



OPEN T2* quantification using multi-echo gradient echo sequences: a comparative study of different readout gradients

Seonyeong Shin^{1,2}, Seong Dae Yun¹ & N. Jon Shah^{1,2,3,4,5}✉

To quantify T2*, multiple echoes are typically acquired with a multi-echo gradient echo sequence using either monopolar or bipolar readout gradients. The use of bipolar readout gradients achieves a shorter echo spacing time, enabling the acquisition of a larger number of echoes in the same scan time. However, despite their relative time efficiency and the potential for more accurate quantification, a comparative investigation of these readout gradients has not yet been addressed. This work aims to compare the performance of monopolar and bipolar readout gradients for T2* quantification. The differences in readout gradients were theoretically investigated with a Cramér-Rao lower bound and validated with computer simulations with respect to the various imaging parameters (e.g., flip angle, TR, TE, TE range, and BW). The readout gradients were then compared at 3 T using phantom and in vivo experiments. The bipolar readout gradients provided higher precision than monopolar readout gradients in both computer simulations and experimental results. The difference between the two readout gradients increased for a lower SNR and smaller TE range, consistent with the prediction made using Cramér-Rao lower bound. The use of bipolar readout gradients is advantageous for regions or situations where a lower SNR is expected or a shorter acquisition time is required.

Abbreviations

GRE	Multi-echo gradient echo
EPI	Echo-planar imaging
CRLB	Cramér-Rao lower bound
SNR	Signal-to-noise ratio
TE	Echo time
TR	Repetition time
ROI	Region of interest
BW	Bandwidth

The distinct and detailed tissue contrast associated with MR images is dependent on both intrinsic and extrinsic parameters. Unlike extrinsic parameters, which can be manipulated depending on the sequence/scanner used, intrinsic parameters (in the absence of contrast agent injection) cannot be easily changed and are inherent to different tissue types. Consequently, by quantifying these intrinsic tissue parameters, such as relaxation times, MR images can be more effectively interpreted. This allows the direct comparison of subject data and also provides indices of disease severity^{1–5}.

The measurement of T2* relaxation times using MRI has now become common practice due to the improved SAR efficiency and faster acquisition afforded by the development of multi-echo gradient echo (GRE) sequences^{6–8}. Multi-echo GRE sequences can be divided into two types according to the readout gradients: monopolar and bipolar. In monopolar readouts, fly-back gradients are placed between adjacent echoes to maintain readout gradient polarity and to ensure phase consistency⁹. All echoes are acquired with the same readout gradient polarity. However, this increases the echo spacing time, ΔTE , resulting in a reduction of the number of echoes, N_e , for a given readout time. Additionally, if fly-back gradients of short duration and large magnitude are

¹Institute of Neuroscience and Medicine 4, Forschungszentrum Jülich, INM-4, 52428 Jülich, Germany. ²RWTH Aachen University, Aachen, Germany. ³Institute of Neuroscience and Medicine 11, JARA, Forschungszentrum Jülich, INM-11, Jülich, Germany. ⁴JARA-BRAIN-Translational Medicine, Aachen, Germany. ⁵Department of Neurology, RWTH Aachen University, Aachen, Germany. ✉email: n.j.shah@fz-juelich.de

employed to minimise the influence on ΔTE , the potential for eddy current generation is increased. In bipolar readouts, multiple echoes are obtained with alternating readout gradient polarities, as is the case in an echo-planar imaging (EPI) readout^{10–12}. The use of bipolar readout gradients shortens the ΔTE , leading to a reduction of repetition time (TR) or an increase in the N_e within a fixed scan time. In statistical estimation, a larger number of observations leads to increased precision¹³. Thus, theoretically, bipolar readouts can provide a more reliable T_2^* than monopolar readouts. A sequence using the bipolar readout, termed QUTE, was demonstrated before the monopolar version^{11,12}. Subsequently, the simpler and more eddy-current robust monopolar sequence was developed.

Despite these significant advantages, most studies have opted to use monopolar readout due to the challenges associated with implementing artefact-free and robust bipolar readout^{14,15}. For example, magnetic field inhomogeneity could induce geometric distortions along the readout direction^{16,17}, phase errors can arise from the eddy currents or hardware imperfection^{18,19}, and the frequency response of the MR receiver system can also produce asymmetric amplitude modulation²⁰. As the geometric distortion, phase, and amplitude errors appear in opposite directions in every other echo, the use of bipolar readout is much more demanding, and achieving accurate quantification results can be difficult. However, geometric distortions induced by global field inhomogeneities can be suppressed under well-shimmed conditions¹⁷, and amplitude and phase errors can be compensated for with various correction methods^{18,21–23}.

Given this possible variation in results and the potential impact on the accuracy and precision of quantitative T_2^* measurements, this work describes a practical implementation of bipolar readout and characterises the quantitative results obtained in terms of precision. The precision of monopolar and bipolar readouts was investigated using computer simulation and was verified with a Cramér-Rao lower bound (CRLB) under various signal-to-noise ratio (SNR) conditions. Phantom and in vivo experiments were then conducted at 3 T with respect to the flip angle, α , and parallel imaging acceleration factor, R. The performance of the readout gradients was also compared as a function of various echo time (TE) ranges and ΔTE by retrospectively adjusting the N_e . To our knowledge, this is the first time that T_2^* measurements using monopolar and bipolar readout gradients have been characterised in such detail, paving the way for the uptake of bipolar readouts.

Methods

Computer simulation datasets. Computer simulations were conducted to investigate the performance of the readout gradients. Schematic diagrams of multi-echo GRE sequences are shown in Fig. S1 in the Supplementary Information. The monopolar readout acquires multi-echo data with only positive (or only negative) readout gradients. In contrast, both polarities of the readout gradients are utilised to acquire data when using bipolar readout. The TEs are determined by the time required before signals are acquired (T_{prep}), which includes RF-pulse duration, slice-selection, phase-encoding, and readout dephasing gradients, the time required to obtain each echo (T_{acq}) and the time needed for gradient ramp up and down (T_{ramp}). In monopolar readout, the time required for fly-back gradients (T_{fb}) also affects the TE. The TEs for each readout gradient can be written as:

$$\text{monopolar : } TE_n = T_{prep} + 2n - 1 \left(\frac{T_{acq}}{2} + T_{ramp} \right) + (n - 1)T_{fb}, \quad (1)$$

and

$$\text{bipolar : } TE_n = T_{prep} + 2n - 1 \left(\frac{T_{acq}}{2} + T_{ramp} \right), \quad (2)$$

where $n = [1, 2, \dots, N_e]$ is the echo index. N_e is the total number of echoes.

The signal from a spoiled multi-echo GRE sequence can be expressed as:

$$s(TE_n) = M_0 \left(\frac{\sin(\alpha)(1 - e^{-TR/T_1})}{1 - \cos(\alpha)e^{-TR/T_1}} \right) e^{-TE_n/T_2^*} e^{i(\varphi_0 + 2\pi \Delta f TE_n)} + \varepsilon(0, \sigma^2), \quad (3)$$

where M_0 is the spin density, α is a flip angle, TR is the repetition time, T_1 is the longitudinal relaxation time and T_2^* is the transverse relaxation time. The parameters φ_0 and Δf represent the initial phase and off-resonance frequency, respectively. The parameter ε is the additive white Gaussian noise with a zero-mean and variance of σ^2 . Neither phase nor amplitude modulation were included in Eq. (3) as an ideal situation was assumed.

Simulation datasets for monopolar and bipolar readouts were created using Eqs. (1–3). For a given TR, the spacing between the echoes, ΔTE , can be reduced by increasing the receiver bandwidth (BW), thereby increasing the N_e for T_2^* quantification. However, increasing the BW results in a decrease in SNR. In order to explore the relationships between BW, ΔTE , N_e and SNR, the T_{acq} and $\varepsilon(0, \sigma^2)$ were modelled as follows. The T_{acq} depends on the number of samples collected for each echo (N_s) and the BW. Thus, T_{acq} was modelled as a rounding up of N_s/BW . The σ of Gaussian noise was simulated by²⁴:

$$\sigma = \sigma_0 \sqrt{BW/BW_0}, \quad (4)$$

where σ_0 is the standard deviation of the image noise with a receiver bandwidth of BW_0 .

Three simulations were performed to investigate the effects of (1) α and TR (i.e., SNR under the fixed BW), (2) TE range, and (3) BW on the quantification of T_2^* . The simulation phantom was designed to resemble the phantom used in our experiments. It consisted of five regions, each of which was designed to have a T_2^* of 49 ms, 78 ms, 69 ms, 99 ms, and 133 ms, and an accompanying T_1 of 671 ms, 959 ms, 878 ms, 1134 ms and 1372 ms,

