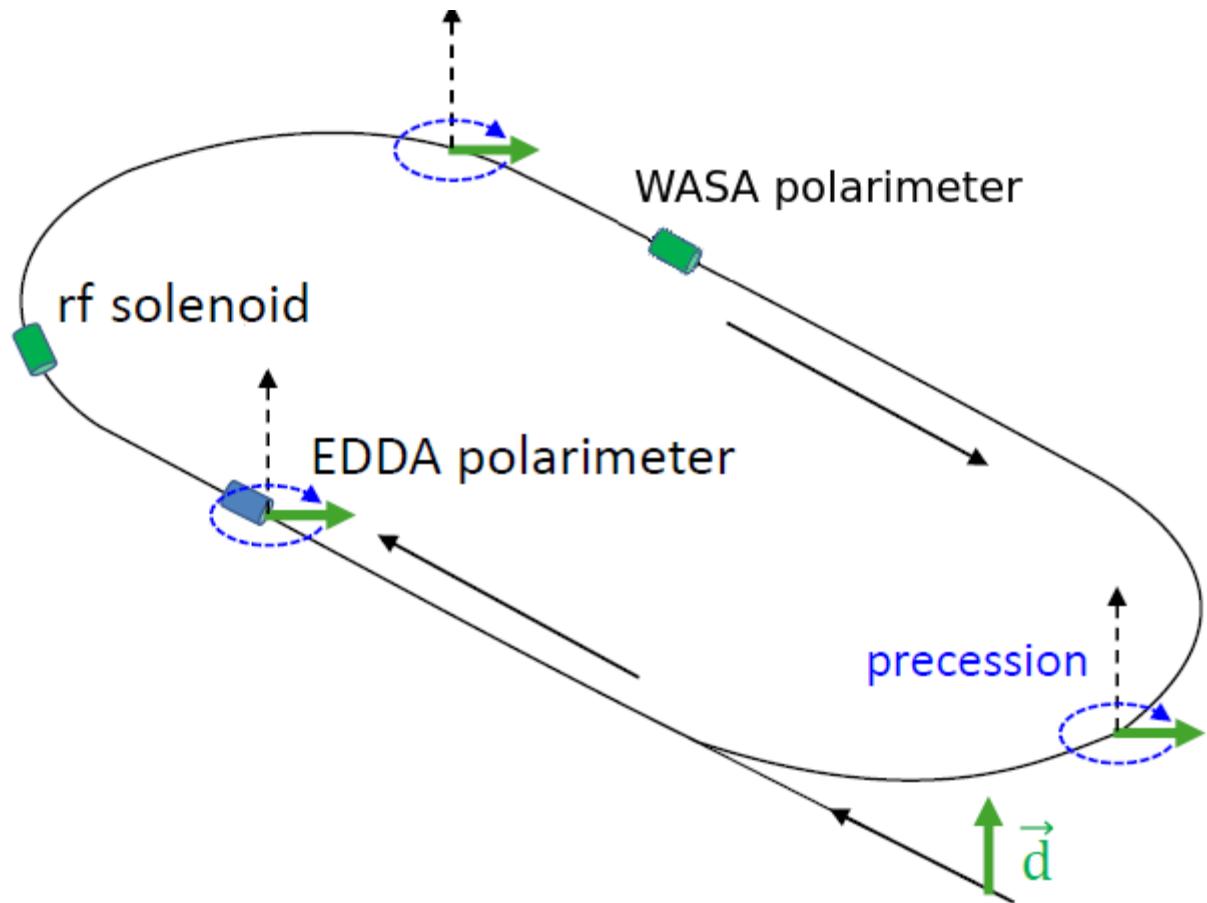
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$G = -0.14256177(72)$