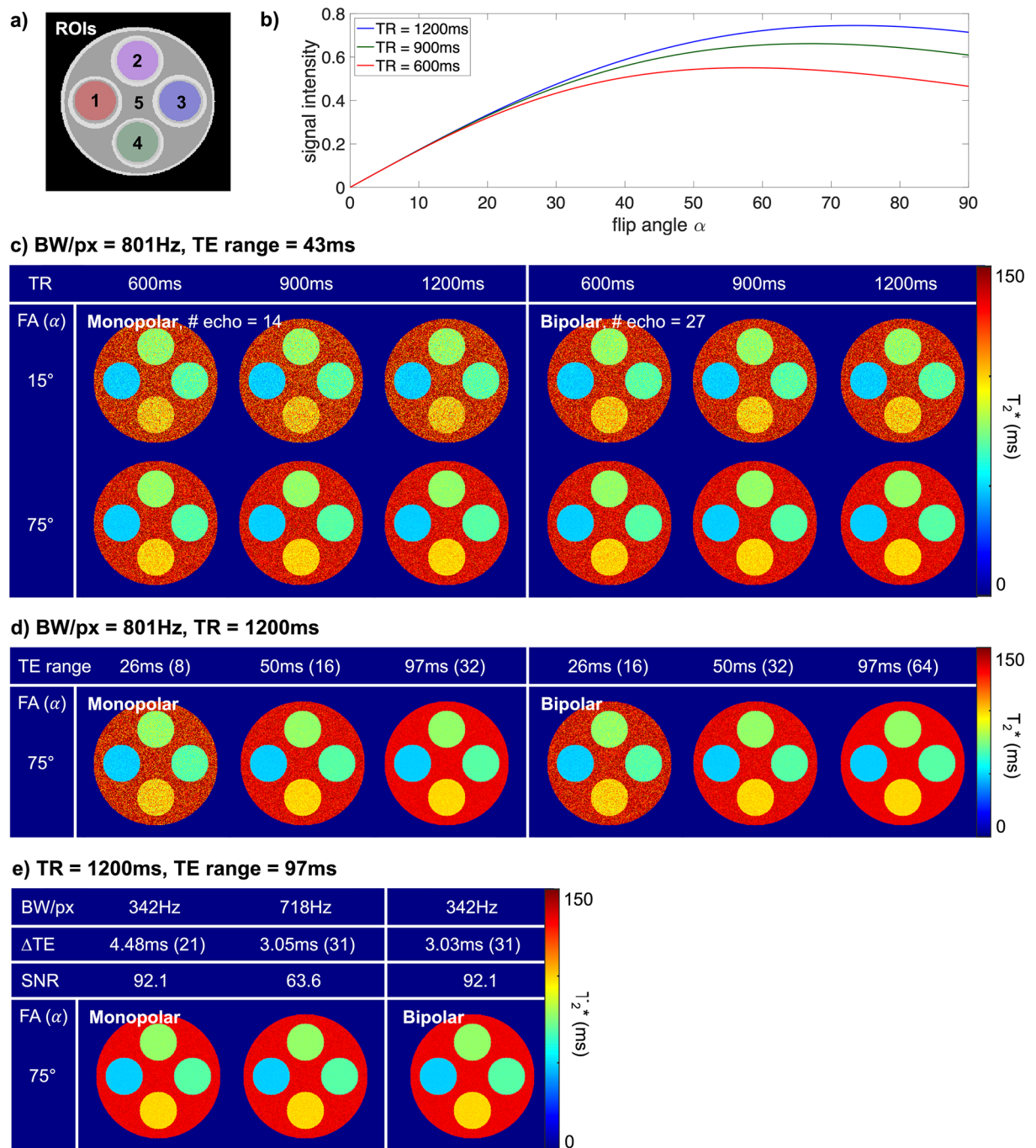


Figure 1. Computer simulation results. **(a)** Location of ROIs. **(b)** Plot of the signal intensities with respect to α in ROI 3. The TRs of 600 ms, 900 ms and 1200 ms are denoted by red, green, and blue lines, respectively. **(c)** T_2^* maps with respect to the TR. The ΔTE was 2.92 ms for the monopolar readouts and 1.47 ms for the bipolar readouts with a BW/px of 801. To solely observe the effect of SNR, the TE range was limited to 43 ms for all TRs. **(d)** T_2^* maps with respect to the TE range. As the TE range increases, the variation in the T_2^* map decreases due to the increased number of echoes. **(e)** T_2^* maps with respect to BW. The ΔTE decreases with an increase in the BW, allowing more echoes to be collected in a given TE range, but reducing SNR.

respectively (Fig. 1a). The imaging parameters used in each simulation are summarised in Table S1. For the first simulation, the BW and TE range were fixed to 192.24 kHz and 43 ms. Datasets were generated with three different values of α and TR. For the second simulation, the BW, TE range and TR were fixed to 192.24 kHz, 97 ms and 1200 ms. Datasets were created with a values of 15°, 35° and 75°. After creating a total of three datasets for each readout, subsampling was performed along the TE dimension. The first n echoes out of the echoes created were selected and used for T_2^* quantification. The parameter n was increased from 3 to 32 for monopolar readouts and from 5 to 64 for bipolar readouts (i.e., we can observe the situation where the TE range was increased

from around 10–97 ms). As an additional experiment, every n -th echo out of the echoes created was selected. The datasets with the same TE range were then compared to assess the effect of ΔTE on T_2^* quantification. The parameter n was increased from 2 to 31 for monopolar readouts and from 2 to 63 for bipolar readouts, respectively. For the third simulation, the parameters α , TR and TE range were fixed to 75° , 1200 ms and 97 ms. Datasets were simulated with three different BWs.

Phantom production. A spherical phantom was constructed to compare the readout gradients for various T_2^* relaxation times. The phantom comprised four small flasks, each of which was filled with a different concentration of manganese (II) chloride ($MnCl_2$). The concentrations were 0.088, 0.128, 0.113, 0.183, and 0.064 mM, and were created to mimic the T_2 of brain tissues (i.e., grey matter, white matter, spinal cord, bone marrow, and marrow fat) at 3 T, respectively^{25,26}.

Phantom experiment datasets. Phantom experiments were performed at a 3 T PRISMA MR scanner (Siemens Healthineers, Erlangen, Germany) with a 20-channel head/neck coil. As in the computer simulation, the differences in readout gradients were investigated for (1) α and TR, (2) TE range, (3) R, and (4) BW. The imaging parameters were set to have a scan time of 5 min, without any acceleration, using in-house developed GRE sequences: FOV = 240×240 mm², matrix = 240×240 , slice thickness = 1 mm, $N_s = 11$, BW/px = 801 Hz, R = 1, TE₁ = 3.84 ms, $\Delta TE = 2.92$ ms for monopolar readout and 1.47 ms for bipolar readout, and 10 preparation scans. The readout gradients were set to have a maximum number of echoes in a given condition, and the amplitude of the fly-back gradients was also set to have a maximum value when using monopolar readouts. As a first experiment, datasets with an α of 75° , 35° , and 15° were acquired for the TRs of 600 ms, 900 ms and 1200 ms (i.e., a total of nine datasets for each readout). This was done to observe the results of T_2^* quantification with respect to the SNR. The achievable N_e increases as the TR increases. However, to remove the effect of an increase in the N_e , datasets with the TR of 900 ms and 1200 ms were retrospectively subsampled along the TE dimension to have the same TE range and N_e in all datasets. The TE range was 43 ms, and the N_e was 14 for monopolar and 27 for bipolar readouts. In a subsequent experiment, datasets with an α of 35° and 15° were obtained for the TR of 1200 ms (i.e., a total of four datasets for each readout) and compared to the dataset with an α of 75° . When the TR was 1200 ms, the maximum TE range was 97 ms. The N_e was 32 for monopolar and 64 for bipolar readouts. After acquiring the datasets, the first n echoes out of the 32 (monopolar) and 64 (bipolar) echoes acquired were retrospectively chosen as in the computer simulation. The T_2^* values were then calculated with the selected echoes and compared to observe the performance of the readout gradients under the various TE ranges. In addition, every n -th echo out of the echoes acquired was retrospectively selected. From the generated datasets, those with the same TE range were compared to investigate the effect of the ΔTE . In a third experiment, the R was prospectively varied from 2 to 3 for the datasets with an α of 75° and TR of 1200 ms (i.e., acquire two datasets for each readout). The 24 reference lines were obtained separately for the GRAPPA reconstruction. As a fourth experiment, datasets with the BW/px of 718 Hz, 613 Hz and 342 Hz were additionally produced (i.e., a total of six datasets for each readout) to explore the effects of BW. The imaging parameters for the fourth experiment were as follows: FOV = 240×240 mm², matrix = 240×240 , slice thickness = 1 mm, $N_s = 11$, $\alpha = 75^\circ$, TR = 1200 ms, R = 1, TE range = 97 ms, and 10 preparation scans. The TE₁s were 3.9 ms, 4 ms and 4.62 ms for BW/px of 718 Hz, 613 Hz and 342 Hz, respectively. The ΔTE s were 3.03 ms, 3.2 ms and 4.39 ms for monopolar readouts, and 1.6 ms, 1.8 ms and 3.03 ms for bipolar readouts, respectively.

In vivo experiment datasets. Datasets from healthy volunteers were acquired with the following parameters: FOV = 240×240 mm², matrix = 240×240 , slice thickness = 1 mm, TR = 1200 ms, $N_s = 11$, BW/px = 801 Hz, TE₁ = 3.84 ms, $\Delta TE = 2.92$ ms for monopolar ($N_e = 32$) and 1.47 ms for bipolar readouts ($N_e = 64$) and 10 preparation scans. To keep the total acquisition time as short as possible, only datasets with an α of 76° and 24° were acquired. The R was prospectively changed from 1 to 3 for 76° to compare the results with respect to the SNR (i.e., a total of four datasets for each readout). The 24 reference lines were collected separately for the GRAPPA reconstruction. The N_e was retrospectively adjusted, as was the case in the phantom experiments. The first n echoes out of the 32 (monopolar) and 64 (bipolar) echoes acquired were selected and compared to investigate the performance of the readout gradients under the various TE ranges. In addition, every n -th echo was collected, and the datasets with the same TE range were compared to observe the effects of ΔTE .

This study was approved by the local institutional review board (RWTH Aachen University, approval number EK 266/09) and performed in accordance with relevant guidelines and regulations. Informed consent was obtained from all subjects prior to the experiments.