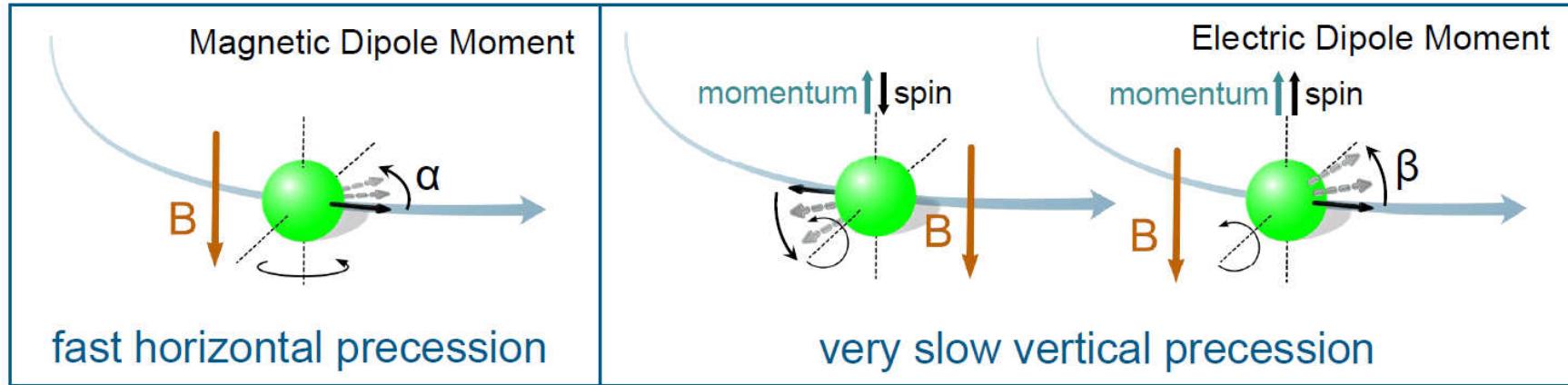
$v_s \approx -0.161 \ f \approx 120 \text{ kHz}$



study spin tune $v_s = \frac{|\vec{\Omega}|}{|\vec{\omega}_{\text{cycl}}|} = \gamma G$
→ phase advance per turn

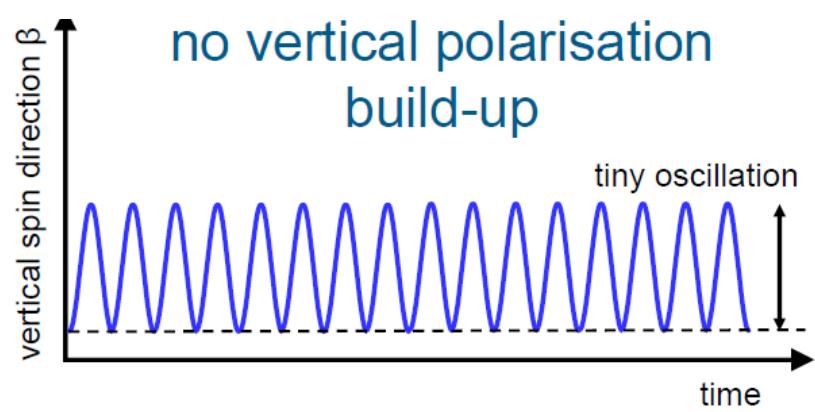
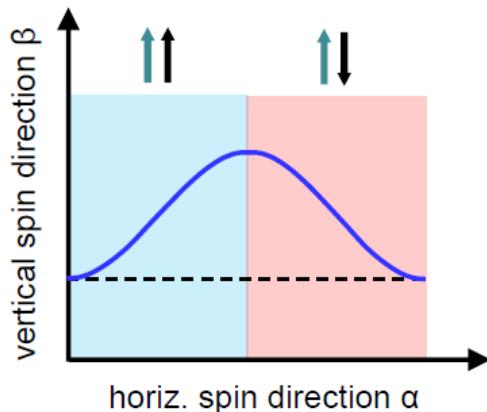
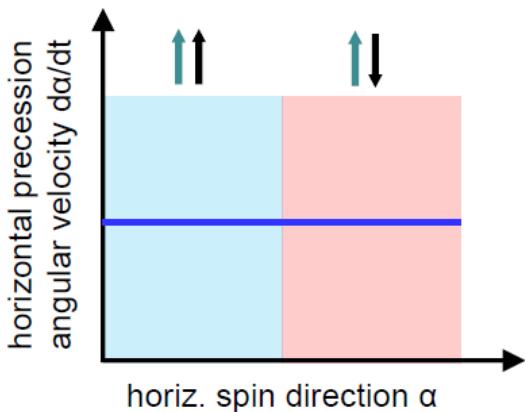