Data analyses. For experimental data, the individual coil images were reconstructed by applying 2D Fourier transform without any additional k-space filtering, and the resultant multi-channel images were combined with an adaptive combine method²⁷. When parallel imaging was applied, the individual coil image was reconstructed using a 5×4 kernel. To quantify T_2^* , magnitude fitting was performed in each voxel. The influences of α , TR, and T1 (i.e., the second term in Eq. 3) can be seen as a multiplication of a constant term, and the phase information (i.e., the fourth term in Eq. 3) vanishes when the magnitude image is treated. Thus, mono-exponential decay was employed for the calculation of T_2^* . The Rician noise distribution was also considered^{28,29}. The noise variance was estimated from four ROIs, consisting of 300 voxels, at the corners of the noise-only background. When the bipolar readouts were used, amplitude modulation was also modelled as an exponential function and corrected for experimental datasets²². The spin density and T_2^* values were first calculated from all echoes, and then the exponential terms multiplied by the odd and even echoes were computed using the difference between the measured values and the synthesised values. This procedure was repeated iteratively.

The mean and standard deviation of the calculated $T2^*$ s were evaluated for each ROI. The ROIs were manually determined for computer simulations and phantom experiments. The segmentation results obtained using FSL's FAST and FIRST algorithms^{30,31} were used as masks for the in vivo experiments. For the phantom experiments where true $T2^*$ was unknown, the mean values were compared based on the values obtained with a relatively higher SNR (i.e., α of 75° without any acceleration). The mean values of the in vivo data were compared to those reported in other literature^{3,32,33}. The measured standard deviations were also compared with the theoretically predicted values using a CRLB. A Rician noise distribution was considered for the calculation of the Fisher information matrix³⁴.

Results

Figure 1 shows the representative results of the computer simulation. Figure 1a shows the location of the regions of interest (ROIs). Figure 1b shows the relative transverse magnetisation level of ROI 3 ($T2^* = 69$ ms, $T1 = 878$ ms) with respect to the α and TR. In Fig. 1c–e, the left and right figures show $T2^*$ maps derived from the use of monopolar and bipolar readouts, respectively. Figure 1c shows that the variation in the $T2^*$ map increases as the SNR decreases (i.e., as the α and TR decrease). The $T2^*$ map was hardly affected by the changes in the TR at a lower α (i.e., 15°), since the SNR remained almost the same (Fig. 1b). Figure 1d depicts the changes in the $T2^*$ map with respect to the TE range when the TR was kept constant. An increase in the TE range enables more echoes to be acquired; the maximum number of echoes achieved with the given TE range is indicated in parentheses. Under the given SNR condition (i.e., fixed α and TR), variation in the $T2^*$ map decreases as the TE range increases. The $T2^*$ maps from the bipolar readouts depicted in Fig. 1c,d show less variation than those from monopolar readouts. This is particularly significant with a lower SNR and shorter TE range. Figure 1e shows the effects of the BW. The ΔTE for each BW/px and the corresponding number of echoes are indicated at the top of the figures. The SNR is the value measured in the first echo image. The bipolar readout can acquire the same number of echoes as the monopolar readout while decreasing BW and improving SNR (e.g., 718BW/px for monopolar and 342BW/px for bipolar). In this case, a $T2^*$ map from a bipolar readout can achieve less variation. The mean and standard deviation of $T2^*$ values for each simulation experiment are presented in Table 1. The number in parentheses is the standard deviation predicted by the CRLB.

Figure 2 shows the results of the phantom experiments. Figure 2a shows the location of ROIs. Figure 2b displays the effects of the amplitude modulation. The first row displays the first and second echo images taken with bipolar readout, the synthesised images created using the fitted parameters without amplitude modulation, and the difference images between the acquired and synthesised images. The images were produced from a dataset with a TE range of 97 ms. It is challenging to visually discern the amplitude modulation in the images obtained. However, the difference images clearly show that amplitude modulation produced different signal intensity modulation along the readout direction. In the second row, the left and right figures are the $T2^*$ maps from bipolar readout when the TE range is relatively short. The figures on the right are the $T2^*$ maps following amplitude modulation correction. The N_e achieved with the given TE range is indicated in parentheses at the top of the figure. The amplitude modulation makes the difference in $T2^*$ along the readout direction, as indicated by yellow arrows. However, it can be compensated by amplitude modulation correction. In Fig. 2c–e, the $T2^*$ maps from bipolar readout followed amplitude modulation correction. Figure 2c shows that the variation in the $T2^*$ map increases as the α and TR decrease. The $T2^*$ map from the bipolar readout gives a smaller variation compared to that from the monopolar readout under the same conditions, especially with a lower SNR (i.e., lower α and shorter TR). Figure 2d shows that the variation in the $T2^*$ map increases with an increase in the R and a decrease in the TE range. The difference between the $T2^*$ maps from the two readouts becomes larger for a higher R and shorter TE range. Figure 2e shows the changes in the $T2^*$ map with respect to the BW. The bipolar readouts can acquire the same number of echoes as the monopolar readouts while increasing the SNR with a lower BW. Table 2 shows the mean, standard deviation, and CRLB values for each phantom experiment.

The mean, standard deviation, and CRLB values are also plotted as a function of the TE range in Fig. 3. Figure 3a displays the results of computer simulations. The results where α is 75° , 35° , and 15° are denoted by the blue, green, and red lines, respectively. The results from the monopolar and bipolar readouts are depicted with dark and light colours, respectively. In the mean plot, the true $T2^*$ is indicated by a dotted black line. The mean $T2^*$ decreases as the TE range increases and eventually reaches a convergence value (i.e., true $T2^*$). The TE range required to reach the convergence value increases as the α decreases. For instance, the mean $T2^*$ of the monopolar readout converges to a true value near the TE range of 30 ms for 75° and 70 ms for 15° . When the TE range is sufficiently long, the mean values from the bipolar and monopolar readouts are almost the same. However, with a shorter TE range, the mean from the bipolar readout tends to be closer to the true value than that from the monopolar readout. The standard deviation decreases with the increase in the TE range and α . The measured standard deviations (2nd column) showed the same tendency as predicted by CRLB (3rd column). The results from the bipolar readout had lower standard deviations compared to those from the monopolar readout, regardless of the TE ranges. Specifically, the difference between the two readouts became larger for a lower α and shorter TE range. Figure 3b shows the results of phantom experiments. The first row shows the effects of amplitude modulation. The results from the bipolar readout before and after amplitude modulation correction are depicted by different types of lines. In the case where bipolar readouts are utilised without amplitude correction, the mean $T2^*$ fluctuates, as indicated by the yellow arrow. These fluctuations are eliminated by an amplitude modulation correction. For standard deviation, the correction of amplitude modulation did not have a significant impact on its value. The second and third rows display the changes in the value with respect to the α and R, respectively. In each plot, the different α or Rs are indicated by blue, green, and red lines. The results obtained using monopolar and bipolar readouts are denoted by dark and light colours, respectively. The mean and standard deviation tend to decrease as the TE range increases. As the SNR decreases (i.e., as the α decreases

TR		600 ms	900 ms	1200 ms
(a) BW/px = 801 Hz				
15°	Mono	69.95 ± 8.45 (7.76)	69.83 ± 8.17 (7.64)	69.65 ± 7.77 (7.58)
	Bipolar	69.66 ± 6.11 (5.75)	69.45 ± 5.88 (5.66)	69.38 ± 5.68 (5.62)
35°	Mono	69.07 ± 4.05 (4)	69.11 ± 3.77 (3.72)	69.36 ± 3.63 (3.59)
	Bipolar	69.15 ± 2.96 (2.97)	69.06 ± 2.74 (2.76)	69.1 ± 2.65 (2.66)
75°	Mono	69.01 ± 3.67 (3.52)	69.13 ± 2.88 (2.84)	69.01 ± 2.43 (2.51)
	Bipolar	69.08 ± 2.58 (2.61)	69.08 ± 2.13 (2.1)	69.02 ± 1.84 (1.86)
TE range		26 ms	52 ms	97 ms
(b) BW/px = 801 Hz, TR = 1200 ms				
15°	Mono	73.05 ± 20.97 (15.48)	69.47 ± 6.65 (6.48)	69.01 ± 3.31 (3.26)
	Bipolar	70.68 ± 11.68 (10.93)	69.28 ± 4.64 (4.6)	69.05 ± 2.29 (2.33)
35°	Mono	69.94 ± 7.98 (7.33)	69.28 ± 3.1 (3.07)	69.09 ± 1.56 (1.54)
	Bipolar	69.25 ± 5.35 (5.17)	69.07 ± 2.16 (2.18)	69 ± 1.09 (1.1)
75°	Mono	69.42 ± 5.22 (5.14)	69.06 ± 2.12 (2.15)	69.01 ± 1.05 (1.08)
	Bipolar	69.03 ± 3.67 (3.63)	69.03 ± 1.53 (1.53)	69.02 ± 0.77 (0.77)
ΔTE (mono/bipolar)		43.8/44.1 ms	17.52/17.64 ms	5.84/5.88 ms
(c) BW/px = 801 Hz, TR = 1200 ms, TE range = 92 ms				
75°	Mono	69.07 ± 2.91 (2.83)	68.94 ± 2.23 (2.23)	69.01 ± 1.49 (1.49)
	Bipolar	69.08 ± 2.84 (2.83)	69.03 ± 2.22 (2.23)	68.99 ± 1.46 (1.5)
BW/px		342 Hz	613 Hz	718 Hz
(d) TR = 1200 ms, TE range = 97 ms				
ΔTE (mono/bipolar)		4.48/3.03 ms	3.27/1.82 ms	3.05/1.6 ms
# of echoes (mono/bipolar)		21/31	29/52	31/59
75°	Mono	69.02 ± 0.86 (0.87)	69.04 ± 0.98 (0.99)	69 ± 1.04 (1.04)
	Bipolar	68.99 ± 0.72 (0.72)	69.03 ± 0.76 (0.75)	69.01 ± 0.76 (0.76)

Table 1. Mean and standard deviation of the calculated T2*s in the computer simulation with respect to the (a) α and TR (b) α and TE range (c) Δ TE and (d) BW/px. The values were measured in ROI 3 (Fig. 1a). The number in the parentheses shows the predicted standard deviation using a CRLB. As with the visual observation, standard deviation increases as the α , TR, and the TE range decrease. (a and b) The difference between the two readouts becomes larger for a lower SNR and shorter TE range. (c) The 'std diff' is substantially smaller when the Δ TEs from each readout are similar. (d) By decreasing the BW, the bipolar readout can achieve the same number of echoes as the monopolar readout but with higher precision. When the BW/px of monopolar and bipolar readouts are 718 Hz and 342 Hz, respectively, both readouts acquire 32 echoes. However, bipolar readouts provide a smaller standard deviation (i.e., 0.72 ms) compared to monopolar readouts (i.e., 1.04 ms).

or R increases), the mean and standard deviation increase. The standard deviation showed the same tendency as predicted. The standard deviations from bipolar readouts are lower than those from monopolar readouts, particularly with a shorter TE range, lower α , and higher R.

Figure 4 shows the results of in vivo experiments. Figure 4a,b show that the variation in the T2* map increases with an increase in R and a decrease in the α and TE range. The T2* maps from bipolar readouts show less variation than those from monopolar readouts under the same conditions, especially for a higher R and shorter TE range. In addition, T2* maps from bipolar readouts clearly show the anatomical structures. The T2* maps at the bottom of Fig. 4b are magnified maps obtained with an α of 76°. The sulci, gyri, and corona radiata are better distinguished in the T2* map from the bipolar readout than in the T2* map from the monopolar readout, especially for a higher R and shorter TE range, as indicated by yellow arrows. Figure 4c shows that the variation in the T2* map decreases as the Δ TE decreases. The mean and standard deviations were measured in white matter and are shown in Table 3a–c. Table 3d shows the values averaged across all subjects when α was 76°, and the TE range was 97 ms with an R of 1. The measured values are well matched with other literature^{3,32,33}.

Figure 5a shows the plots of the mean, standard deviation and CRLB values calculated in white matter as a function of the TE range. The measured values show the same tendencies as in the results of the computer simulation and phantom experiments. The mean and standard deviation decrease as the α and TE range increase and the R decreases. The mean and standard deviation from both readouts are almost identical for the maximum TE range. As the TE range decreases, the bipolar readout tends to achieve a lower standard deviation compared to the monopolar readout. Figure 5b shows histograms for the whole brain when the TE range is 26 ms and 97 ms with an α of 76° and R of 1. The histograms of monopolar and bipolar readouts are represented in black and white. The grey region indicates the intersection of both readouts. When the TE range is 26 ms, it can be observed that the width of the bipolar readout is smaller and the peak is higher than that of the monopolar readout, i.e., bipolar readout provides greater precision.

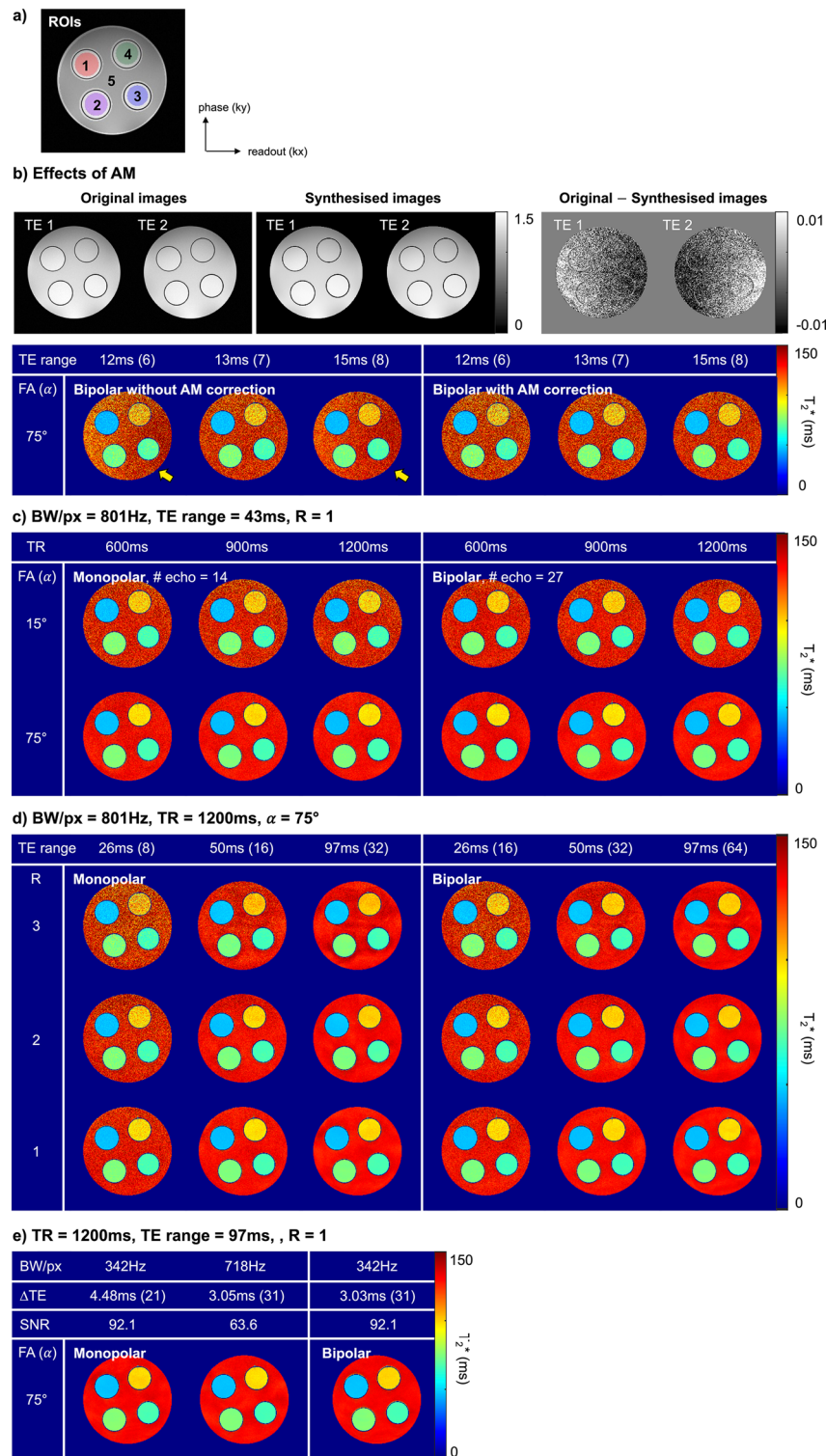


Figure 2. Phantom experiment results. **(a)** Location of ROIs. **(b)** Effects of the AM modulation. Imaging parameters: BW/px = 801, TR = 1200 ms, α = 75°, Δ TE = 1.47 ms, and R = 1. The synthesised images in the first row are created from a dataset with a TE range of 97 ms. Before amplitude modulation correction, the left and right parts of the object show slightly different T_2^* values. The T_2^* was stably computed over the entire region after amplitude modulation correction. **(c–e)** T_2^* maps with respect to the **(c)** α and TR, **(d)** R and TE range, and **(e)** BW. The Δ TE was 2.92 ms for the monopolar readouts and 1.47 ms for the bipolar readouts under the BW/px of 801. The variation in the T_2^* map increases as the α and TE range decrease and the R increases. An increase in the BW reduces the Δ TE, allowing more echoes to be collected within the same scan time, but with a reduced SNR.

TR		600 ms	900 ms	1200 ms
(a) BW/px = 801 Hz, TE range = 43 ms, R = 1				
15°	Mono	66.91 ± 4.19 (3.93)	66.59 ± 4.04 (3.88)	66.63 ± 4.09 (3.85)
	Bipolar	66.72 ± 3.27 (2.9)	66.51 ± 3.22 (2.88)	66.27 ± 3.19 (2.85)
35°	Mono	66.39 ± 2.23 (1.87)	66.34 ± 2.14 (1.77)	66.49 ± 2.18 (1.74)
	Bipolar	66.66 ± 1.91 (1.37)	66.4 ± 1.88 (1.31)	66.5 ± 1.87 (1.28)
75°	Mono	66.58 ± 1.75 (1.36)	66.06 ± 1.62 (1.17)	66.46 ± 1.58 (1.11)
	Bipolar	66.74 ± 1.61 (1.01)	66.57 ± 1.54 (0.88)	66.08 ± 1.5 (0.81)
TE range		26 ms	52 ms	97 ms
(b) BW/px = 801 Hz, TR = 1200 ms, R = 1				
15°	Mono	67.19 ± 8.2 (7.94)	66.59 ± 3.61 (3.29)	66.12 ± 2.34 (1.66)
	Bipolar	66.46 ± 5.66 (5.55)	66.3 ± 2.82 (2.34)	66.15 ± 1.97 (1.18)
35°	Mono	66.44 ± 3.69 (3.52)	66.54 ± 2.07 (1.49)	66.6 ± 1.76 (0.76)
	Bipolar	66.5 ± 2.72 (2.48)	66.52 ± 1.82 (1.05)	66.56 ± 1.62 (0.54)
75°	Mono	66.59 ± 2.38 (2.26)	66.48 ± 1.54 (0.95)	66.69 ± 1.48 (0.49)
	Bipolar	66.08 ± 1.85 (1.6)	66.11 ± 1.52 (0.67)	66.29 ± 1.42 (0.34)
(c) BW/px = 801 Hz, TR = 1200 ms, α = 75°				
R = 3	Mono	67.46 ± 6.38 (6.12)	66.73 ± 2.86 (2.52)	66.99 ± 1.95 (1.29)
	Bipolar	67.44 ± 4.44 (4.33)	67.13 ± 2.35 (1.82)	67.4 ± 1.74 (0.93)
R = 2	Mono	66.99 ± 3.53 (3.43)	66.85 ± 1.89 (1.44)	67.22 ± 1.6 (0.74)
	Bipolar	67 ± 2.59 (2.41)	66.94 ± 1.73 (1.02)	67.24 ± 1.5 (0.53)
ΔTE (mono/bipolar)		43.8/44.1 ms	17.52/17.64 ms	5.84/5.88 ms
(d) BW/px = 801 Hz, TR = 1200 ms, TE range = 92 ms, R = 1				
75°	Mono	66.68 ± 1.73 (1.28)	66.72 ± 1.62 (1.00)	66.7 ± 1.53 (0.67)
	Bipolar	66.31 ± 1.72 (1.26)	66.31 ± 1.61 (0.99)	66.29 ± 1.52 (0.66)
BW/px		342 Hz	613 Hz	718 Hz
(e) TR = 1200 ms, TE range = 97 ms, R = 1				
75°	Mono	66.83 ± 1.44 (0.38)	66.68 ± 1.45 (0.44)	66.68 ± 1.46 (0.47)
	Bipolar	66.49 ± 1.39 (0.33)	66.66 ± 1.43 (0.34)	66.89 ± 1.39 (0.34)