WIEN FILTER METHOD



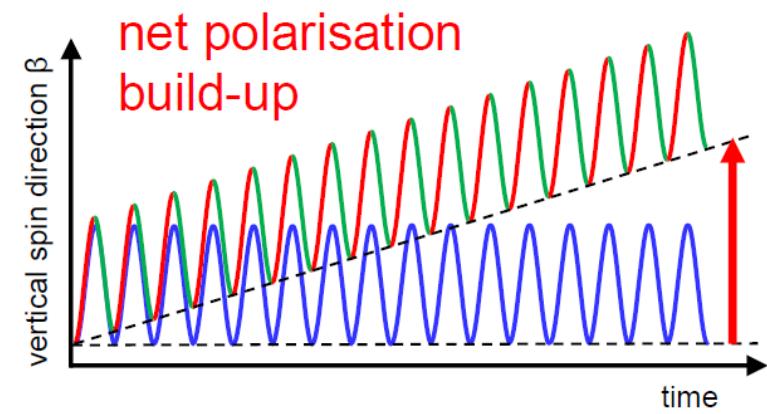
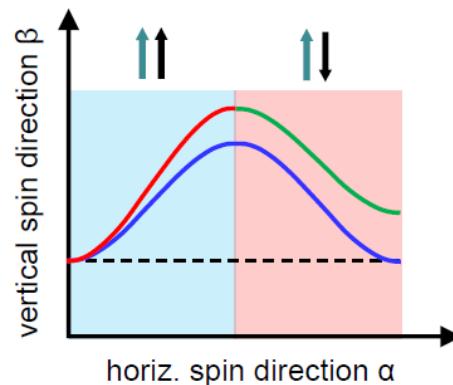
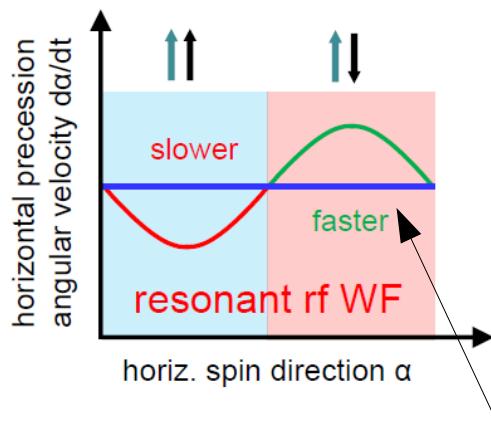
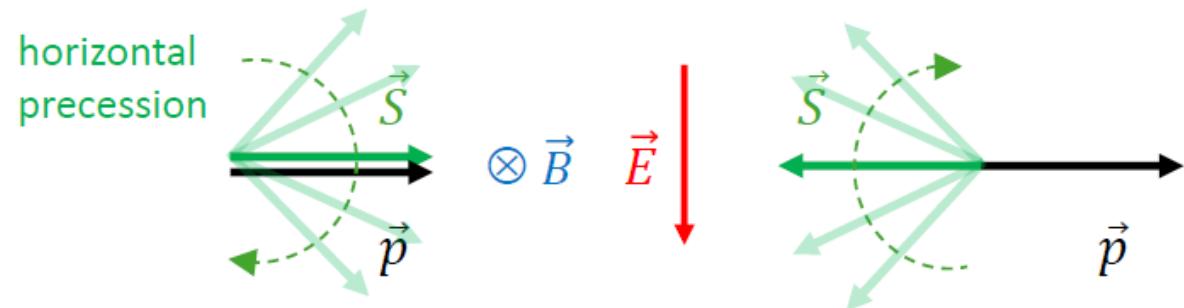
E^* field tilts spin due to EDM
50% of time up
50% of time down

$$\frac{d\vec{S}}{dt} \propto \left(G\vec{B} + d \frac{m_0 c}{q\hbar S} \vec{\beta} \times \vec{B} \right) \times \vec{S}$$



WIEN FILTER METHOD

- Wien Filter: introduces B and E field oscillating with radio frequency
- Lorentz force vanishes: no effect on EDM rotation
- **Effect: Adds extra horizontal precession**