Table 2. Mean, standard deviation and relative difference of the standard deviation with respect to the (a) α and TR (b) α and TE range (c) R and TE range (d) Δ TE and (e) BW/px in phantom experiments. The values were calculated in ROI 3 (Fig. 2a). The numbers in parentheses are the standard deviations predicted from CRLB. As in the computer simulation, the standard deviation increases as the α , TR and TE range decrease. The standard deviation also increases with an increase in the R. (a-c) The difference between the two readouts tends to increase at a lower α , shorter TR, shorter TE range, and lower R. (d) When the TE's from each readout are similar and have the same BW/px, the monopolar and bipolar readouts provide similar precision. (e) When the monopolar and bipolar readouts have the BW/px of 718 and 342 Hz, respectively, both readouts achieve 31 echoes in the same scan time. However, the bipolar readout can achieve a smaller standard deviation (i.e., 1.39 ms) than the monopolar readout (i.e., 1.46 ms) with an increased SNR.

Discussion

In this work, the effects of imaging parameters, i.e., α , TR, TE range, Δ TE and BW, on T2* quantification were investigated, and monopolar and bipolar readouts were compared using computer simulation, phantom and in vivo experiments. Initially, datasets were acquired for a different set of α and TRs to investigate the impacts of noise. Since the multi-echo GRE sequences employ a multi-slice acquisition to utilise the dead time, the TE range is determined by the TR and the number of slices, N_s . The reduction in the TR with a given N_s not only limits the N_e but also causes a decrease in the SNR. Thus, in order to avoid mixing the two effects, the N_e remained fixed in the first experiments. For a given α and TR, the N_e can be increased by reducing the N_s . The second set of experiments (i.e., select n echoes out of the echoes acquired) indirectly shows the situation when the TR is kept constant, but N_s is altered in a multi-slice acquisition. In the third set of experiments, every n -th echo out of the echoes acquired was retrospectively selected to see the effects of Δ TE. In general, an effort is made to minimise Δ TE (i.e., no time is wasted between readout gradients and/or increase the BW) and to acquire more echoes to aid accurate T2* quantification. However, there is a trade-off between Δ TE and BW. An increase in the BW reduces Δ TE but decreases the SNR. These effects on T2* quantification were observed in the fourth set of experiments by changing the BW.

As T2* was a known value in the computer simulations, it was possible to use the computer simulations to investigate the effects the imaging parameters had in terms of accuracy and precision, thus facilitating the evaluation of the quantification. In the simulation, the time-series signals were modelled as a mono-exponential function since the phantom used in our experiments was quite large and homogenous. From the simulation results, it was found that the mean T2* deviated from the true value for a shorter TE range and reached the true

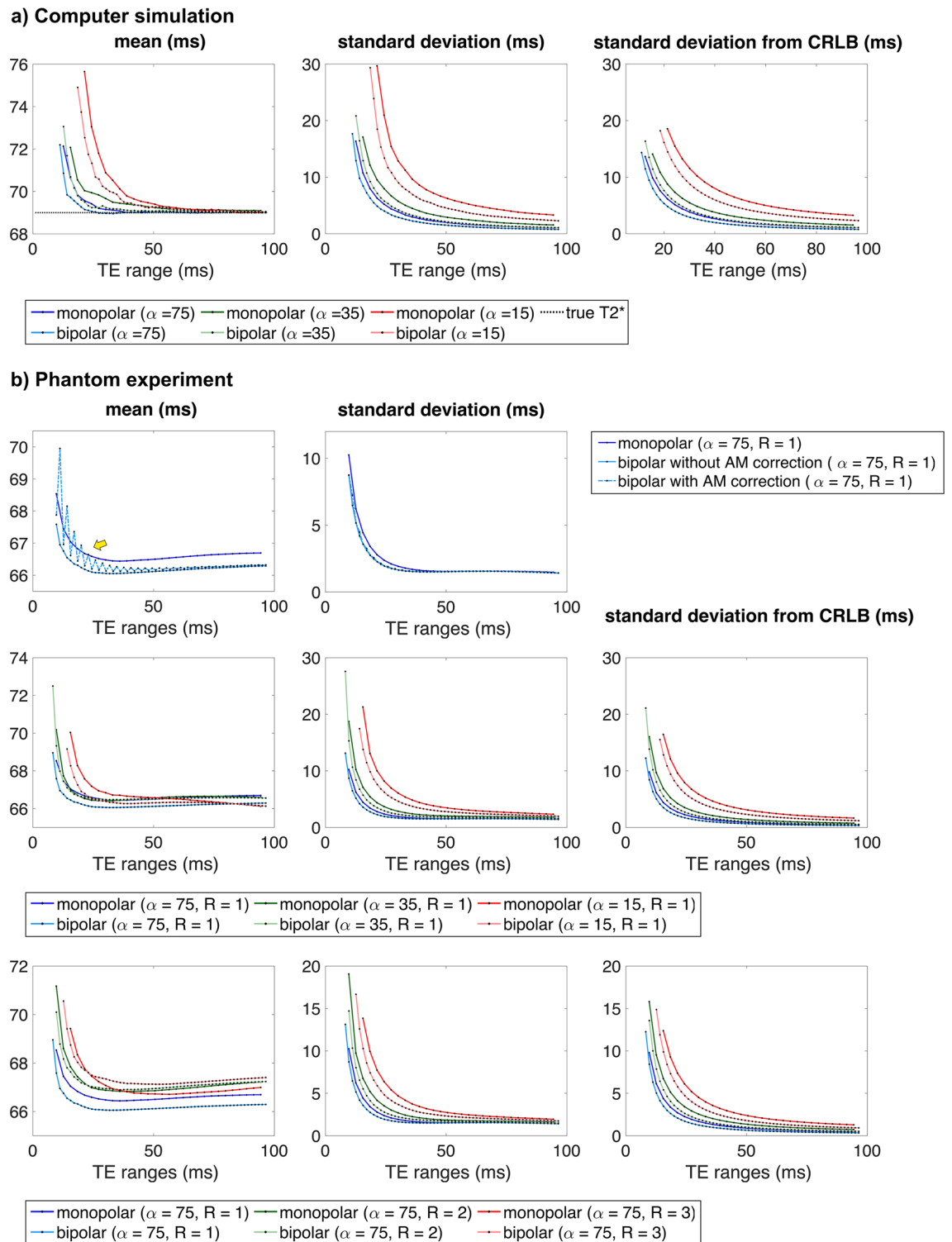


Figure 3. Plots of the mean and standard deviations as a function of the TE range. The mean and standard deviations were measured in ROI 3. Imaging parameters: BW/px = 801, $\Delta TE = 2.92$ ms for monopolar and 1.47 ms for bipolar, TR = 1200 ms. **(a)** Computer simulation results. **(b)** Phantom experiments results. The first row shows the effects of amplitude modulation. In the case of bipolar readout, the fluctuations in the mean value can be removed by an amplitude modulation correction. In the second and third rows, the changes in mean and standard deviations are displayed with respect to the α and R. As the SNR decreases (i.e., as the α decreases and R increases), the mean and standard deviation tend to increase.