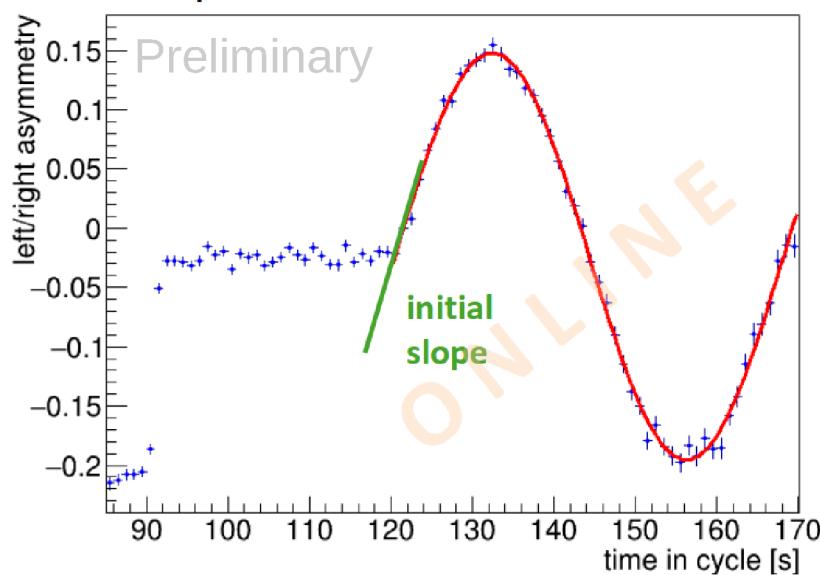
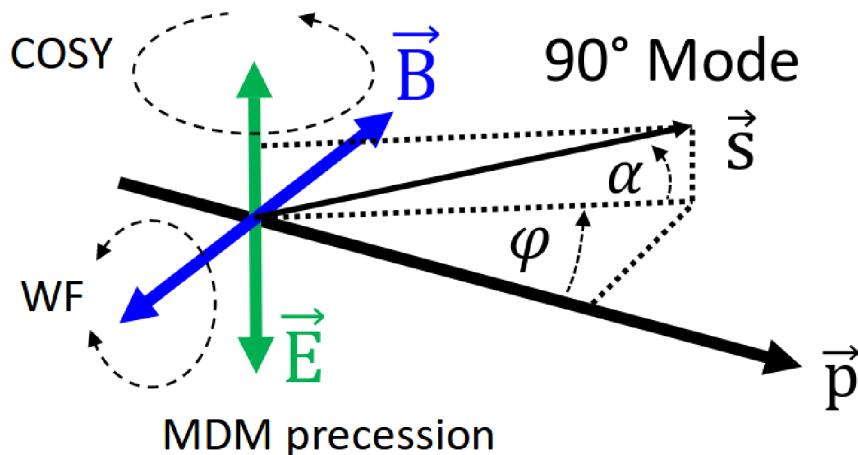


Wien Filter has to be always **in phase** with the horizontal spin precession!

Feedback system developed and tested: Phys. Rev. Lett., 119, 014801 (2017)
Resonant frequency controlled, precession of spin phase locked