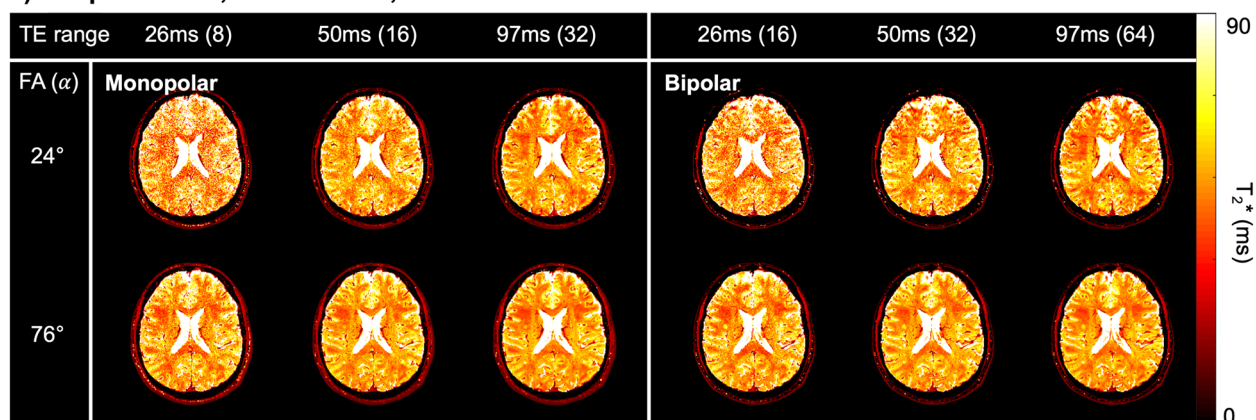
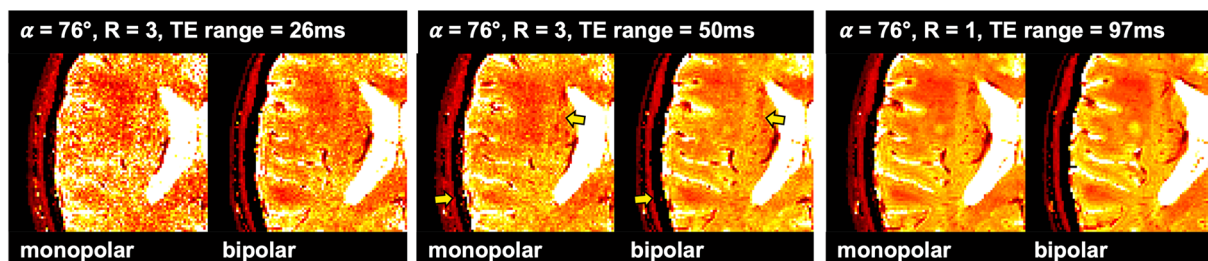
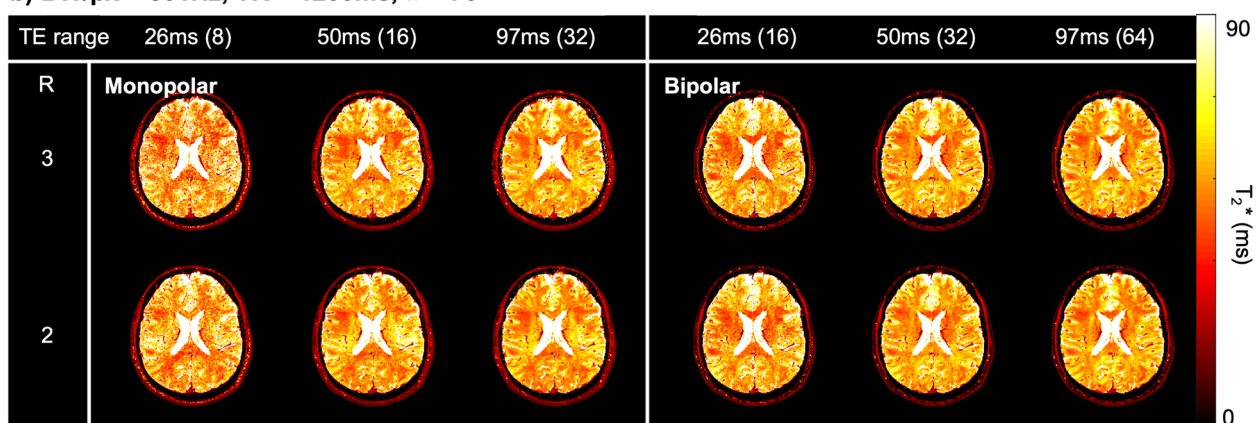
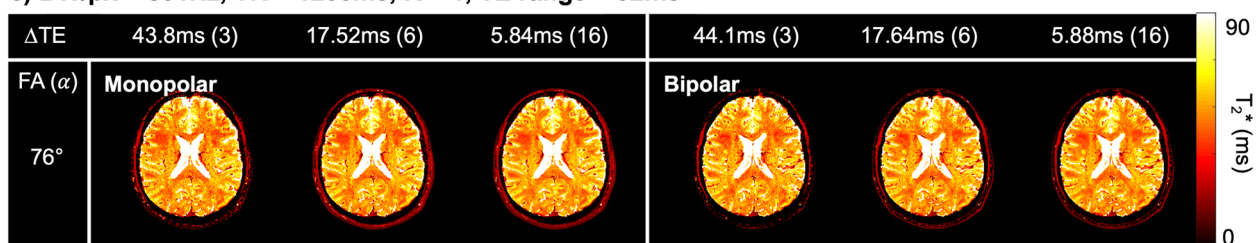
a) BW/px = 801Hz, TR = 1200ms, R = 1**b) BW/px = 801Hz, TR = 1200ms, $\alpha = 76^\circ$** **c) BW/px = 801Hz, TR = 1200ms, R = 1, TE range = 92ms**

Figure 4. T₂^{*} maps from a healthy volunteer obtained using monopolar and bipolar readout gradients with amplitude modulation correction. Each column and row display the results for a different set of (a) α and TE range and (b) R and TE range. Imaging parameters: BW/px = 801, Δ TE = 2.92 ms for monopolar readout and 1.47 ms for bipolar readout. The number in parentheses is the maximum number of echoes achieved in the given TE range. As indicated by the yellow arrows in the magnified view, anatomical structures are clearly distinguished in the T₂^{*} maps from bipolar readouts. The figures in (c) show the results for a different set of Δ TEs.

TE range		26 ms	52 ms	97 ms
(a) BW/px = 801 Hz, TR = 1200 ms, R = 1				
24°	Mono	55.95 ± 23.15 (15.96)	53.26 ± 10.23 (6.05)	51.36 ± 8.38 (3.47)
	Bipolar	53.4 ± 16.25 (11.66)	52.5 ± 9.7 (5.2)	51.07 ± 8.67 (2.53)
76°	Mono	51.34 ± 9.5 (6.35)	52.22 ± 6.97 (2.82)	51.64 ± 6.67 (1.6)
	Bipolar	50.99 ± 8.51 (4.49)	52.21 ± 6.8 (2.11)	51.6 ± 6.48 (1.14)
(b) BW/px = 801 Hz, TR = 1200 ms, α = 76°				
R = 3	Mono	54.13 ± 17.36 (11.89)	53.14 ± 9.37 (5.26)	53.36 ± 7.59 (2.97)
	Bipolar	51.46 ± 9.66 (8.3)	52.64 ± 7.32 (3.88)	52.4 ± 6.9 (2.1)
R = 2	Mono	53.05 ± 12.72 (8.51)	53.22 ± 8.35 (3.8)	52.81 ± 7.38 (2.1)
	Bipolar	51.63 ± 9.76 (6.02)	52.77 ± 7.42 (2.8)	52.51 ± 6.92 (1.51)
ΔTE (mono/bipolar)		43.8/44.1 ms	17.52/17.64 ms	5.84/5.88 ms
(c) BW/px = 801 Hz, TR = 1200 ms, TE range = 92 ms, R = 1				
75°	Mono	51.46 ± 7.64 (4.32)	51.55 ± 7.14 (4.19)	51.69 ± 6.84 (2.81)
	Bipolar	51.37 ± 7.59 (4.4)	51.38 ± 7.03 (3.34)	52.57 ± 6.69 (2.24)
	Monopolar	Bipolar	Literatures	
(d) BW/px = 801 Hz, TR = 1200 ms, α = 76°, R = 1, TE range = 97 ms				
ROI	Mean ± std	Mean ± std	–	
Grey matter	58.94 ± 0.96	58.85 ± 0.89	55.7 ³² , 65.7 ³	
White matter	50.59 ± 1.05	50.53 ± 1.07	50 ³² , 47.6 ³	
Caudate	50.43 ± 0.95	50.57 ± 0.7	54.9 ³	
Pallidus	33.98 ± 3.89	33.35 ± 3.92	30 ³³	
Putamen	45.35 ± 1.23	45.17 ± 0.94	41 ³³	
Thalamus	50.29 ± 0.74	50.27 ± 0.47	50 ³³	

Table 3. Mean, standard deviation, and relative difference of the standard deviation from one healthy volunteer with respect to the (a) α and TE range, (b) R and TE range and (c) ΔTE. The values were measured in white matter. The numbers in parentheses are the standard deviations predicted from CRLB. As in the computer simulation and phantom experiments, standard deviation increases as the α and TE range decrease. (a and b) The difference between both readouts also tends to increase with a decrease in the α and TE range. (c) When monopolar and bipolar readouts have similar TEs, both readouts show comparable precision. (d) The mean and standard deviation averaged across all subjects (number of subjects = 2). The values were calculated from the data with α of 76° and R of 1 for the maximum TE range (i.e., 97 ms).

value as the TE range increased (Fig. 3). If the TE range is sufficient, even when the number of echoes is limited by reducing the ΔTE (Table 1c,d), a mean T2* close to the true value could be delivered. This implies that signal acquisition over a sufficient TE range contributes more to an accurate quantification compared to increasing the number of echoes while having a shorter TE range. Figure S2 in Supplementary Information shows the changes in mean T2* with respect to the TE range for different ROIs. To achieve a T2* similar to the true value, the TE range should be comparable to or greater than the true T2*. The difference in the mean values between the two readout types was less than 0.1% for a sufficient TE range, i.e., monopolar and bipolar readouts have almost the same accuracy. When the TE range was shorter than true T2*, the mean from the bipolar readout was found to be closer to the true value than that from the monopolar readout, i.e., the bipolar readout has higher accuracy for a relatively shorter TE range. The mean T2* increased as the SNR or TE range decreased. When additional noise or a short TE range is introduced, the fitting procedure is more likely to be trapped at the erroneous local minima. The tendency of T2* to increase might be interpreted as a result of an increase in the number of outliers. The outliers are related to poor initial estimates. In our work, the Rician noise distribution was considered in a fit model^{28,29} because noise bias can induce an overestimation of T2*^{35–37}. As the noise was estimated using a ROI in the background region, this approach could also yield erroneous noise estimates due to spatially varying noise fields, which may be a limitation of this study.