WIEN FILTER COMMISSIONING – 90° MODE

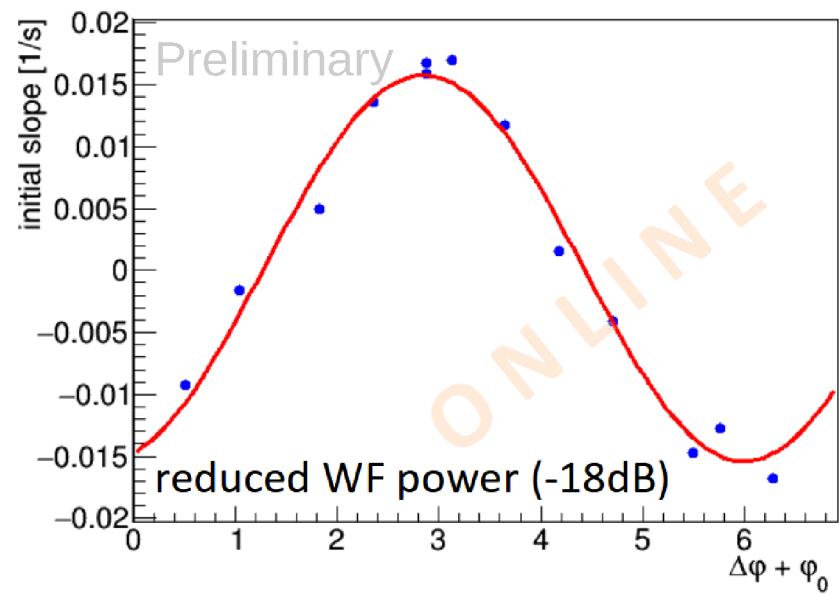
SPIN ROTATIONS WITH PHASE LOCK



$$\varphi(t) = 2\pi v_s f_c t$$

$$B_{WF}(t) = B_0 \sin(\omega t + \Delta\varphi)$$

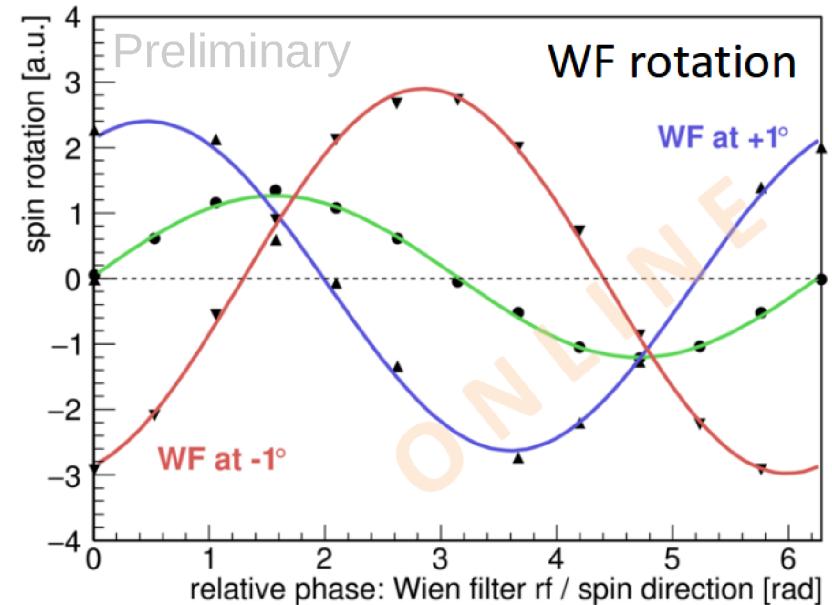
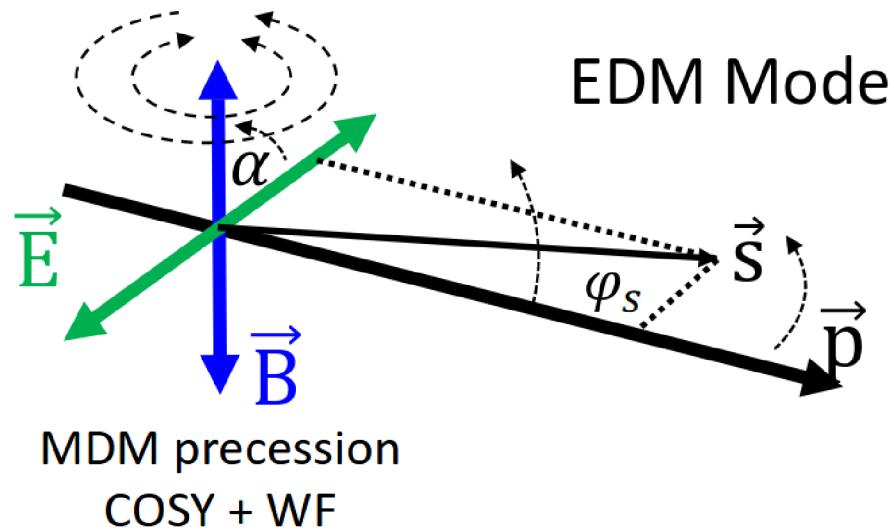
Task: maintain $\omega = 2\pi |k + v_s| f_c$
and fix $\Delta\varphi$
Controlled via WF frequency



Spin build-up as a function of phase $\sim \sin\Delta\varphi \rightarrow$ Feedback system works properly!

WIEN FILTER COMMISSIONING – 0° MODE

SPIN ROTATIONS WITH PHASE LOCK



We see **vertical polarization buildup - EDM-like signal**

Two **systematic** contributions:

1. Residual, radial magnetic field from WF

- effect equivalent to WF rotation

2. Field imperfections in COSY

- transverse contribution: equivalent to WF rotation

- longitudinal contribution: equivalent to additional static solenoid field

The measurement shows the stability of COSY conditions within 24 hours