In terms of precision, a remarkable difference between the two readouts can be seen; the bipolar readout always provided greater precision (i.e., lower standard deviation) compared to the monopolar readout. The difference between the standard deviations of the two readouts was over 25%, regardless of the TE range, with a BW/px of 801 (Table 1b). The bipolar readout utilises twice as many echoes as a monopolar readout in a given TE range. In theory, the standard deviation of T2*s from a bipolar readout is $\sqrt{2}/2$ times that from a monopolar readout. The standard deviations predicted from CRLB showed a $\sqrt{2}$ twofold difference between the monopolar and bipolar readouts. The standard deviations measured had similar values to the CRLB values in both readouts and showed a $\sqrt{2}$ twofold difference, particularly for a higher α and longer TE range. As α and TE range decreased, the difference between the two readouts became greater than $\sqrt{2}$. The measured standard deviations showed good agreement with the CRLB values, except for the short TE range (< 26 ms) and lower α. As with the changes in the mean T2*, outliers caused by insufficient SNR or data points could result in an increase in the standard deviation.

In the phantom experiments, the differences in the standard deviation between monopolar and bipolar readouts were considerably reduced for a higher α and longer TE range. This was also confirmed in the in vivo

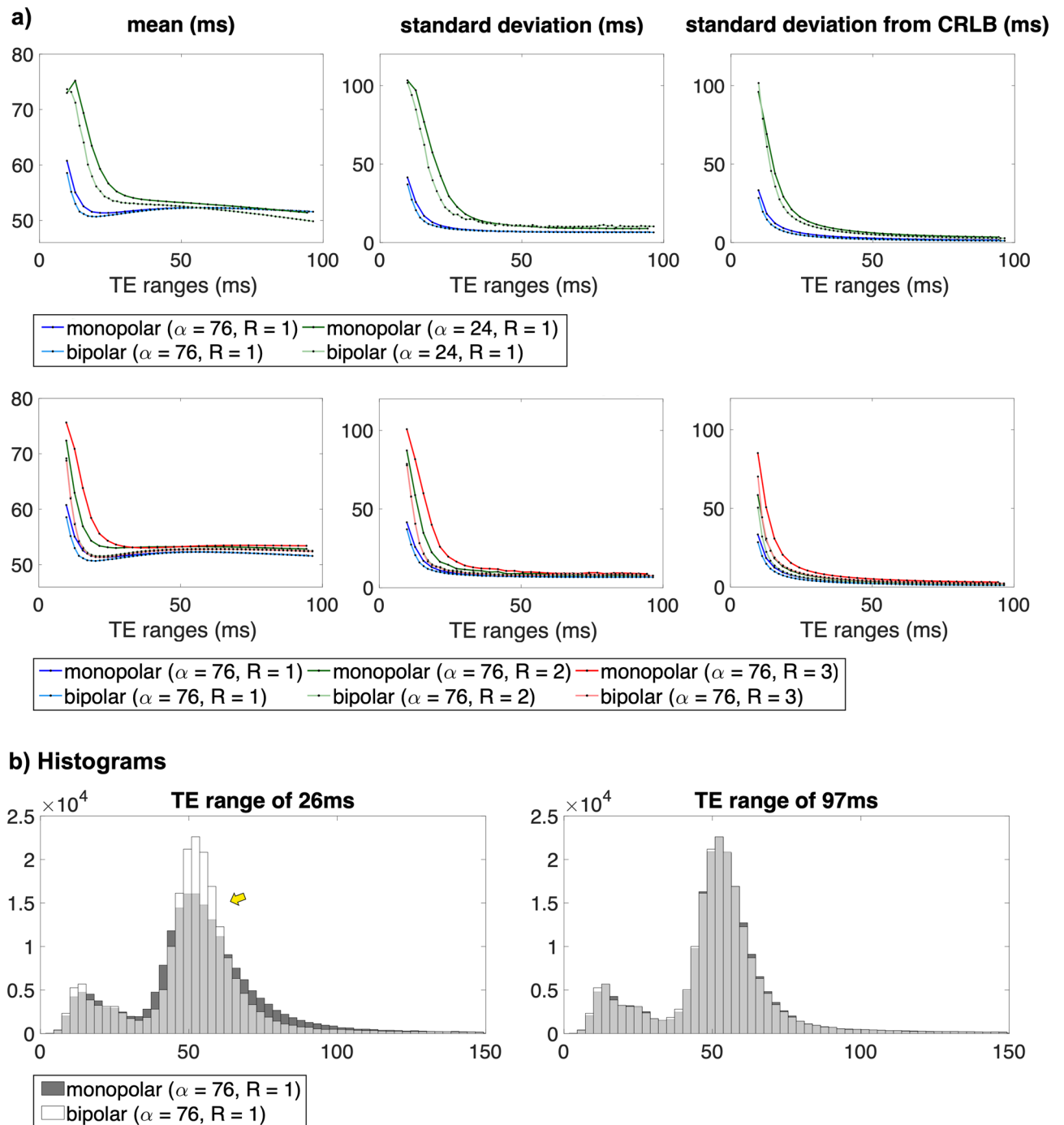


Figure 5. (a) Plots of the mean and standard deviation of the T_2^* s calculated in white matter from one healthy volunteer. Imaging parameters: BW/px = 801, $\Delta TE = 2.92$ ms for monopolar and 1.47 ms for bipolar, and TR = 1200 ms. (b) Histograms for the whole brain when the TE range is 26 ms (left) and 97 ms (right), respectively. Imaging parameters: BW/px = 801, $\Delta TE = 2.92$ ms for monopolar and 1.47 ms for bipolar, TR = 1200 ms, $\alpha = 76^\circ$, $R = 1$.

experiments. In the presence of systematic or physiological errors, both readouts provided similar accuracy and precision, especially when the signal was sufficiently sampled (i.e., with a relatively longer TE range). However, the bipolar readout showed smaller standard deviations than the monopolar readout as the TE range decreased. The range of variation (i.e., the difference between the highest and lowest means or standard deviations) increases as the relaxation time increases (Fig. S3 in the Supplementary Information). The bipolar readouts were less sensitive to changes in the R , TE range and relaxation time.

An increase in the BW can shorten the ΔTE . The difference in the N_e between the two readouts increases as the BW increases. In practical implementations, the ΔTE is constrained by the maximum amplitude and slew rate of the gradient. If a high-performance gradient is utilised, a bipolar readout can be more robust for T_2^*

quantification. In addition, the range of T_2^* relaxation times investigated in this study is specific to the brain at 3 T. If T_2^* quantification is performed with a short TE range in an area with a short T_2^* value, such as the liver, it is expected that the benefit of using a bipolar readout would become more apparent.

Amplitude modulation, like phase modulation, produces a linear difference in the signal intensities and is dependent on the polarity of the readout gradients. When a monopolar readout is used, the modulation term appears identically throughout the echo train, having no significant influence on T_2^* quantification. However, T_2^* quantification would be hampered by amplitude modulation in the bipolar readout. In our experiments, when bipolar readouts were used, fluctuations in the mean T_2^* were observed across the TE ranges. The effects of amplitude modulation were also visible in uncorrected T_2^* maps. The quantified T_2^* showed differences between the left and right sides of the object. The observed decrease in fluctuations in the mean T_2^* as the TE range increases also suggests that the impact of amplitude modulation increases when the signal is not sufficiently sampled due to a relatively shorter TE range. However, the fluctuations can be suppressed by an amplitude modulation correction. Thus, it is important to note that amplitude modulation correction is required to obtain accurate T_2^* , especially for a shorter TE range.

Conclusions

In this work, the performance of monopolar and bipolar readout gradients was evaluated under various conditions. A shorter ΔTE in the bipolar scheme enabled the utilisation of a larger number of echoes, which led to the more accurate quantification of T_2^* . Moreover, the bipolar readouts were shown to be more robust in quantifying the T_2^* when a lower SNR or smaller number of echoes was given. In the case of using bipolar readout, the effect of amplitude modulation was demonstrated, particularly for a shorter TE range. Consequently, the use of bipolar readout gradients would be advantageous for accurate T_2^* quantification with amplitude modulation correction.

Data availability

The datasets used and/or analysed in the current study can be shared by submitting a formal request to the corresponding author, N. Jon Shah (n.j.shah@fz-juelich.de). The in vivo data and metadata are protected under the ethics/internal administrating documents.

Received: 22 April 2022; Accepted: 16 January 2023

Published online: 20 January 2023

References

- Oros-Peusquens, A. M., Laurila, M. & Shah, N. J. Magnetic field dependence of the distribution of NMR relaxation times in the living human brain. *MAGMA* **21**(1–2), 131–147. <https://doi.org/10.1007/s10334-008-0107-5> (2008).
- Mills, A. F., Sakai, O., Anderson, S. W. & Jara, H. Principles of quantitative MR imaging with illustrated review of applicable modular pulse diagrams. *Radiographics* **37**(7), 2083–2105. <https://doi.org/10.1148/rg.2017160099> (2017).
- Weiskopf, N. *et al.* Quantitative multi-parameter mapping of R_1 , PD^* , MT , and R_2^* at 3T: A multi-center validation. *Front. Neurosci.* **7**, 95. <https://doi.org/10.3389/fnins.2013.00095> (2013).
- Cheng, H. L., Stikov, N., Ghugre, N. R. & Wright, G. A. Practical medical applications of quantitative MR relaxometry. *J. Magn. Reson. Imaging* **36**(4), 805–824. <https://doi.org/10.1002/jmri.23718> (2012).
- Shah, N. J., Abbas, Z., Ridder, D., Zimmermann, M. & Oros-Peusquens, A. M. A novel MRI-based quantitative water content atlas of the human brain. *Neuroimage* **252**, 119014. <https://doi.org/10.1016/j.neuroimage.2022.119014> (2022).
- Choi, J. S. *et al.* Comparison of multi-echo and single-echo gradient-recalled echo sequences for SPIO-enhanced liver MRI at 3 T. *Clin. Radiol.* **65**(11), 916–923. <https://doi.org/10.1016/j.crad.2010.07.003> (2010).
- Tang, M. Y., Chen, T. W., Zhang, X. M. & Huang, X. H. GRE T_2^* -weighted MRI: principles and clinical applications. *Biomed. Res. Int.* **2014**, 312142. <https://doi.org/10.1155/2014/312142> (2014).
- Zimmermann, M. *et al.* Multi-exponential relaxometry using l1—regularized iterative NNLS (MERLIN) with application to myelin water fraction imaging. *IEEE Trans. Med. Imaging* **38**(11), 2676–2686. <https://doi.org/10.1109/TMI.2019.2910386> (2019).
- Cunningham, C. H. *et al.* Design of flyback echo-planar readout gradients for magnetic resonance spectroscopic imaging. *Magn. Reson. Med.* **54**(5), 1286–1289. <https://doi.org/10.1002/mrm.20663> (2005).
- Yablonskiy, D. Quantitative T_2 contrast with gradient echoes. *Proc. Intl. Soc. Mag. Reson. Med.* **8**, 431 (2000).
- Shah, N. J., Zaitsev, M., Steinhoff, S., Wiese, S., & Zilles, K. Development of sequences for fMRI: keyhole imaging and relaxation time mapping. In *Proceedings of the 15th European Experimental NMR Conference*. (2000).
- Dierkes, T., Neeb, H. & Shah, N. J. Distortion correction in echo-planar imaging and quantitative T_2^* mapping. *Int. Congr. Ser.* **1265**, 181–185 (2004).
- van des Bos, A. Parameter estimation for scientists and engineers. Wiley & Sons Ltd. 2007. ISBN: 978-0-470-14781-8. 56p.
- Cohen-Adad, J. What can we learn from T_2^* maps of the cortex?. *Neuroimage* **93**(Pt 2), 189–200. <https://doi.org/10.1016/j.neuroimage.2013.01.023> (2014).
- Kellman, P. *et al.* Free-breathing T_2^* mapping using respiratory motion corrected averaging. *J. Cardiovasc. Magn. Reson.* **17**(1), 3. <https://doi.org/10.1186/s12968-014-0106-9> (2015).
- Jezzard, P. & Balaban, R. S. Correction for geometric distortion in echo planar images from B_0 field variations. *Magn. Reson. Med.* **34**(1), 65–73. <https://doi.org/10.1002/mrm.1910340111> (1995).
- Lu, W. *et al.* Water-fat separation with bipolar multiecho sequences. *Magn. Reson. Med.* **60**(1), 198–209. <https://doi.org/10.1002/mrm.21583> (2008).
- Buonocore, M. H. & Gao, L. Ghost artifact reduction for echo planar imaging using image phase correction. *Magn. Reson. Med.* **38**(1), 89–100. <https://doi.org/10.1002/mrm.1910380114> (1997).
- Alecci, M. & Jezzard, P. Characterization and reduction of gradient-induced eddy currents in the RF shield of a TEM resonator. *Magn. Reson. Med.* **48**(2), 404–407. <https://doi.org/10.1002/mrm.10226> (2002).
- Delakis, I., Petala, K. & De Wilde, J. P. MRI receiver frequency response as a contributor to Nyquist ghosting in echo planar imaging. *J. Magn. Reson. Imaging* **22**(2), 324–328. <https://doi.org/10.1002/jmri.20365> (2005).
- Yu, H. *et al.* Phase and amplitude correction for multi-echo water-fat separation with bipolar acquisitions. *J. Magn. Reson. Imaging* **31**(5), 1264–1271. <https://doi.org/10.1002/jmri.22111> (2010).
- Eggers, H., Koken, P., & Boernert, P. Phase and amplitude correction in bipolar multi-gradient-echo water-fat Imaging. *Proc. Intl. Soc. Mag. Reson. Med.* (2008)

23. Peterson, P., & Månsson, S. Fat quantification using multiecho sequences with bipolar gradients: investigation of accuracy and noise performance. *Magn. Reson. Med.* **71**(1), 219–229. <https://doi.org/10.1002/mrm.24657> (2014).
24. Dula, A. N., Gochberg, D. F. & Does, M. D. Optimal echo spacing for multi-echo imaging measurements of Bi-exponential T2 relaxation. *J. Magn. Reson.* **196**(2), 149–156. <https://doi.org/10.1016/j.jmr.2008.11.002> (2009).
25. Thangvel, K. & Sarıtaş, E. Ü. Aqueous paramagnetic solutions for MRI phantoms at 3 T: A detailed study on relaxivities. *Türkiye Klinikleri J. Med. Sci.* **25**, 2108–2121 (2017).
26. Hattori, K., Ikemoto, Y., Takao, W., Ohno, S., Harimoto, T., Kanazawa, S., Oita, M., Shibuya, K., Kuroda, M., & Kato, H. Development of MRI phantom equivalent to human tissues for 3.0-T MRI. *Med. Phys.* **40**(3), 032303 (2013).
27. Walsh, D. O., Gmitro, A. F., & Marcellin, M. W. Adaptive reconstruction of phased array MR imagery. *Magn. Reson. Med.* **43**(5), 682–690. [https://doi.org/10.1002/\(sici\)1522-2594\(200005\)43:5<682::aid-mrm10>3.0.co;2-g](https://doi.org/10.1002/(sici)1522-2594(200005)43:5<682::aid-mrm10>3.0.co;2-g) (2000).
28. Umesh Rudrapatna, S., Bakker, C. J., Viergever, M. A., van der Toorn, A., & Dijkhuizen, R. M. Improved estimation of MR relaxation parameters using complex-valued data. *Magn. Reson. Med.* **77**(1), 385–397. <https://doi.org/10.1002/mrm.26088> (2017).
29. Sijbers, J., den Dekker, A. J., Raman, E., & van Dyck, D. Parameter estimation from magnitude MR images. *Int. J. Imag. Syst. Tech.* **10**, 109–114 (1999).
30. Zhang, Y., Brady, M., & Smith, S. Segmentation of brain MR images through a hidden Markov random field model and the expectation-maximization algorithm. *IEEE Trans. Med. Imaging* **20**(1), 45–57. <https://doi.org/10.1109/42.906424> (2001).
31. Patenaude, B., Smith, S. M., Kennedy, D. N., & Jenkinson, M. A Bayesian model of shape and appearance for subcortical brain segmentation. *Neuroimage* **56**(3), 907–922. <https://doi.org/10.1016/j.neuroimage.2011.02.046> (2011).
32. Oros-Peusquens, A. M. *et al.* A single-scan, rapid whole-brain protocol for quantitative water content mapping with neurobiological implications. *Front. Neurol.* **10**, 1333. <https://doi.org/10.3389/fneur.2019.01333> (2019).
33. Péran, P. *et al.* Voxel-based analysis of R2* maps in the healthy human brain. *J. Magn. Reson. Imaging* **26**(6), 1413–1420. <https://doi.org/10.1002/jmri.21204> (2007).
34. Poot, D. H., den Dekker, A. J., Achten, E., Verhoye, M., & Sijbers, J. Optimal experimental design for diffusion kurtosis imaging. *IEEE Trans. Med. Imaging* **29**(3), 819–829. <https://doi.org/10.1109/TMI.2009.2037915> (2010).
35. Yokoo, T., Yuan, Q., SÉNégas, J., Wiethoff, A. J., & Pedrosa, I. Quantitative R2* MRI of the liver with rician noise models for evaluation of hepatic iron overload: Simulation, phantom, and early clinical experience. *J. Magn. Reson. Imaging* **42**(6), 1544–1559. <https://doi.org/10.1002/jmri.24948> (2015).
36. Sandino, C. M., Kellman, P., Arai, A. E., Hansen, M. S., & Xue, H. Myocardial T2* mapping: Influence of noise on accuracy and precision. *J. Cardiovasc. Magn. Reson.* **17**(1), 7. <https://doi.org/10.1186/s12968-015-0115-3> (2015).
37. Raya, J. G. *et al.* T2 measurement in articular cartilage: Impact of the fitting method on accuracy and precision at low SNR. *Magn. Reson. Med.* **63**(1), 181–193. <https://doi.org/10.1002/mrm.22178> (2010).

Acknowledgements

The project B-Q MINDED has received funding from the European Union's Horizon 2020 research and innovation programme under the Marie Skłodowska-Curie grant agreement No 764513. Open access publication is funded by the Deutsche Forschungsgemeinschaft (DFG, German Research Foundation)—491111487. The authors would like to thank our colleagues, the MTAs and all participants in this project. Special thanks are given to Michael Schöneck for phantom production and Claire Rick for English proofreading.

Author contributions

S.S. was involved in the implementation of the sequence, acquisition and analysis of the data and writing of the manuscript. S.Y. contributed to the implementation of the sequence, analysis of the data, reviewing and editing the manuscript. N.J.S. oversaw the concept and design of the study, and reviewed and edited the manuscript.

Funding

Open Access funding enabled and organized by Projekt DEAL.

Competing interests

The authors declare no competing interests.

Additional information

Supplementary Information The online version contains supplementary material available at <https://doi.org/10.1038/s41598-023-28265-0>.

Correspondence and requests for materials should be addressed to N.J.S.

Reprints and permissions information is available at www.nature.com/reprints.

Publisher's note Springer Nature remains neutral with regard to jurisdictional claims in published maps and institutional affiliations.



Open Access This article is licensed under a Creative Commons Attribution 4.0 International License, which permits use, sharing, adaptation, distribution and reproduction in any medium or format, as long as you give appropriate credit to the original author(s) and the source, provide a link to the Creative Commons licence, and indicate if changes were made. The images or other third party material in this article are included in the article's Creative Commons licence, unless indicated otherwise in a credit line to the material. If material is not included in the article's Creative Commons licence and your intended use is not permitted by statutory regulation or exceeds the permitted use, you will need to obtain permission directly from the copyright holder. To view a copy of this licence, visit <http://creativecommons.org/licenses/by/4.0/>.

© The Author(s) 2023